

METHODS TO IMPROVE NOISE PERFORMANCE

TO MINIMIZE INTERNAL NOISE

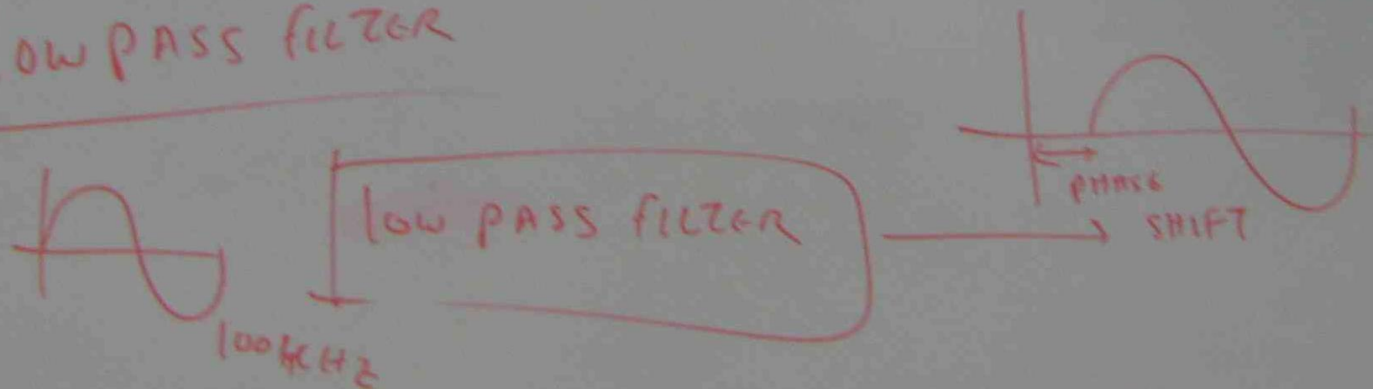
- (1) REDUCE BANDWIDTH TO MINIMUM
- (2) KEEP ALL RESISTOR VALUES AS LOW AS POSSIBLE
- (3) USE LOW NOISE OP-AMPS.
- (4) ELIMINATE NOISE AT THE FIRST STAGE OF MULTI STAGE AMPLIFIERS
- (5) KEEP THE COMPONENTS COOL BY HEAT SINKING OR AIR FLOW

