

The n^{th} harmonic current in the supply is

$$I_n = \frac{X_c/n}{(nX_L) - (X_c/n)} I_{CHn} \quad (55)$$

$$X_L = 2\pi f_{CH} L, \quad X_c = \frac{1}{2\pi f_{CH} C} \quad (56) \& (57)$$

$n = \text{order of harmonic}$

in eqs (55) (56) & (57)

$$I_n = \frac{1}{4\pi n^2 f_{CH}^2 LC - 1} I_{CHn}$$

$$I_n = \frac{1}{\left(n \frac{f_{CH}}{f_r}\right)^2 - 1} I_{CHn} \quad (58)$$

where $I_n = n^{\text{th}}$ term of the supply c.t.
 $I_{CHn} =$ charge

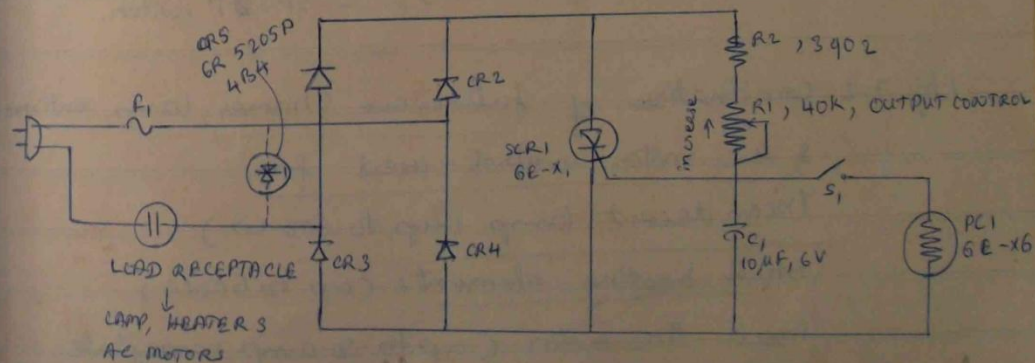
$f_{CH} =$ charges frequency

$f_r =$ resonant frequency of L&C

$$f_r = \frac{1}{2\pi \sqrt{LC}}$$

These two frequencies f_{CH} & f_r should be different, otherwise resonance occurs, resulting in large voltage oscillation of supply voltage. Normally f_{CH} is 2 or 3 times f_r to avoid this resonance phenomena. This supply harmonic current is thus approximately given by

$$I_n \approx \left(\frac{f_r}{n f_{CH}}\right)^2 I_{CHn} \quad (59)$$



Fullwave Timer, Lamp sectional
 Timer Lamp control AC motor control