

The function of a communication system is to transfer information from one point to another via some communication Link.

### modulation

The process of impressing information on to a high frequency carrier for transmission.

- Allows propagation of the low frequency intelligence with a high frequency carrier.

mathematical representation of a sine wave with high frequency carrier

$$u = V_p \sin(\omega t + \phi)$$

$u$  = instantaneous value,  $V_p$  = peak value

$\omega$  = angular velocity =  $2\pi f$   $\phi$  = phase angle.

### communication systems

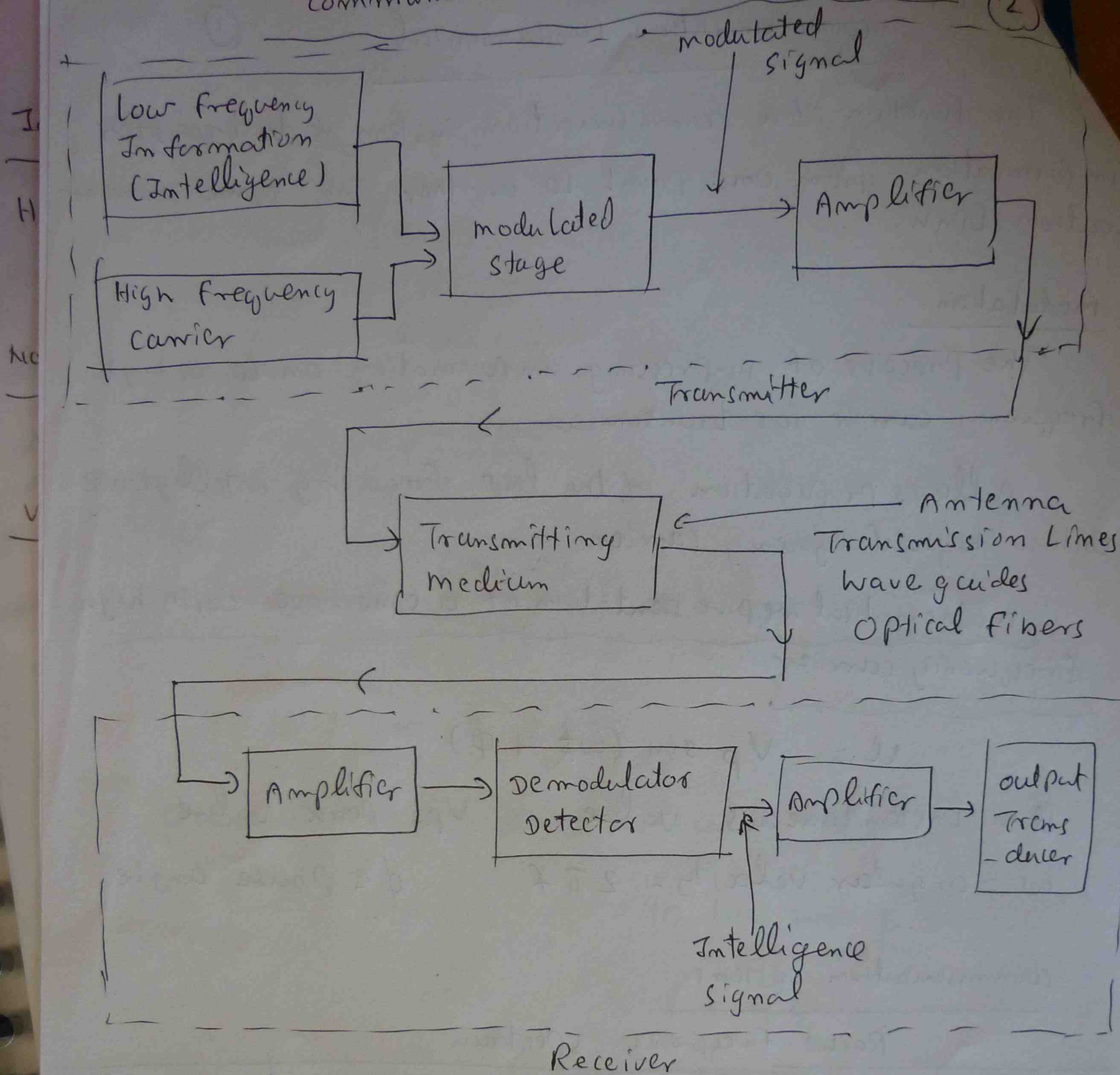
#### Radio Frequency Spectrum

Frequency	Designation	Abbreviation
30 → 300 Hz	Extremely low frequency	ELF
300 → 3000 Hz	Voice frequency	VF
3 → 30 kHz	Very low frequency	VLF
30 → 300 kHz	Low frequency	LF
300 kHz → 3 MHz	Medium frequency	MF
3 → 30 MHz	High frequency	HF
30 → 300 MHz	Very High frequency	VHF
300 MHz → 3 GHz	Ultra High frequency	UHF
3 → 30 GHz	Super High frequency	SHF
30 → 300 GHz	Extra High frequency	EHF



# communication system Block Diagram

(2)



## noise

- Any undesired voltages or currents that ultimately end up appearing in the receiver output

noise introduced in the transmitting medium → External noise

noise introduced in the receiver → Internal noise.



external noise

man made noise, Atmospheric noise, space noise

Internal noise

Thermal noise

Power of generated noise

$$P_n = k T \Delta f$$

$k$  = Boltzmann's constant ( $1.38 \times 10^{-23} \text{ J/K}$ )

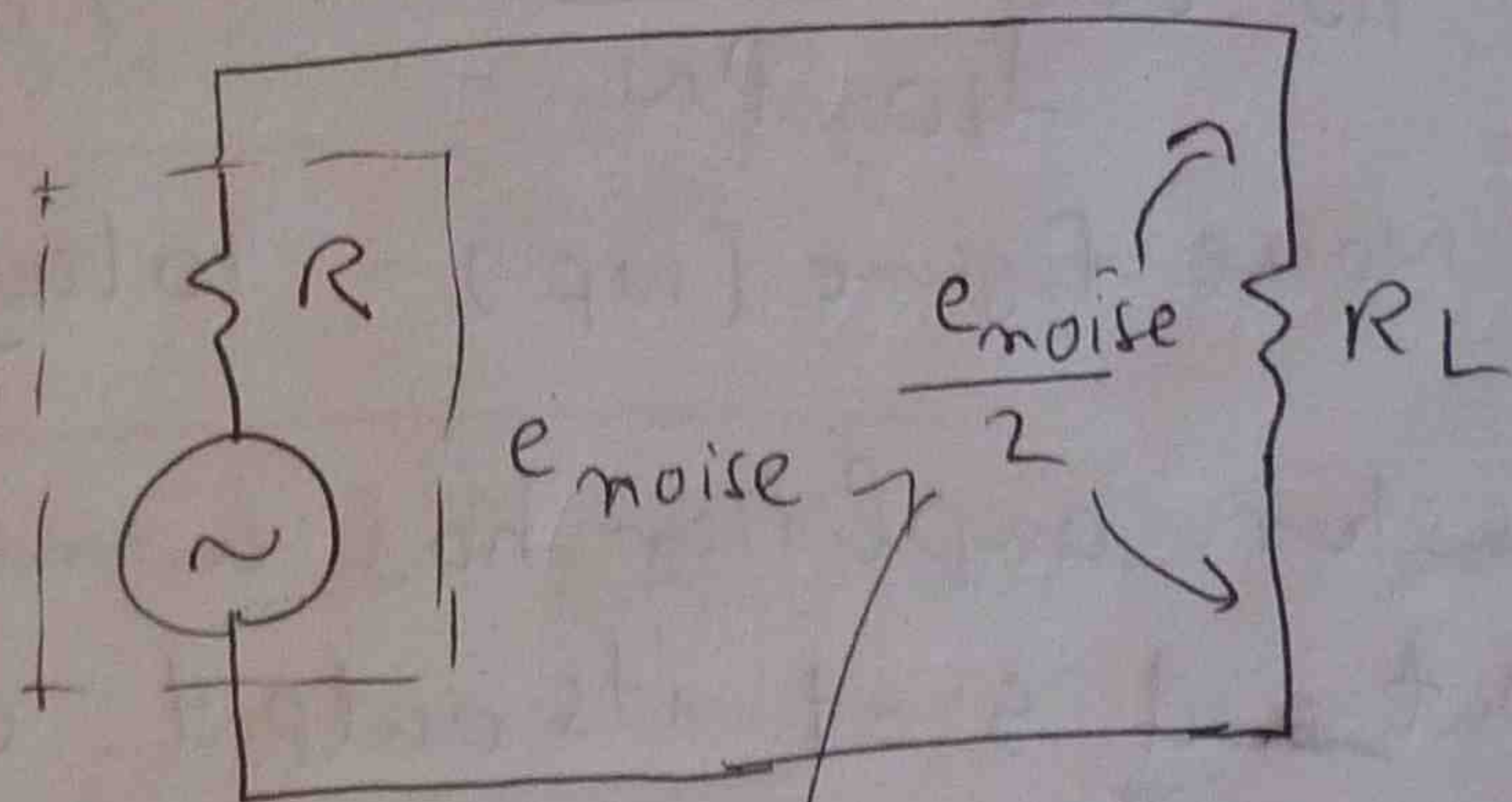
$T$  = Resistor temperature ( $^{\circ}\text{K}$ )

$\Delta f$  = Frequency bandwidth of the system.

$$e_n = \sqrt{4kT \Delta f R}$$

$e_n = \text{rms noise}$

noise  
generated  
resistance



maximum noise power voltage when  
 $R = R_L$

Ex 1-1

An amplifier operating over a 4 MHz bandwidth has a 1000  $\Omega$  input resistance. It is operating at  $27^{\circ}\text{C}$  has a voltage gain of 200, and has an input signal of 5  $\mu\text{V rms}$ . Determine the rms output signals (desired & noise) assuming external noise can be disregarded.