FREQUENCY COMPENSATION

OPEN LOOP FREQUENCY RESPONSE OF OP-AMP



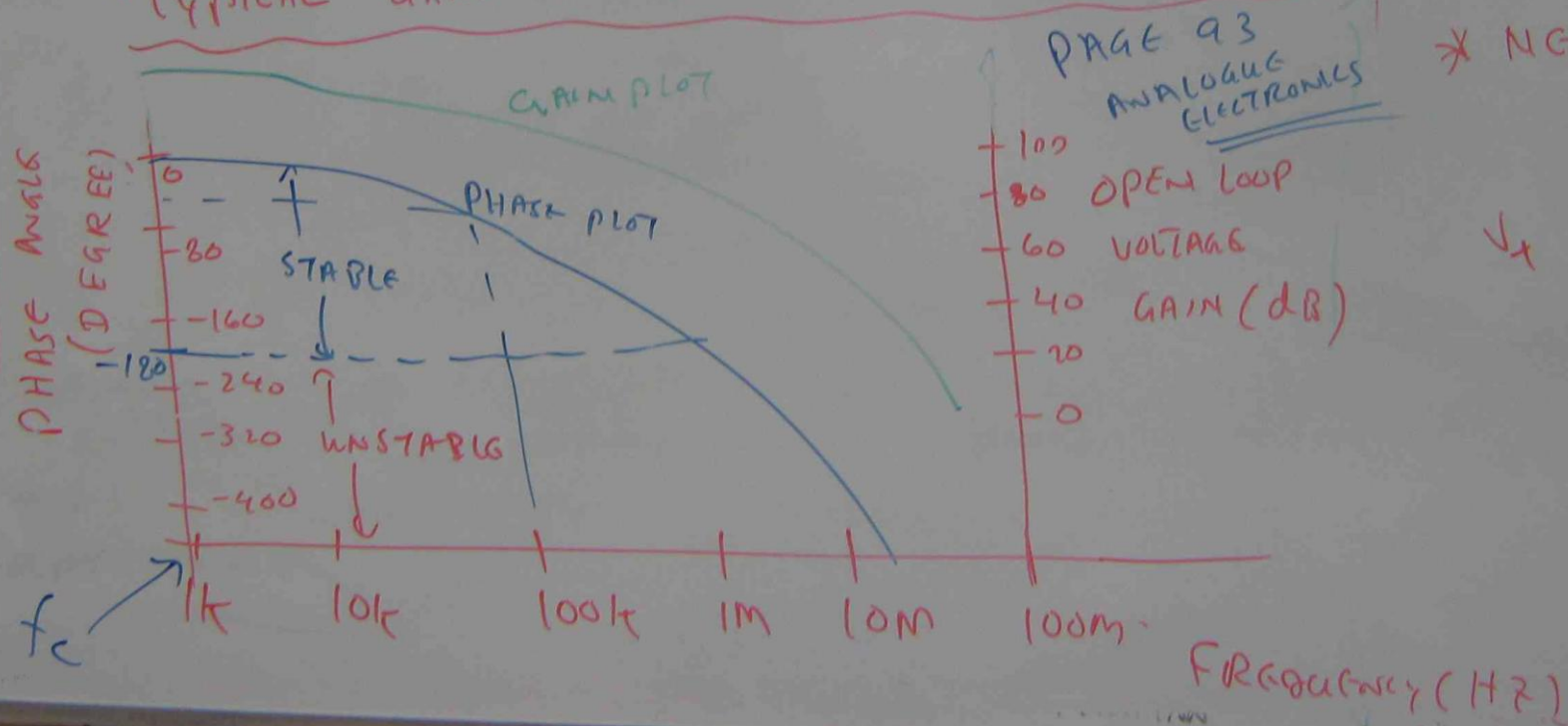
LOW PASS FILTER



THE OPEN LOOP GAIN OF AN OP-AMP STARTS DECREASING FROM A LOW FREQUENCY.

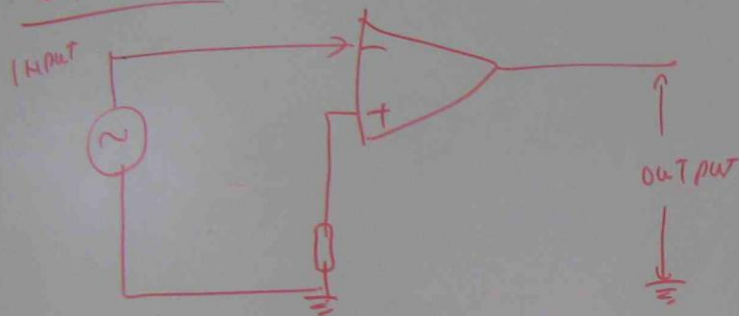
THE LOW PASS FILTERS NOT ONLY ATTENUATE THE OUTPUT, THEY ALSO INTRODUCE A PHASE SHIFT.

TYPICAL GAIN AND PHASE RESPONSE OF AN OP-AMP



STABILITY OF NEGATIVE FEED BACK CIRCUITS

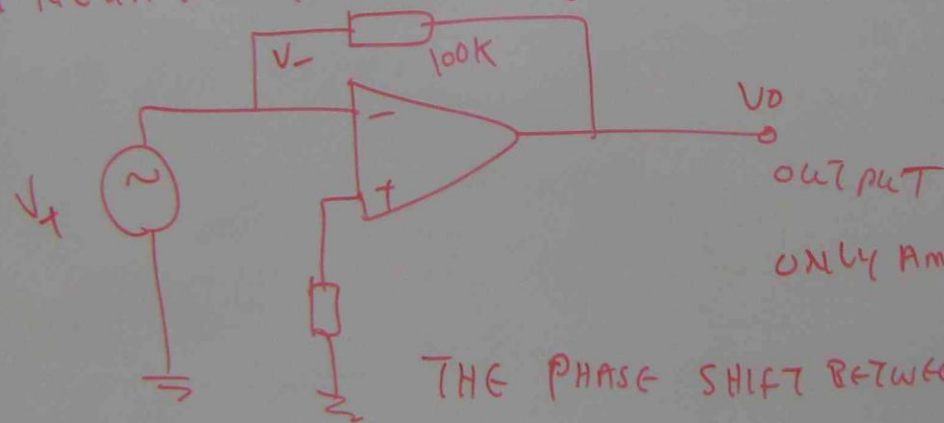
Open Loop



GAIN LARGER & LARGER

UNSTABLE

* NEGATIVE FEED BACK (NFB) TO REDUCE THE GAIN. SOME PORTION OF OUTPUT VOLTAGE IS FEED BACK.



ONLY AMPLIFIES $(V_+ - V_-)$

THE PHASE SHIFT BETWEEN THE OUTPUT AND INPUT CAN CHANGE.

IF PHASE SHIFT IS $\sqrt{-180}$ & THE AMOUNT OF FEEDBACK IS LARGE, UNSTABLE

IF PHASE SHIFT IS $> -180 \rightarrow$ STABLE.

$\gamma(Hz)$

UNSTABILITY

HIGH FREQUENCY NOISE AT OUTPUT MIXED WITH INPUT SIGNAL

THE CONDITIONS OF UNSTABILITY

- SIGNAL GAIN $\geq 0 \text{ dB}$
- AMOUNT OF FEED BACK IS LARGE
- PHASE SHIFT $\leq -180^\circ$

(1)

(2)

(3)

(4)

+ SIGNAL

GRAPHICAL DETERMINATION OF AMPLIFIER STABILITY

ph

(1) CALCULATE CLOSED LOOP GAIN

$$A_{CL} = 1 + \frac{R_f}{R_1}$$

(2) CHANGE A_{CL} TO dB

(3) ON OPEN LOOP GAIN PLOT, DRAW A HORIZONTAL LINE AT HEIGHT $A_{CL}(\text{dB})$

(4) NOTE THE FREQUENCY AT WHICH THE LINE CUTS THE OPEN LOOP PLOT.

(5) READ PHASE PLOT AT RELEVANT FREQUENCY

(6) IF THE VALUE IS $\begin{cases} < -180 \rightarrow \text{UNSTABLE} \\ > -180 \rightarrow \text{STABLE} \end{cases}$

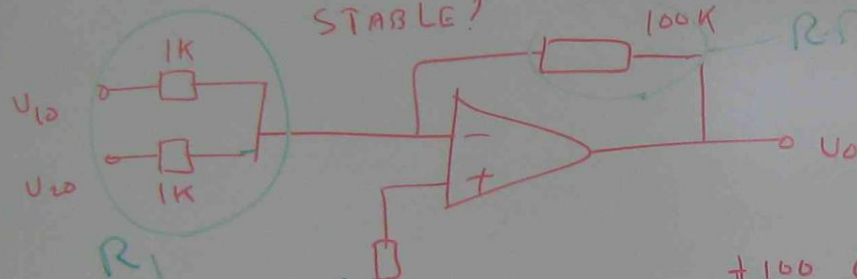
MARGIN \rightarrow

pb

FOR THE GIVEN OP-AMP, AND IT'S PHASE PLOT ON GRAPH, -E

(a) IS THIS AMPLIFIER STABLE

(b) WHAT IS THE MINIMUM A_{CL} NEEDED TO MAKE THE AMPLIFIER STABLE?