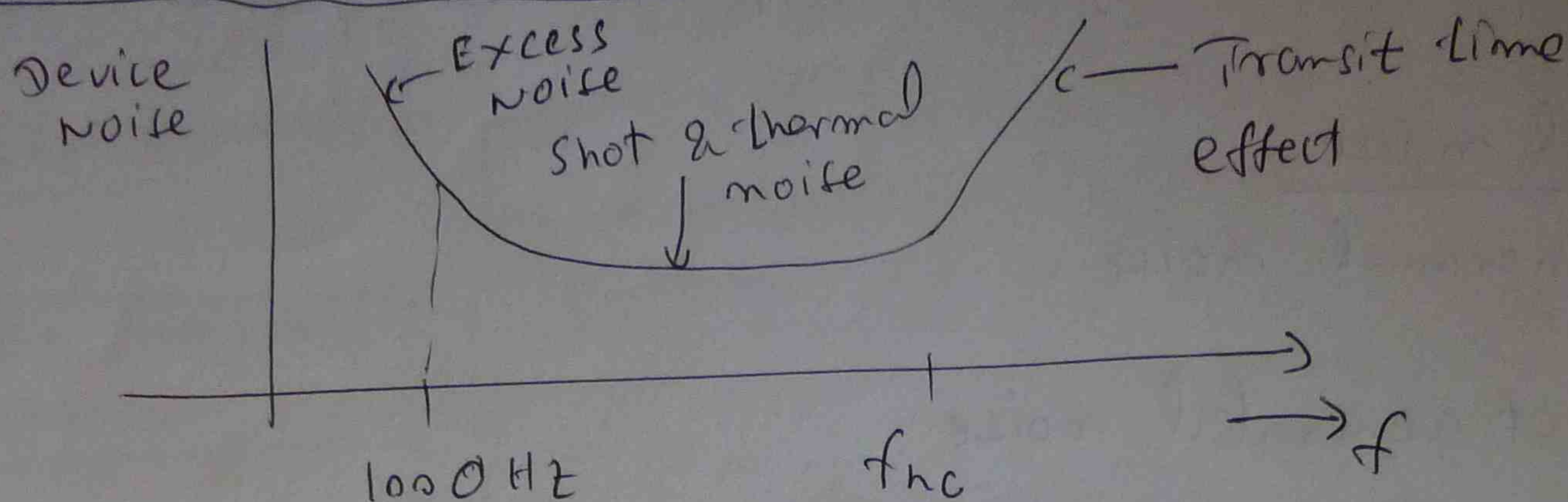
$$T = 27 + 273 = 300 \text{ K}$$

$$e_n = \sqrt{4kT \Delta f R} = \sqrt{4 \times 1.38 \times 10^{-23} \times 300 \times 4 \times 100} = 2.57 \text{ } \mu\text{V rms}$$



(4)

## Frequency noise effect



## Noise designation & calculation

$$\text{Signal to noise ratio} = \frac{\text{Signal power}}{\text{Noise power}} = \frac{S}{N} = \frac{P_S}{P_N}$$

$$\frac{S}{N} = 10 \log_{10} \frac{P_S}{P_N} \quad (\text{dB})$$

$$\text{Noise figure (NF)} = 10 \log_{10} NR$$

$$NR = \frac{S_i/N_i}{S_o/N_o}$$

NR = Noise Ratio

Ex 1-2

A transistor amplifier has a measured  $S/N$  of 10 at its input and 5 at its output. Calculate the transistor NF

$$NF = 10 \log \frac{S_i/N_i}{S_o/N_o} = 10 \log \frac{10}{5} = 10 \log 2 = 3 \text{ dB}$$

Ex 1-3

Two resistors  $5 \text{ k}\Omega$  and  $20 \text{ k}\Omega$  are at  $27^\circ\text{C}$ . Calculate for a  $10 \text{ kHz}$  bandwidth the thermal noise power and voltage.

(a) For each resistor

(b) For their series combination

(c) For their parallel combination



(5)

$$(a) P_n = kT \Delta f = 1.38 \times 10^{-23} \times (27+273) \times 10^4 \text{ Hz}$$

$$= 4.14 \times 10^{-17} \text{ W}$$

$$e_n = \sqrt{4kT \Delta f R} = \sqrt{4 \times 4.14 \times 10^{-17} R}$$

$$\text{For } 5 \text{ k}\Omega \quad e_n = \sqrt{4 \times 4.14 \times 10^{-17} \times 5 \times 10^3} = 0.91 \mu\text{V}$$

$$\text{For } 20 \text{ k}\Omega \quad e_n = \sqrt{4 \times 4.14 \times 10^{-17} \times 20 \times 10^3} = 1.82 \mu\text{V}$$

$$(b) \text{ for series } R = (5+20) \text{ k}\Omega$$

$$e_n = \sqrt{4 \times 4.14 \times 10^{-17} (20+5) \times 10^3} = 2.03 \mu\text{V}$$

$$(c) R = \frac{5 \text{ k}\Omega \times 20 \text{ k}\Omega}{5 \text{ k}\Omega + 20 \text{ k}\Omega} = 4 \text{ k}\Omega$$

$$e_n = \sqrt{4 \times 4.14 \times 10^{-17} (4) \times 10^3} = 0.81 \mu\text{V}$$

Reactance noise effect

$$\Delta f_{eq} = \frac{\pi}{2} B W$$

noise due to amplifiers in cascade

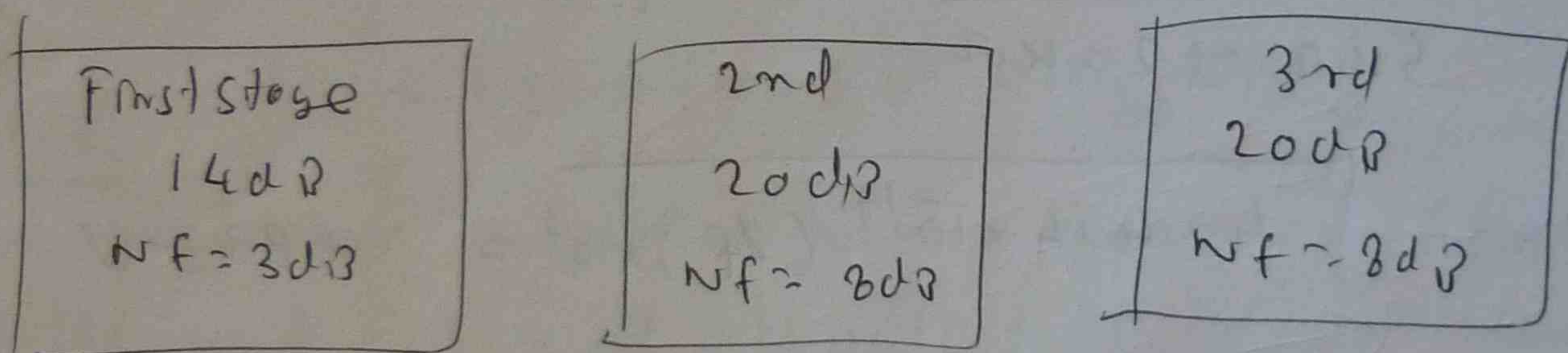
$$N_R = N_{R1} + \frac{N_{R2} - 1}{P_{A1}} + \dots + \frac{N_{Rn} - 1}{P_{A1} \times P_{A2} \times \dots \times P_{A(n-1)}}$$



Ex 1.4

A three stage amplifier has a 3 dB bandwidth of 200 kHz determined by an LC tuned circuit at its input, and operates at 22°C. The first stage has a power gain of 14 dB and a NF of 3 dB. The second and third stages are identical, with power gains of 20 dB and NF = 8 dB. The output load is 300  $\Omega$ . The input noise is generated by a 10 k $\Omega$  resistor. Calculate

- (a) The noise voltage and power at the input and the output of this system
- (b) The overall noise figure for the system
- (c) The actual output noise voltage and power.



$$P_{\text{noise out}} = P_{\text{noise in}} \times P_g$$

$\uparrow$   $\uparrow$   
 $KT \Delta f$   $\uparrow$  Anti log Total gain dB  
 $\uparrow$   
 $\frac{\pi}{2} BW$

$$\Delta f = \frac{\pi}{2} BW = \frac{3.14}{2} \times 200 \times 10^3 = 3.14 \times 10^5 \text{ Hz}$$

$$P_{\text{noise}} = KT \Delta f = 1.38 \times 10^{-23} \times (273 + 22) \times 3.14 \times 10^5$$

$$= 1.28 \times 10^{-15} \text{ W}$$



$$P_n = \text{Anti. log } \frac{dB}{10} \quad (7)$$

$$\text{Total power gain} = 14 + 20 + 20 = 54 \text{ dB}$$

$$\therefore P_n = \text{Anti Log } \frac{54 \text{ dB}}{10} = 2.51 \times 10^5$$

$$\begin{aligned} \therefore P_{\text{noise out}} &= P_{\text{noise in}} \times P_G \\ &= 2.51 \times 10^5 \times 1.28 \times 10^{-15} \text{ W} \\ &= 3.22 \times 10^{-10} \text{ W} \end{aligned}$$

$$\begin{aligned} \text{Noise voltage } e_{\text{noise}} &= \sqrt{4kT \Delta f R} \\ \text{Input} &= \sqrt{4 \times 1.38 \times 10^{-23} \times (293 + 22) \times 3.14 \times 10^3} \\ &= 7.15 \text{ pV} \end{aligned}$$

$$\begin{aligned} \text{Noise voltage at output} &\Rightarrow \sqrt{P_{\text{noise out}} \times R_{\text{out}}} = e_{\text{noise out}} \\ e_{\text{noise out}} &= \sqrt{3.22 \times 10^{-10} \times 300} = 0.311 \text{ mV} \end{aligned}$$

(b) overall noise figure

$$P_{G1} = \text{Anti log } \frac{\text{Gain 1}}{10} = \text{Anti log } \frac{14}{10} = 25.1$$

$$P_{G2} = P_{G3} = \text{Anti log } \frac{\text{Gain 2} = 3}{10} = \text{Anti log } \frac{20}{10} = 100$$

$$Nf_1 = 3 \text{ dB} \rightarrow NR_1 = \text{Anti log } \frac{Nf_1}{10} = \text{Anti log } \frac{3}{10} = 2$$

$$\begin{aligned} Nf_2 = Nf_3 = 8 \text{ dB} \rightarrow NR_2 = NR_3 &= \text{Anti log } \frac{Nf_2 \text{ OR } Nf_3}{10} \\ &= \text{Anti log } \frac{8}{10} = 6.31 \end{aligned}$$



(2)

$$NR = NR_1 + \frac{NR_2 - 1}{PA_1} + \dots + \frac{NR_m - 1}{PA_1 PA_2 \dots PA_{(m-1)}}$$

$$= NR_1 + \frac{NR_2 - 1}{PA_1} + \frac{NR_3 - 1}{PA_1 PA_2 \dots PA_{(3-1)}}$$

$$= NR_1 + \frac{NR_2 - 1}{PA_1} + \frac{NR_2}{PA_1 PA_2}$$

$$= 2 + \frac{6.31 - 1}{25.1} + \frac{6.31 - 1}{25.1 \times 100}$$

$$= 2.212$$

overall noise NF =  $10 \log NR$

$$= 10 \log 2.212$$

$$= 3.45 \text{ dB}$$

$$NR = \frac{N_0}{w_i \times PA_i}$$

$$2.212 = \frac{N_0}{1.22 \times 10^{-15} \times 2.51 \times 10^5} \Rightarrow N_0 = 7.11 \times 10^{-16} \text{ W}$$

$$e_n = \sqrt{N_0 \times R_{out}} = \sqrt{7.11 \times 10^{-16} \times 300}$$

$$= 0.462 \text{ mV}$$



# Information and bandwidth

## Hartley's law

Information  $\propto$  bandwidth  $\times$  time of transmission

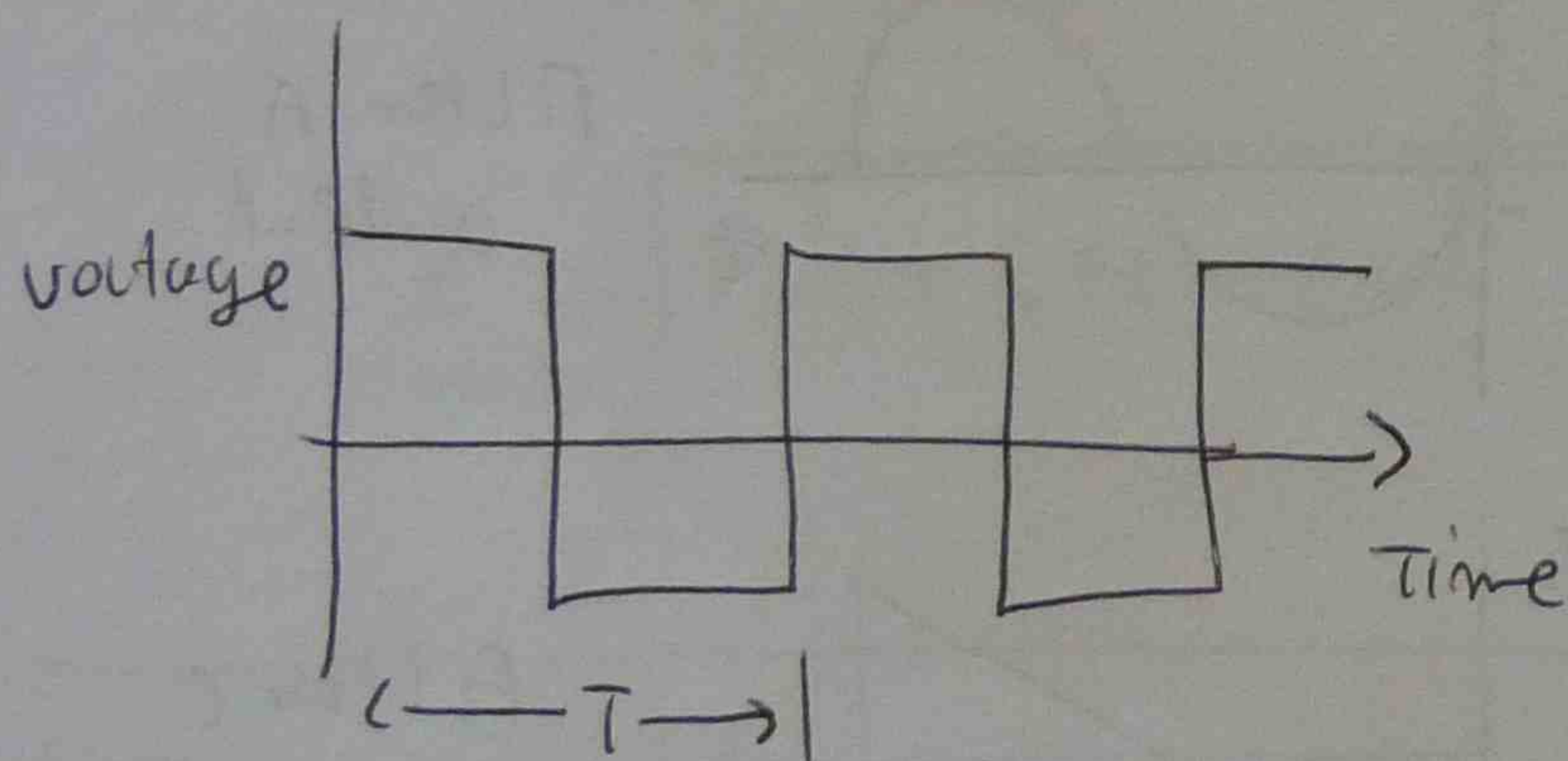
## Non sinusoidal wave forms

Tv channel - a bandwidth 600 times the allowed AM bandwidth

Video signal - A pulse type waveform and a pulse waveform at one frequency requires a much larger bandwidth for transmission than a sinusoidal waveform of the same frequency.

Non sinusoidal repetitive wave forms  $\longrightarrow$  Sinusoidal co-sinusoidal components.

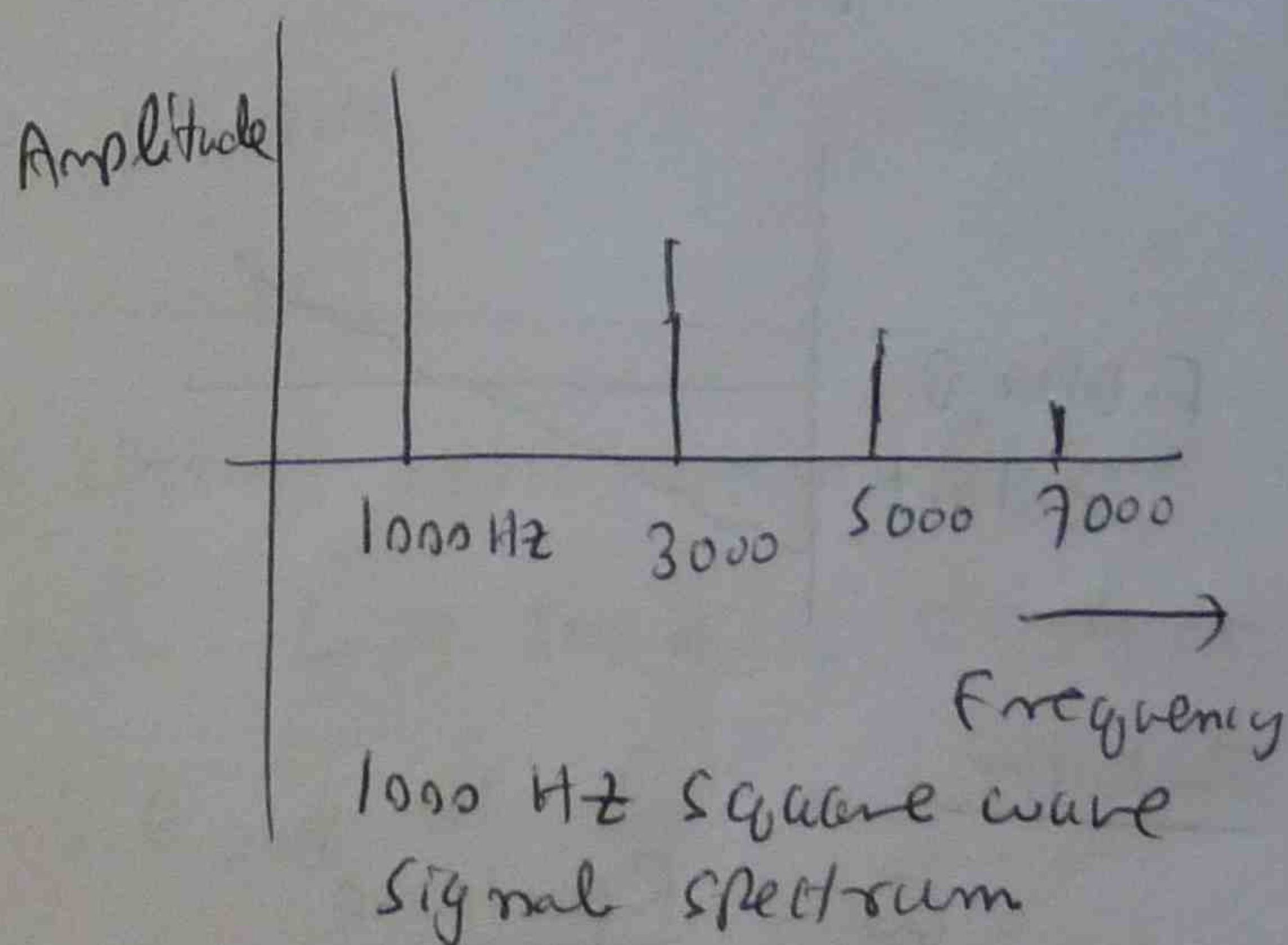
### TIME DOMAIN



$$f = \frac{1}{T} = 1000 \text{ Hz}$$

1000 Hz Square wave

### Frequency Domain





(10)