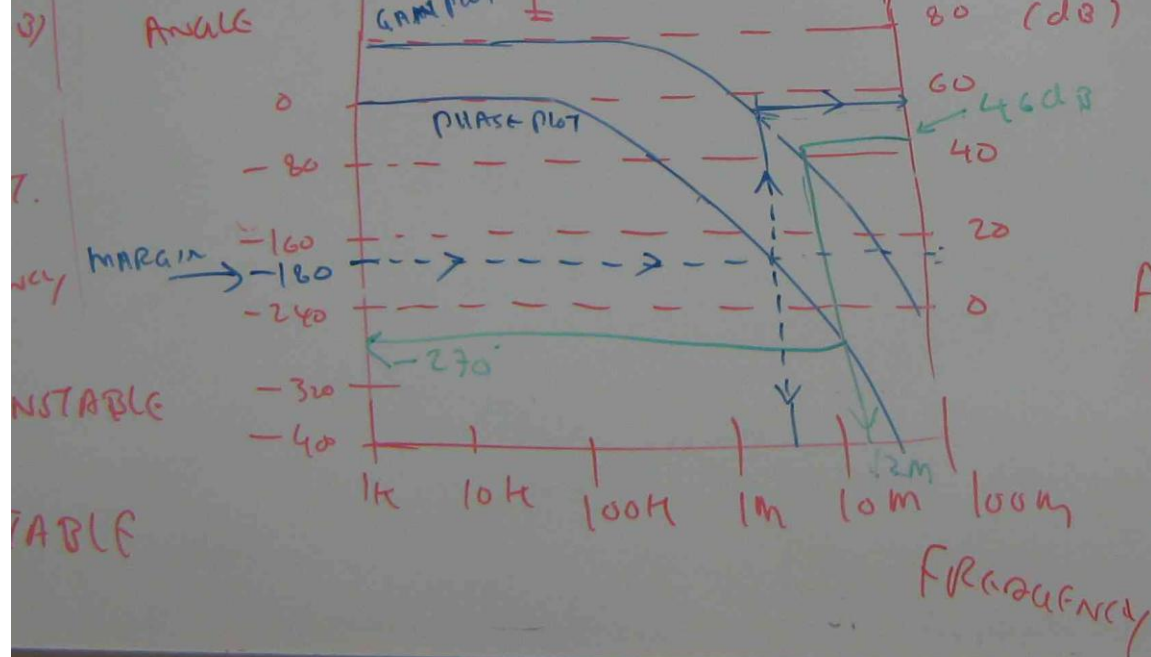


$$R_1 = 1k \parallel 1k$$

$$= \frac{1 \times 1}{1+1} = 0.5k = 500\Omega$$

$$R_f = 100k\Omega$$

$$A_{CL} = 1 + \frac{R_f}{R_1} = 1 + \frac{100 \times 1000}{500} = 1 + 200 = 201$$



$$\begin{aligned}
 dB &= -20 \log_{10} 201 \\
 &= -20 \times 2.303 \\
 &= -46 \text{ dB}
 \end{aligned}$$

TAKE MAGNITUDE = 46 dB

46 dB \rightarrow GAIN PLOT \rightarrow $f = 12 \text{ MHz}$
 \downarrow
 PHASE PLOT
 \downarrow

IT IS LESS THAN -180° -270°
 UNSTABLE

MINIMUM
STABILITY

-180°

\rightarrow PHASE PLOT \rightarrow FREQUENCY \rightarrow GAIN PLOT \rightarrow dB

MINIMUM
GAIN

60 dB

#

$$\begin{aligned}
 dB &= -20 \log_{10} 201 \\
 &= -20 \times 2.303 \\
 &= -46 \text{ dB}
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TAKE MAGNITUDE = 46 dB

46 dB \rightarrow GAIN PLOT $\rightarrow f = 12 \text{ MHz}$

↓
PHASE PLOT

IT IS LESS THAN -180° -270°

UNSTABLE

MINIMUM STABILITY

$-180^\circ \rightarrow$ PHASE PLOT \rightarrow FREQUENCY \rightarrow GAIN PLOT \rightarrow dB

MINIMUM GAIN

60 dB

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PHASE ANGLE

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TYPICAL GAIN AND PHASE RESPONSE OF AN OP-AMP

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ANALOGUE
ELECTRONICS