### Filter (A)

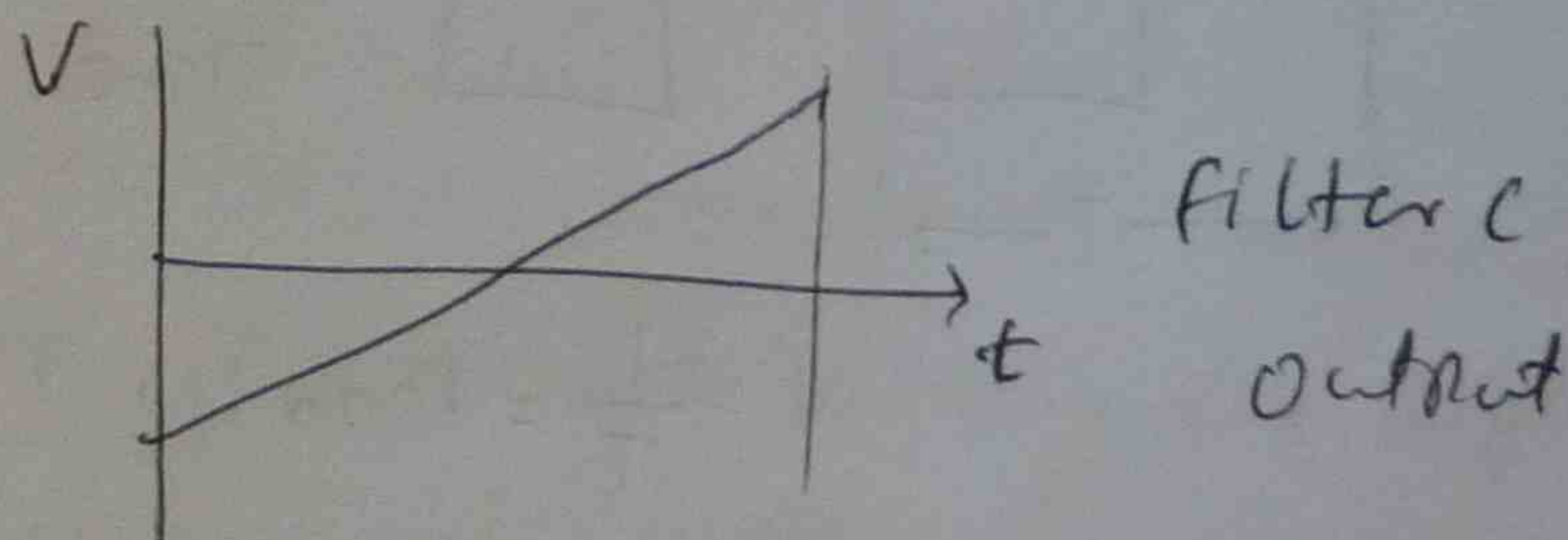
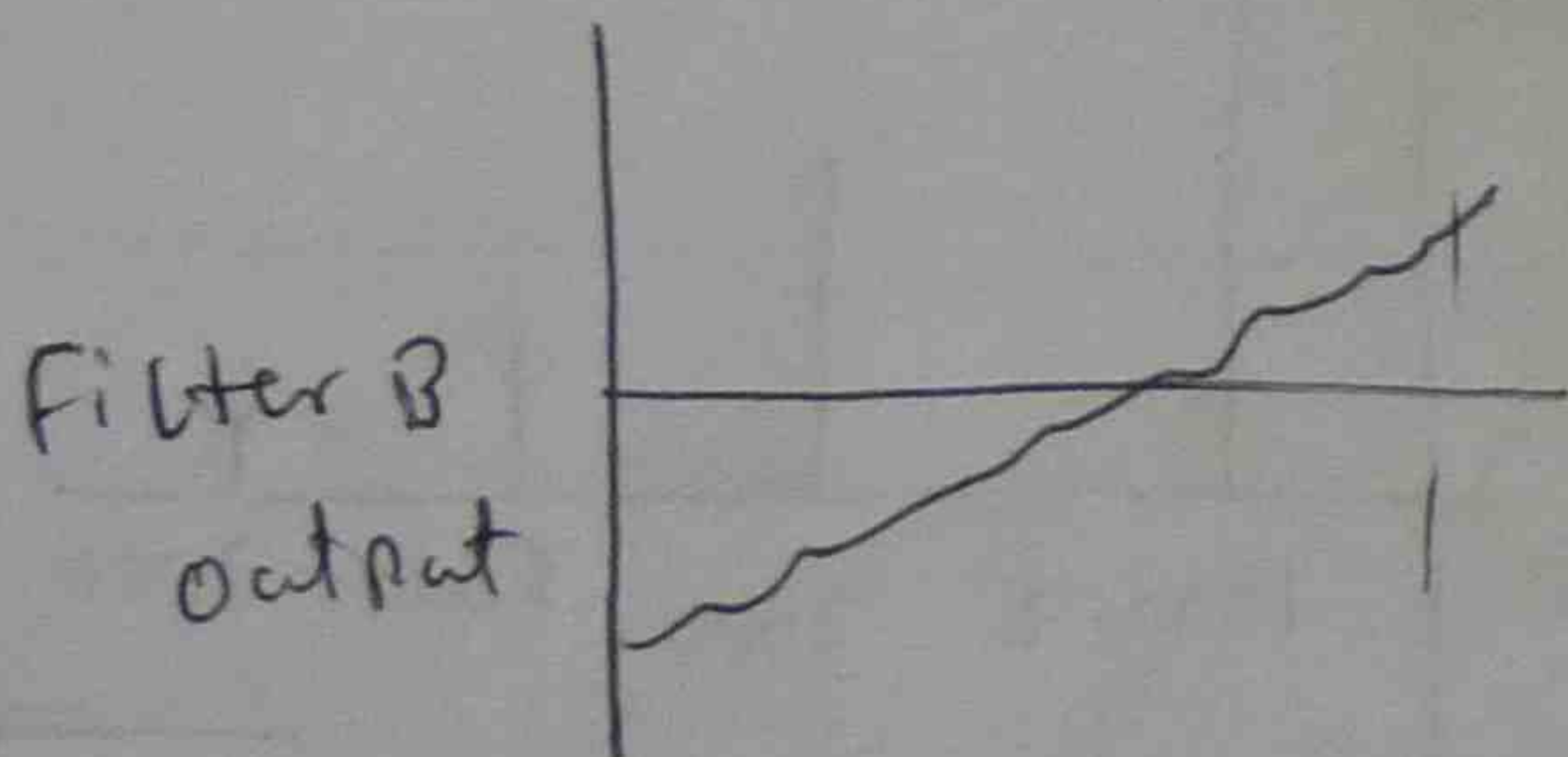
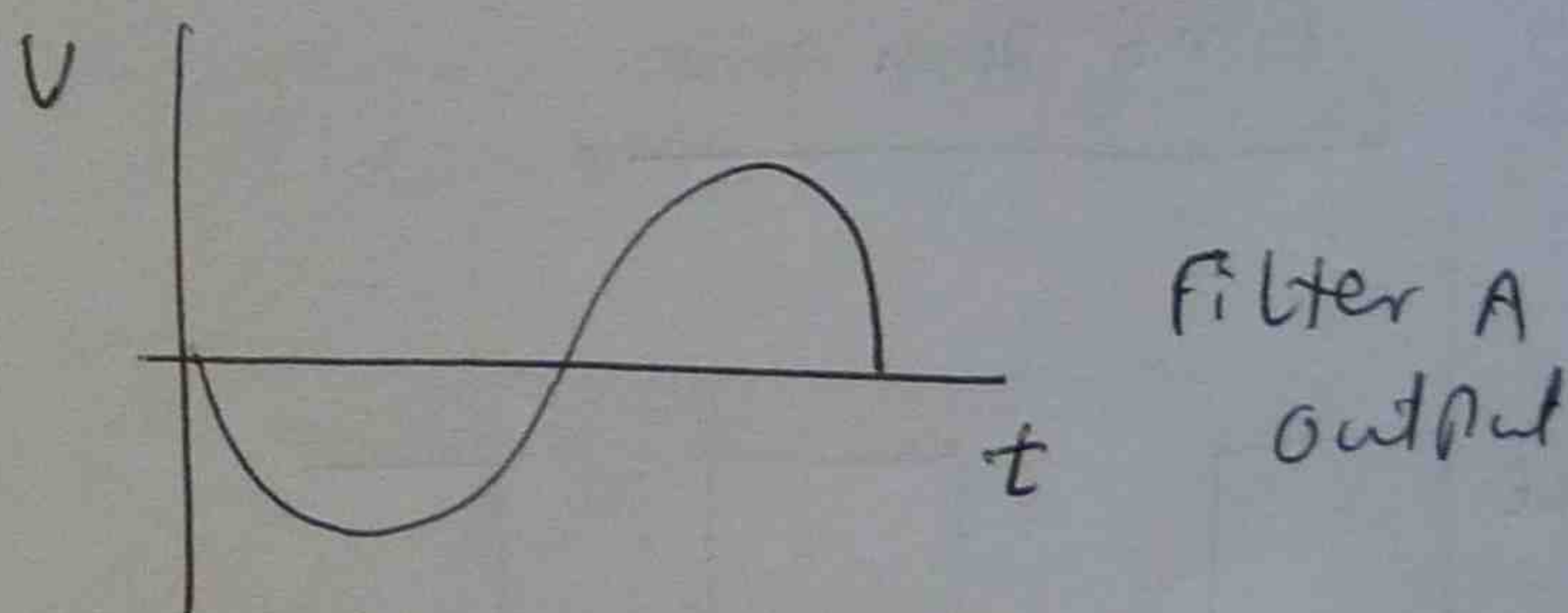
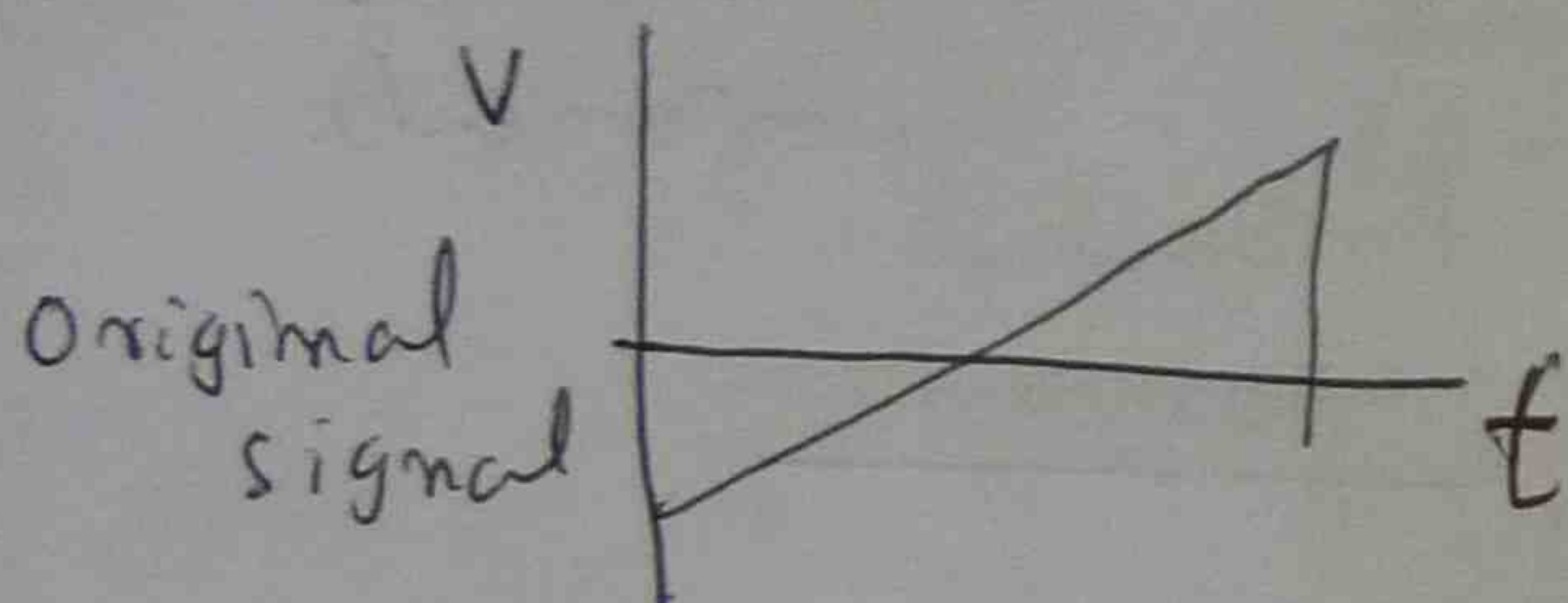
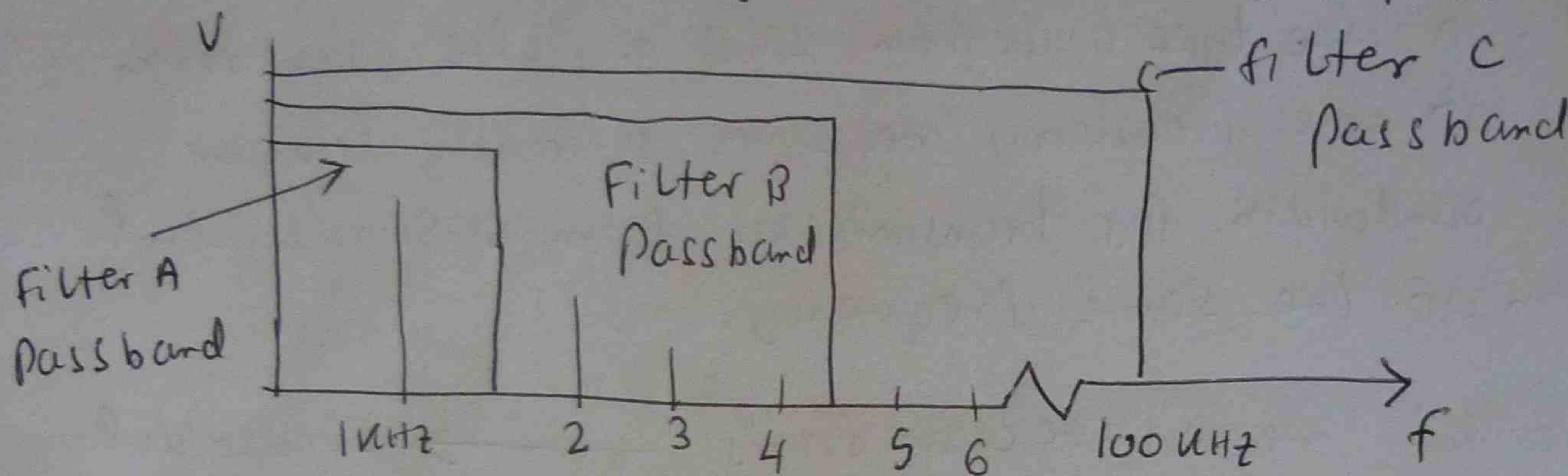
Fully passed away a sine wave at 1 kHz  
No output at 2 kHz

### Filter (B)

Passing sawtooth + first four harmonics.

### Filter (C)

All of the significant harmonics to pass.



### Inductor

$$Q = \frac{\text{Reactance}}{\text{Resistance}} = \frac{\omega L}{R}$$

### Capacitor

$$Q = \frac{\text{Susceptance}}{\text{conductance}} = \frac{\omega C}{G}$$

$$\text{Resonance} \\ X_L = X_C$$

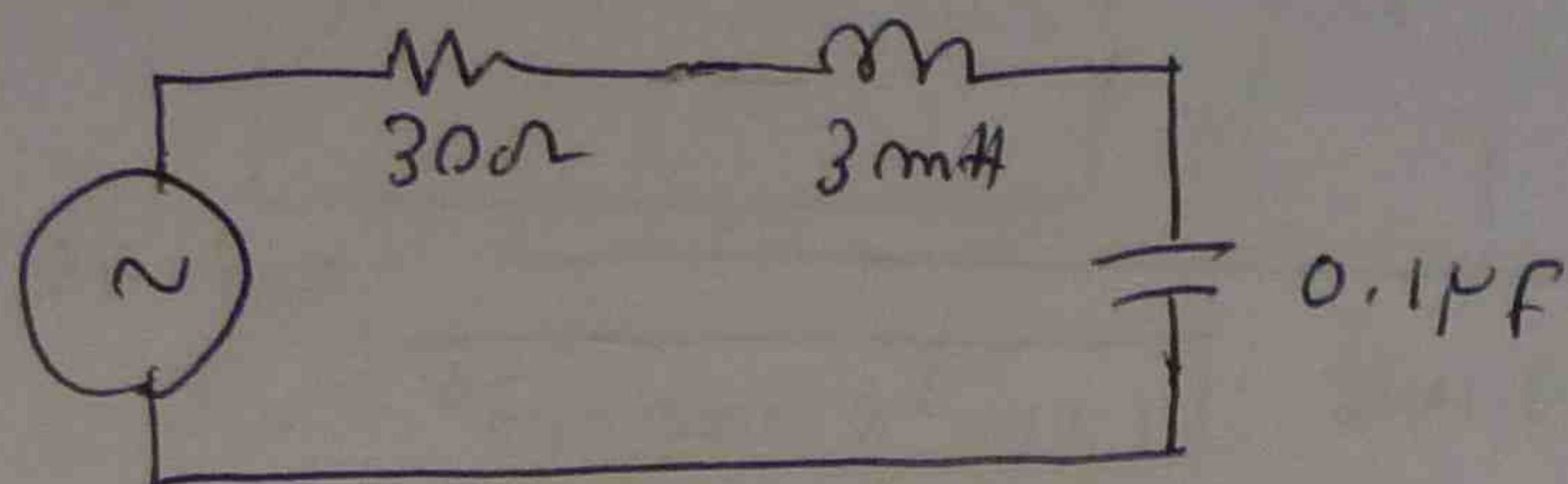
$$Z = \sqrt{R^2 + (X_L - X_C)^2}$$



(11)

Ex

Determine the resonant frequency for the circuit shown in Fig 1.14 calculate its impedance when  $f = 12 \text{ kHz}$



$$f_r = \frac{1}{2\pi \sqrt{3\text{mH} \times 0.1\mu\text{F}}}$$

$$= 9.14 \text{ kHz}$$

at 12 kHz

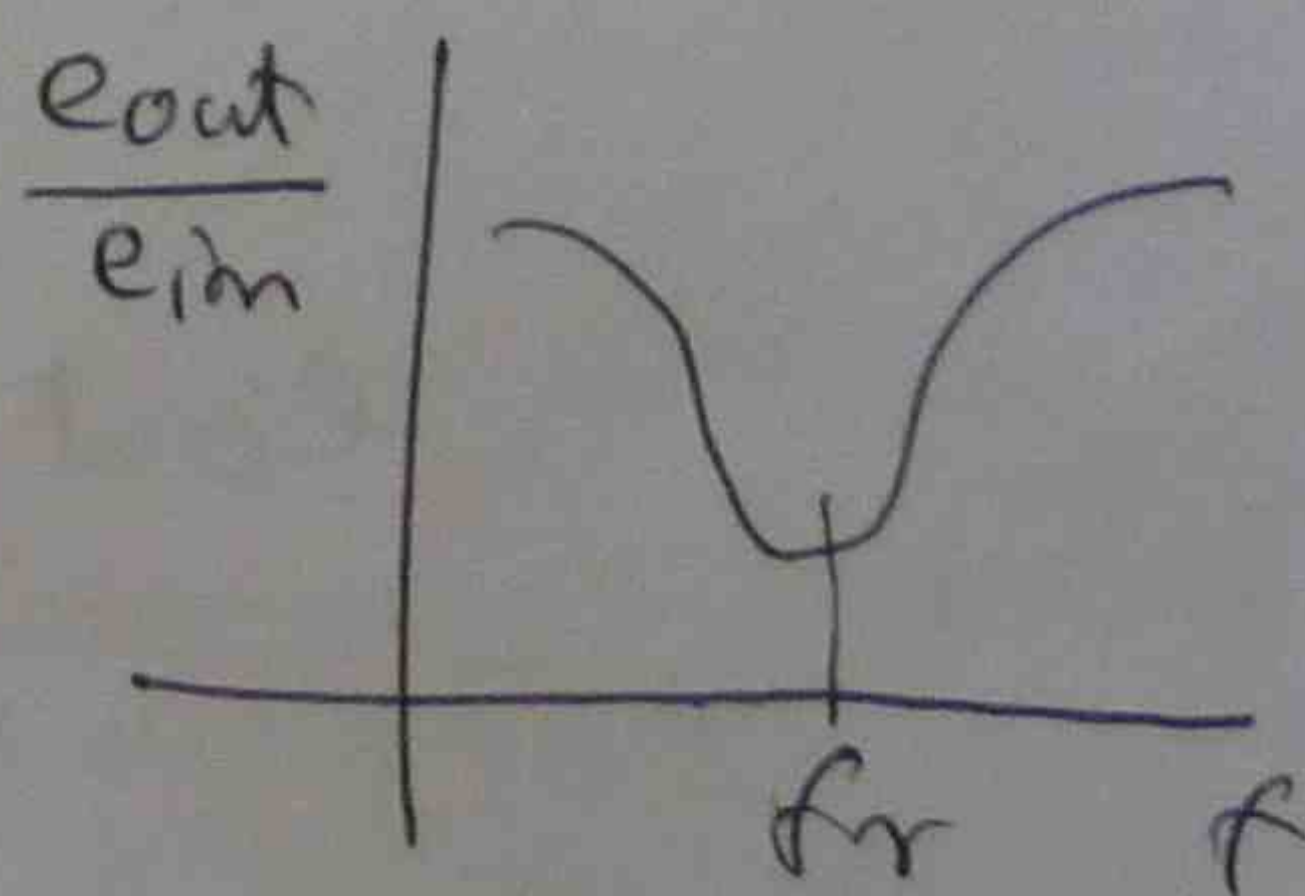
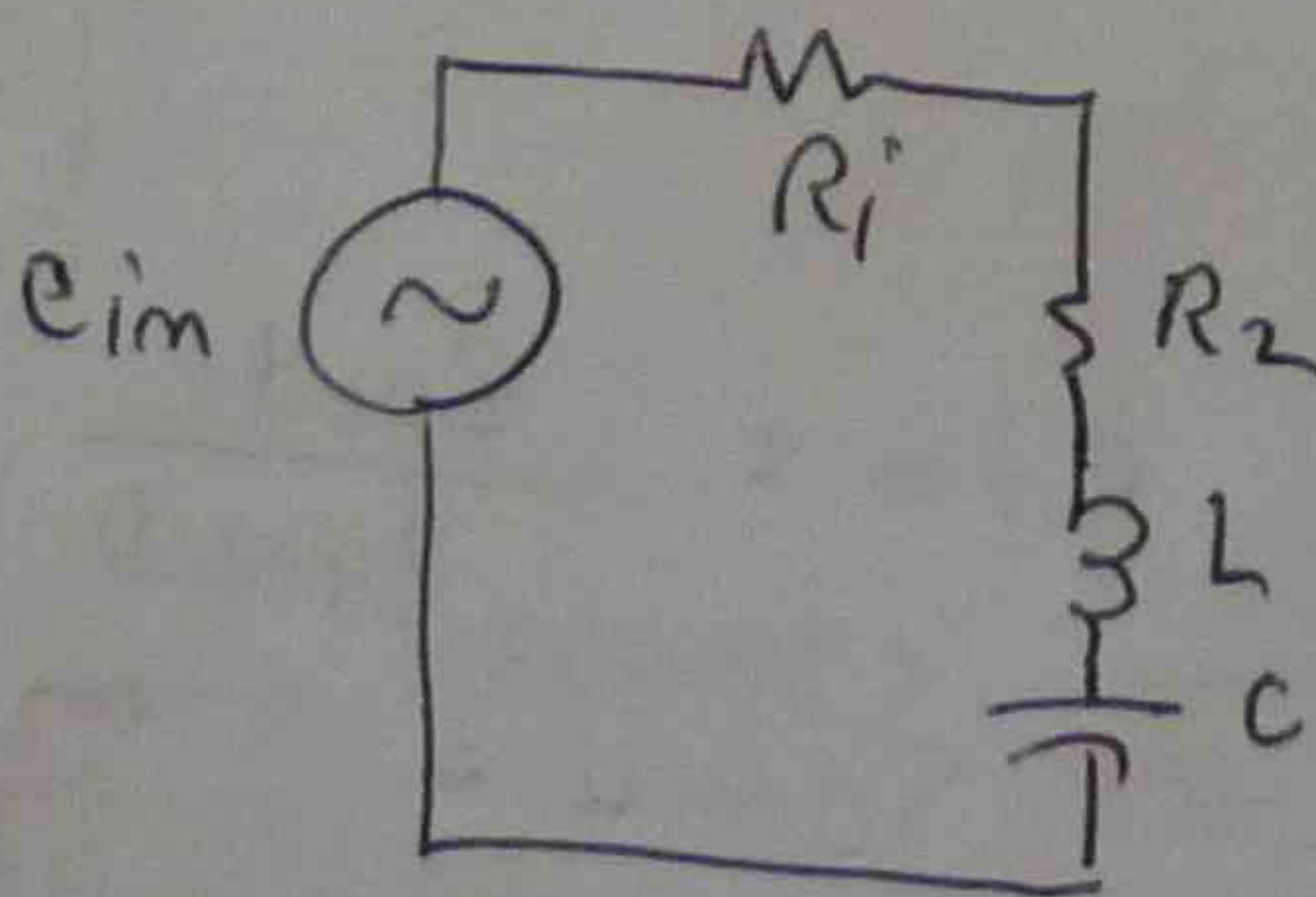
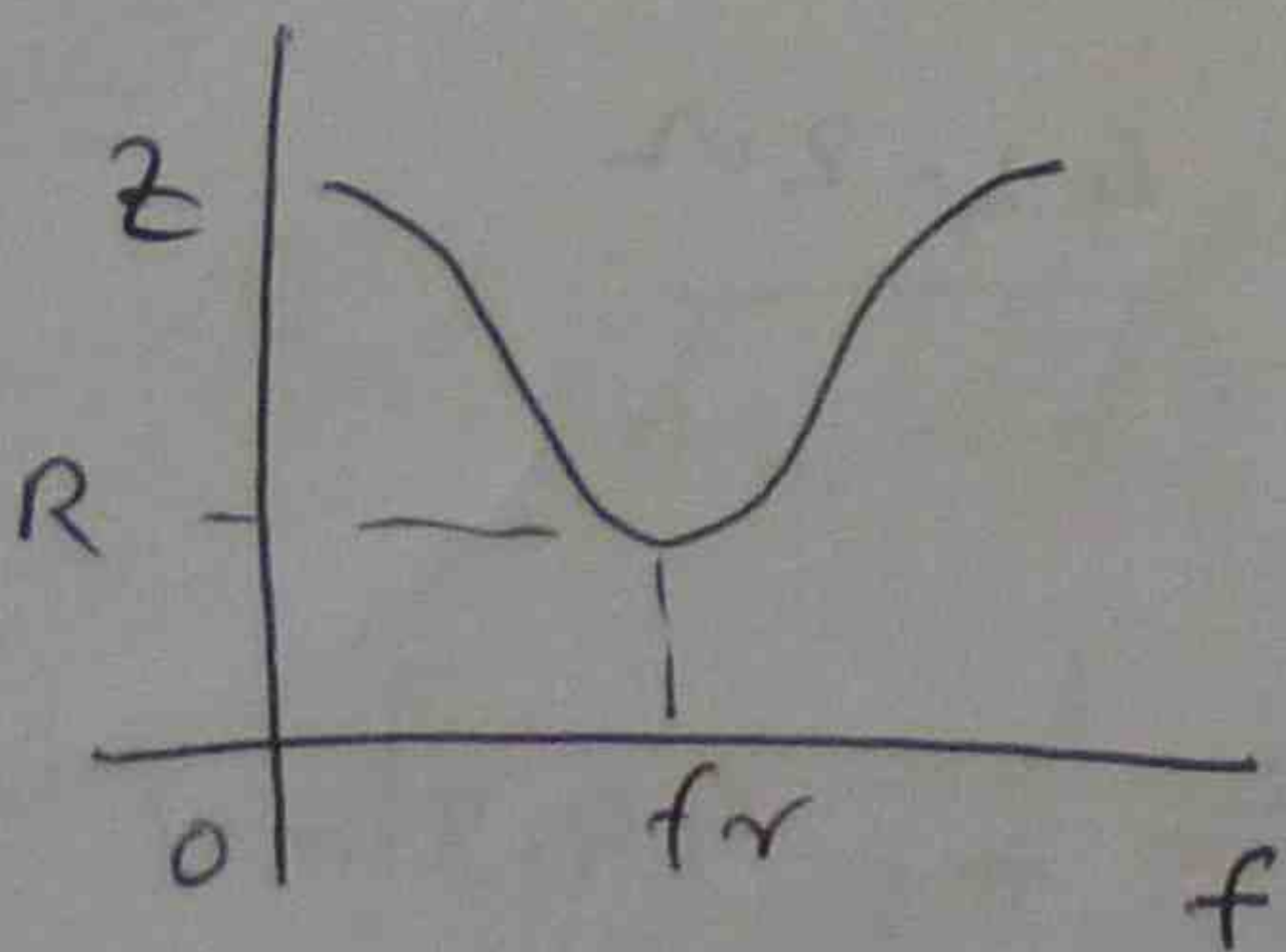
$$X_L = 2\pi fL = 2\pi \times 12 \text{ kHz} \times 3\text{mH} = 226\Omega$$

$$X_C = \frac{1}{2\pi fC} = \frac{1}{2\pi \times 12 \text{ kHz} \times 0.1\mu\text{F}} = 133\Omega$$

$$Z = \sqrt{R^2 + (X_L - X_C)^2} = \sqrt{30^2 + (226 - 133)^2} = 97.7\Omega$$

Ex

determine  $f_r$  for the circuit shown in figure when  $R_1 = 20\Omega$ ,  $R_2 = 1\Omega$ ,  $L = 1\text{mH}$ ,  $C = 0.4\mu\text{F}$ ,  $e_{im} = 50\text{mV}$ . calculate  $e_{out}$  at  $f_r$  and  $12 \text{ kHz}$





(12)

$$e_{out} = e_{in} \times \frac{R_2}{R_1 + R_2}$$

$$f_r = \frac{1}{2\pi\sqrt{LC}}$$

$$Z_t = \sqrt{(R_1 + R_2)^2 + (X_L - X_C)^2}$$

$$f_r = \frac{1}{2\pi\sqrt{LC}} = \frac{1}{2 \times 3.1416 \sqrt{1 \times 10^{-3} \times 0.4 \times 10^{-6}}} = 7.96 \text{ kHz}$$

At resonance

$$e_{out} = e_{in} \times \frac{R_2}{R_2 + R_1} = 50 \text{ mV} \times \frac{1\Omega}{1\Omega + 20\Omega} = 2.38 \text{ mV}$$

At  $f = 12 \text{ kHz}$ 

$$X_L = 2\pi fL = 2 \times 3.1416 \times 12 \times 10^3 \times 1 \times 10^{-3} = 75.4\Omega$$

$$X_C = \frac{1}{2\pi fC} = \frac{1}{2 \times 3.1416 \times 12 \times 10^3 \times 0.4 \times 10^{-6}} = 33.2\Omega$$

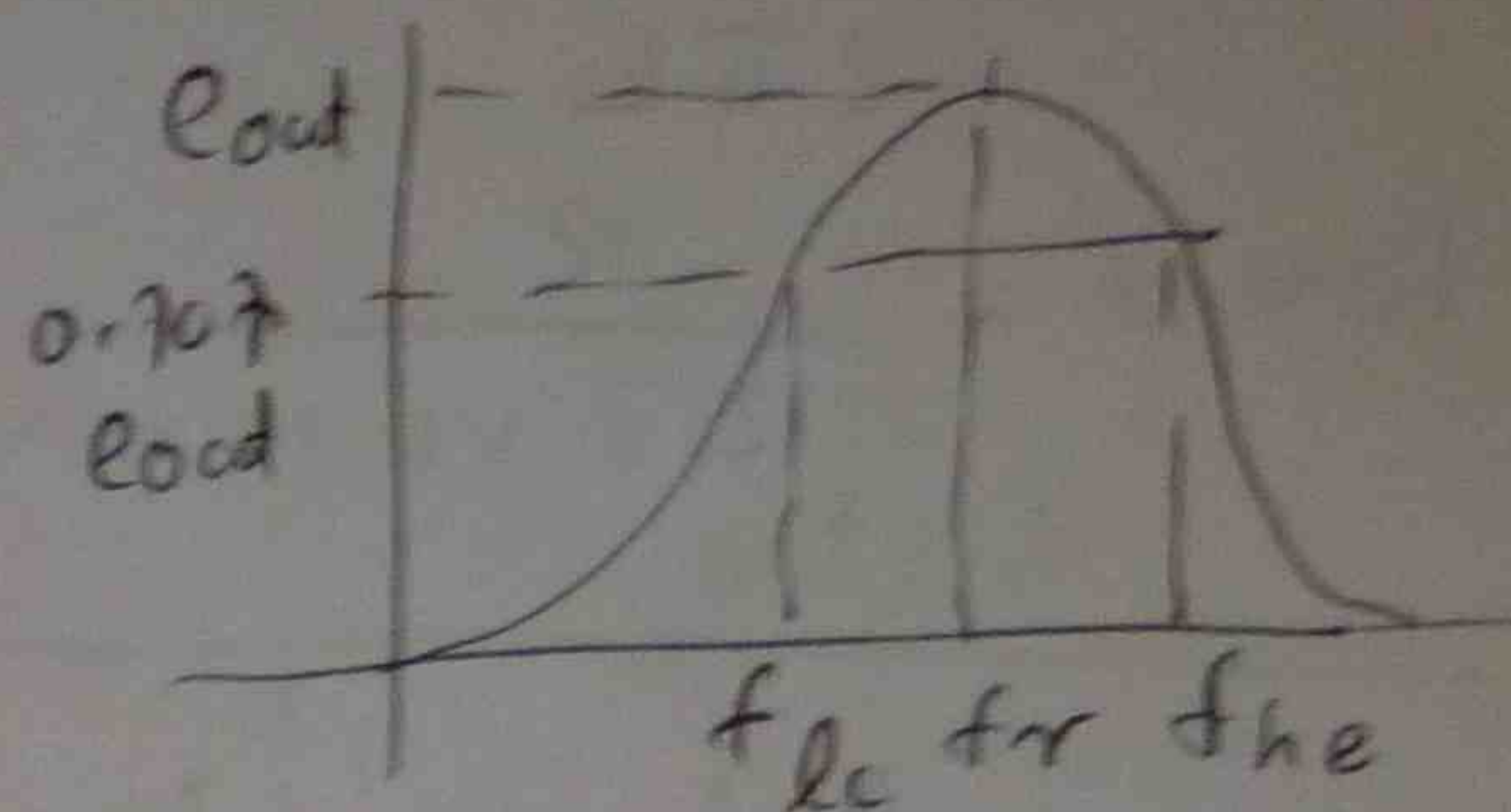
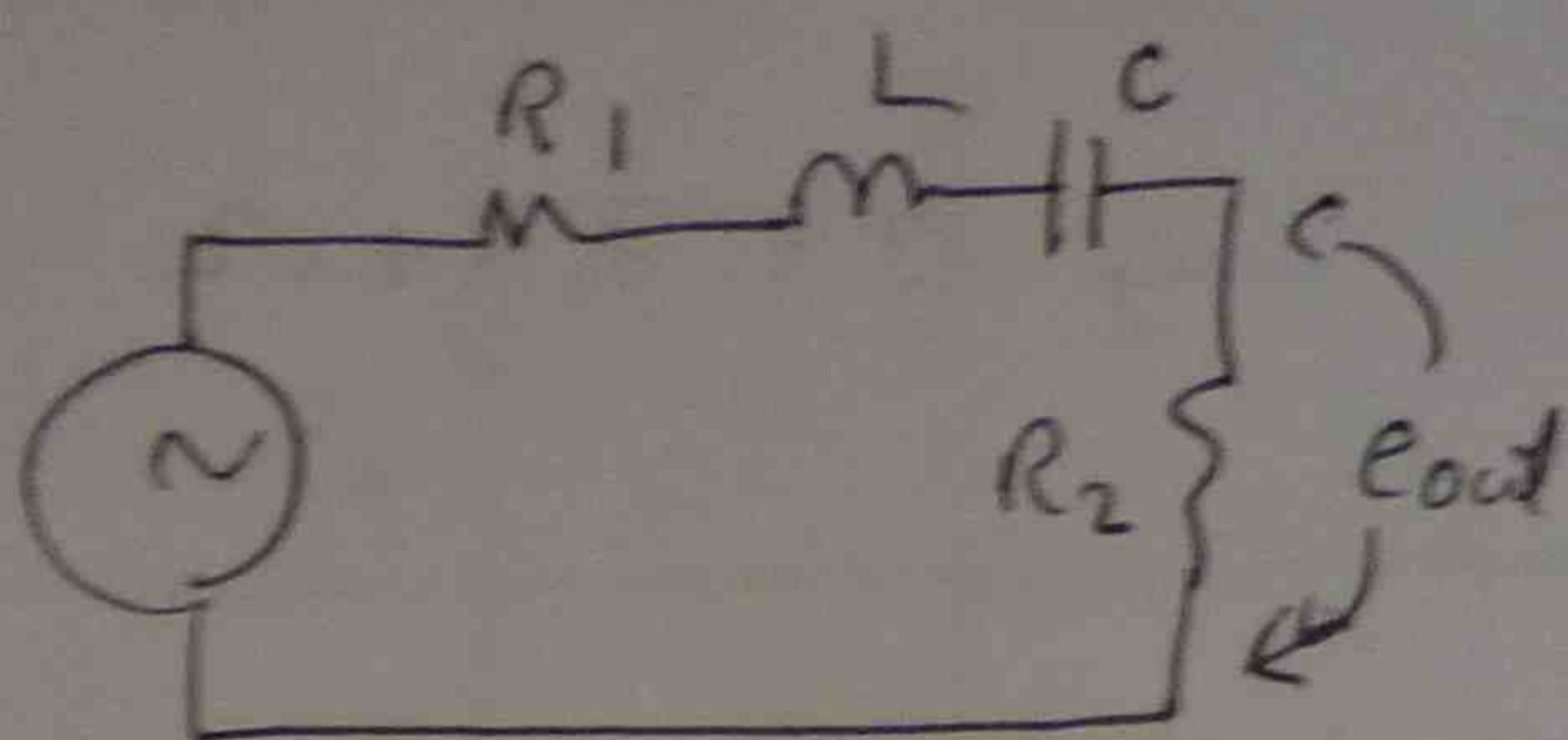
$$Z_{total} = \sqrt{(R_1 + R_2)^2 + (X_L - X_C)^2} = \sqrt{(20 + 1)^2 + (75.4 - 33.2)^2} = 47.1\Omega$$

$$Z_{out} = \sqrt{R_2^2 + (X_L - X_C)^2} = \sqrt{1^2 + (75.4 - 33.2)^2} = 42.2\Omega$$

$$e_{out} = e_{in} \times \frac{Z_{out}}{Z_{total}} = 50 \text{ mV} \times \frac{42.2}{47.1} = 44.8 \text{ mV}$$



(13)

LC Bandpass filter

$$BW = \frac{R}{2\pi L}$$

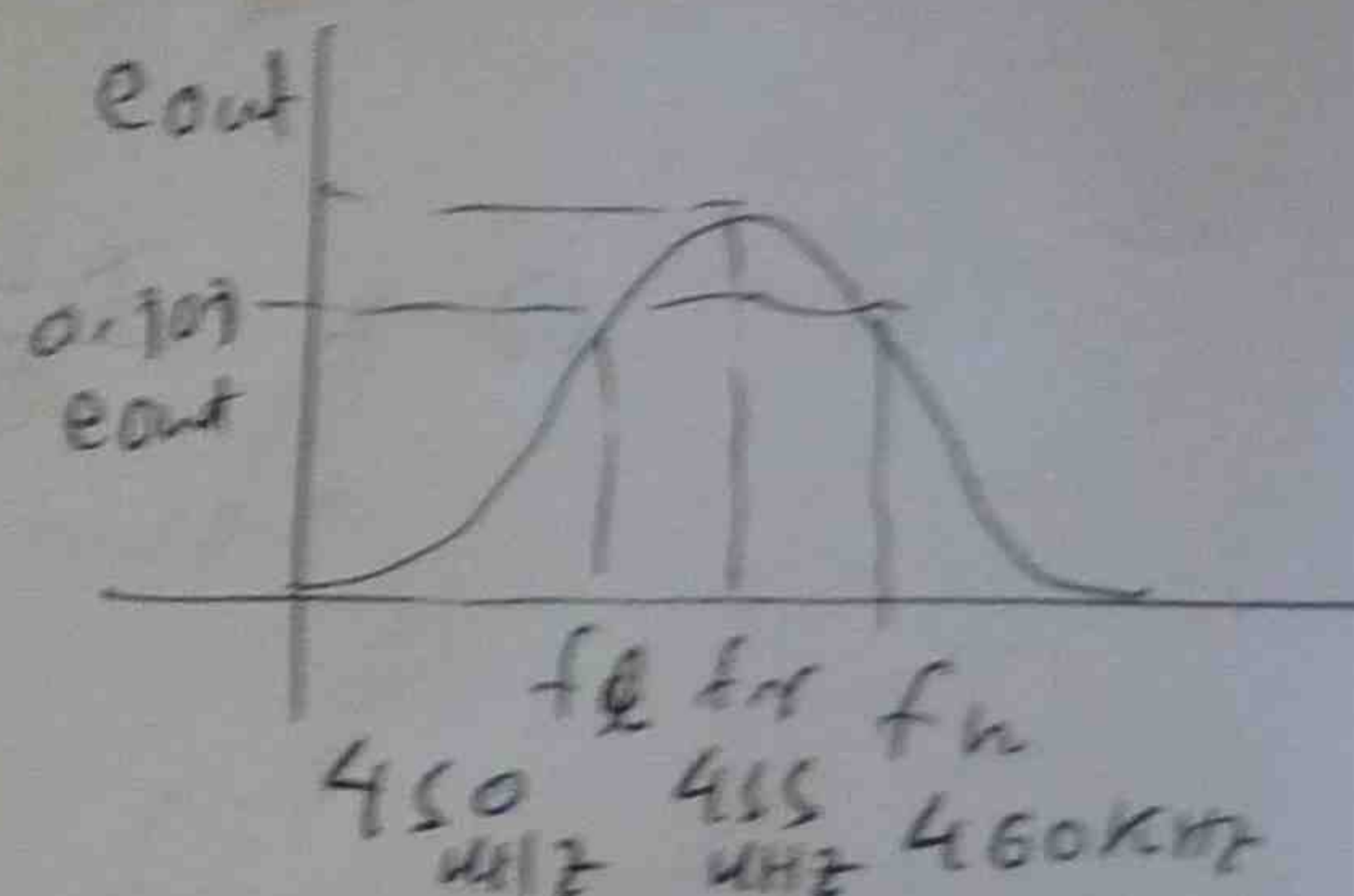
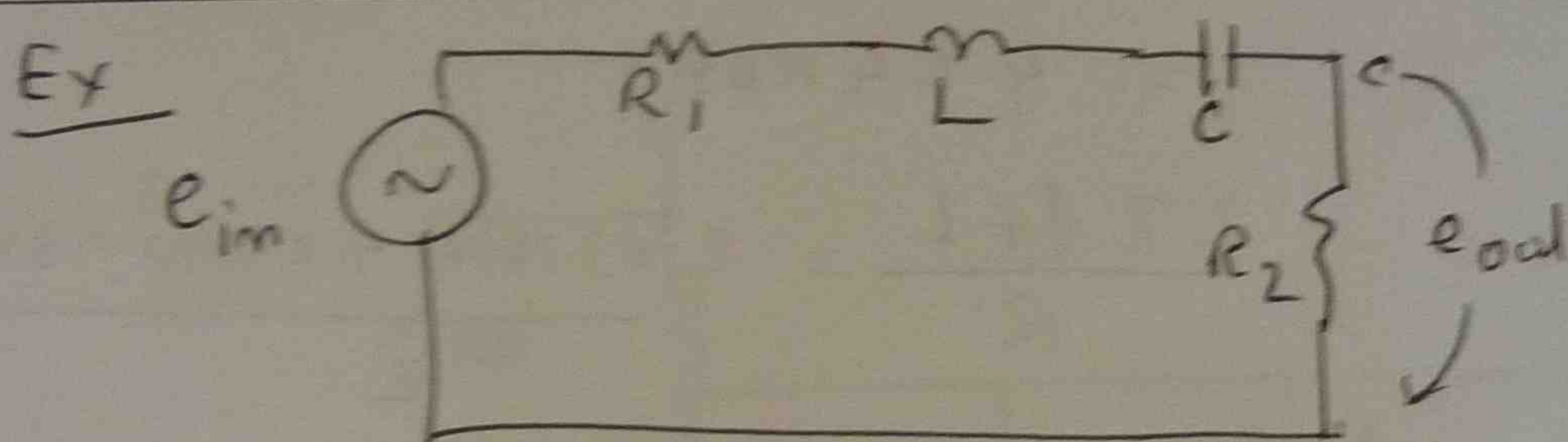
$BW$  = bandwidth (Hz)

$R$  = total circuit resistance

$L$  = circuit inductance

$$Q = \frac{f_r}{BW}$$

$$Q = \frac{\omega L}{R}$$



A filter circuit of the form ~~at~~ has a response as

shown in fig. determine

(a) The bandwidth (b) The  $Q$  (c) The value of

inductance if  $C = 0.001 \mu F$  (d) The total circuit resistance.

(a)  $BW = f_h - f_l = 460 - 450 = 10 \text{ Hz}$

(b)  $Q = \frac{f_r}{BW} = \frac{455 \text{ kHz}}{(460 - 450)} = 45.5$

$Q = \frac{f_r}{f_h - f_l}$

(c)  $f_r = \frac{1}{2\pi \sqrt{LC}} \rightarrow 455 \text{ kHz} = \frac{1}{2\pi \sqrt{L \times 0.001 \times 10^{-6}}} \quad L = 0.12 \text{ mH}$



(14)

$$(d) \quad BW = \frac{R}{2\pi L}$$

$$10 \text{ kHz} = \frac{R}{2\pi \times 0.12 \text{ mH}}$$

$$\rightarrow R = 7.52 \Omega$$

Ex A parallel LC tank circuit is made up of an inductor of 3 mH and a winding resistance of 2  $\Omega$ . The capacitor is 0.47  $\mu\text{F}$ . Determine

(a)  $f_r$  (b)  $Q$  (c)  $Z_{\text{max}}$  (d)  $BW$

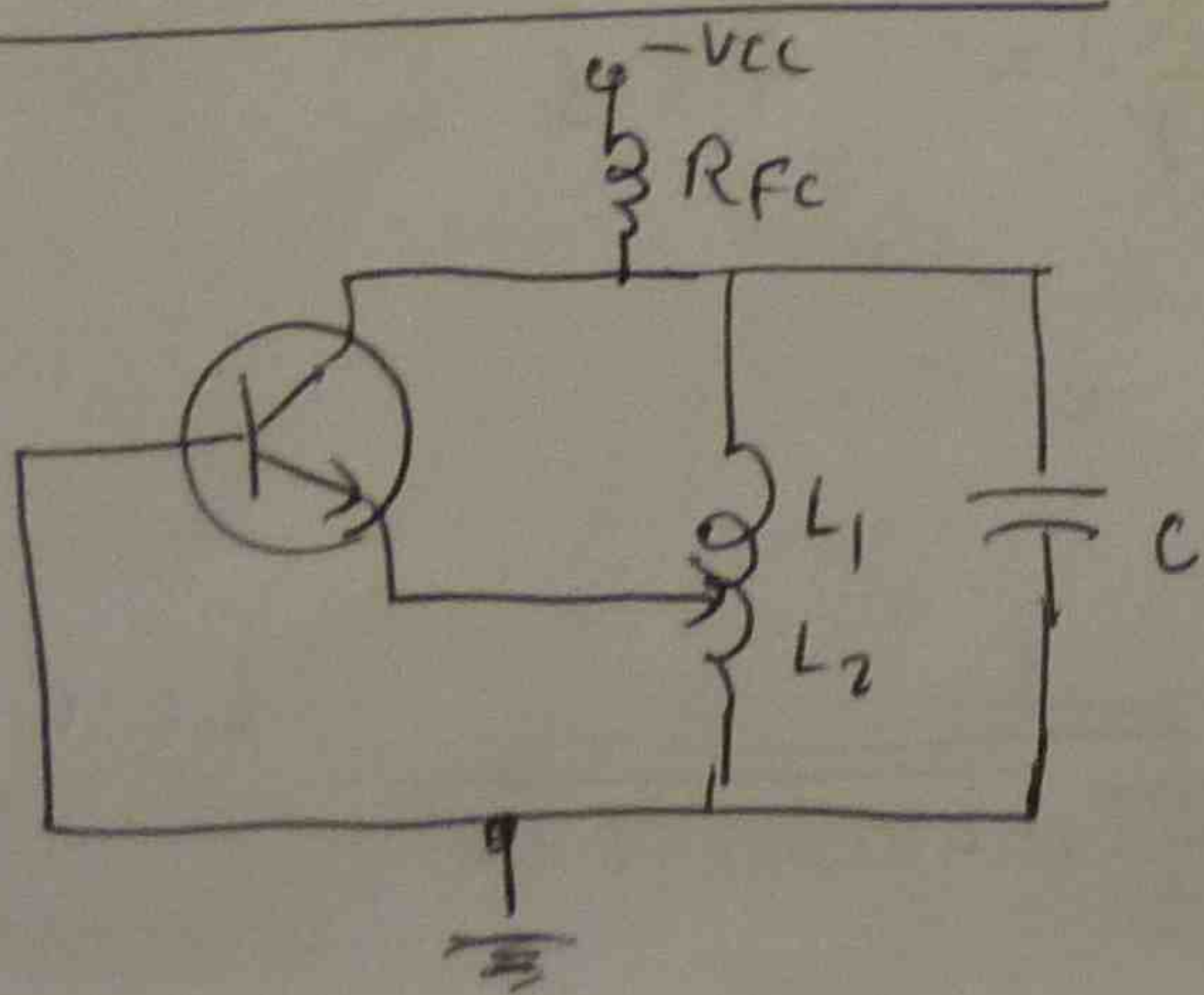
$$(a) \quad f_r = \frac{1}{2\pi \sqrt{LC}} = \frac{1}{2 \times 3.1416 \sqrt{3 \times 10^{-3} \times 0.47 \times 10^{-6}}} = 4.24 \text{ kHz}$$

$$(b) \quad Q = \frac{X_L}{R} = \frac{2\pi f_r L}{R} = \frac{2 \times 3.1416 \times 4.24 \times 10^3 \times 3 \times 10^{-3}}{2} = 39.9$$

$$(c) \quad Z_{\text{max}} = Q^2 \times R = (39.9)^2 \times 2 = 3.19 \text{ k}\Omega$$

$$(d) \quad BW = \frac{R}{2\pi L} = \frac{2 \Omega}{2 \times 3.1416 \times 3 \times 10^{-3}} = 106 \text{ Hz}$$

Hartley Oscillator

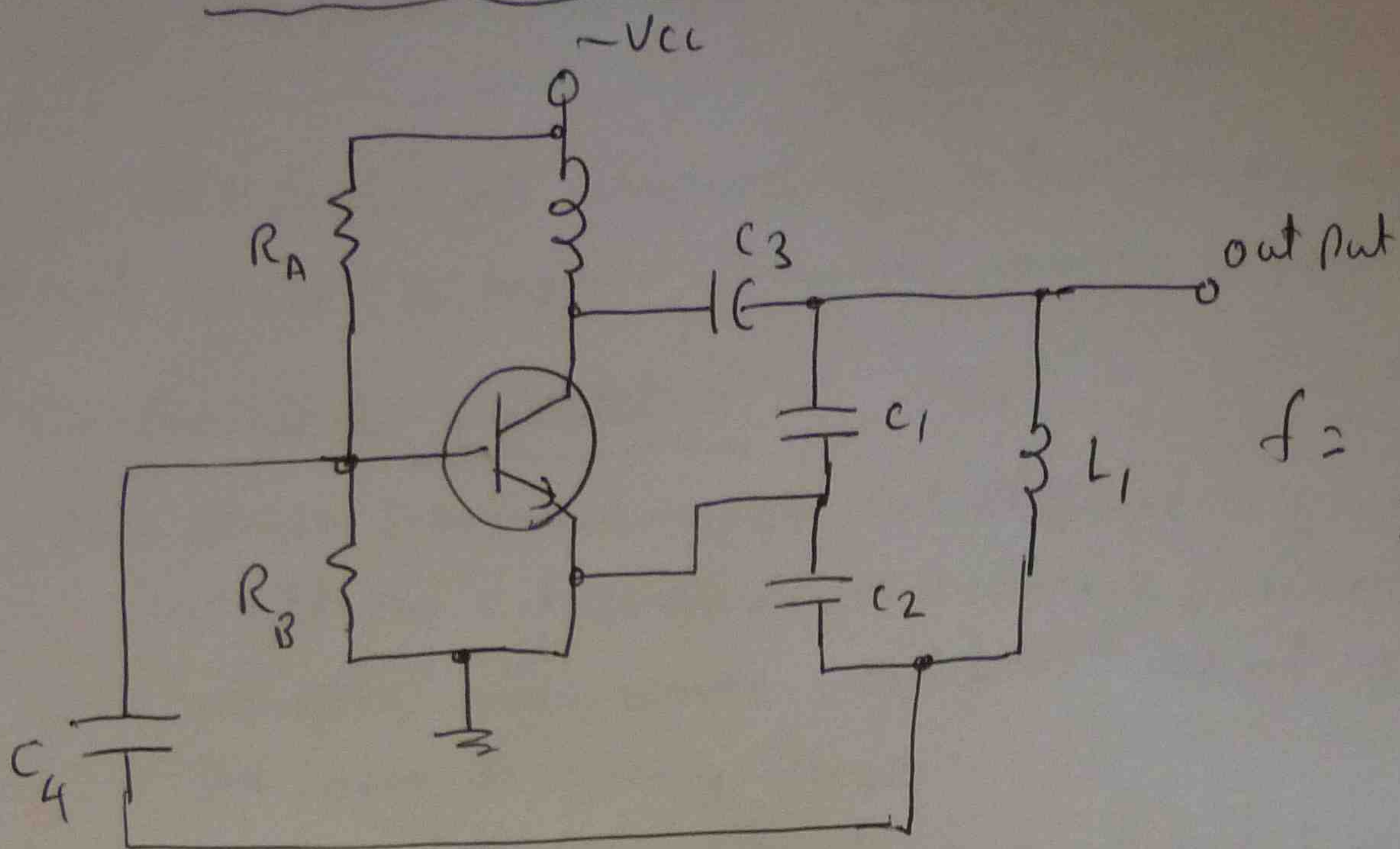


$$f = \frac{1}{2\pi \sqrt{(L_1 + L_2) C}}$$



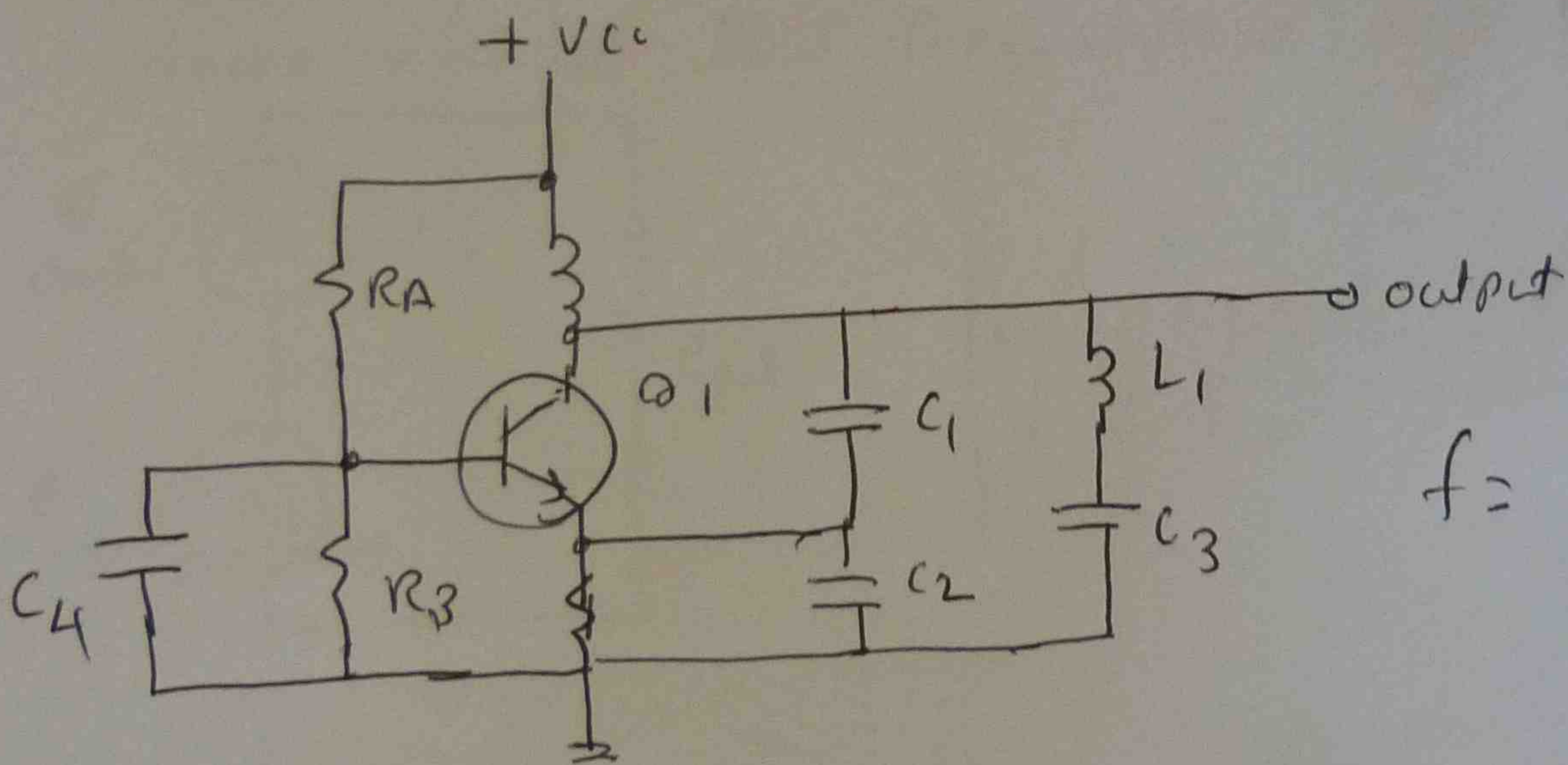
(15)

### Colpitts Oscillator



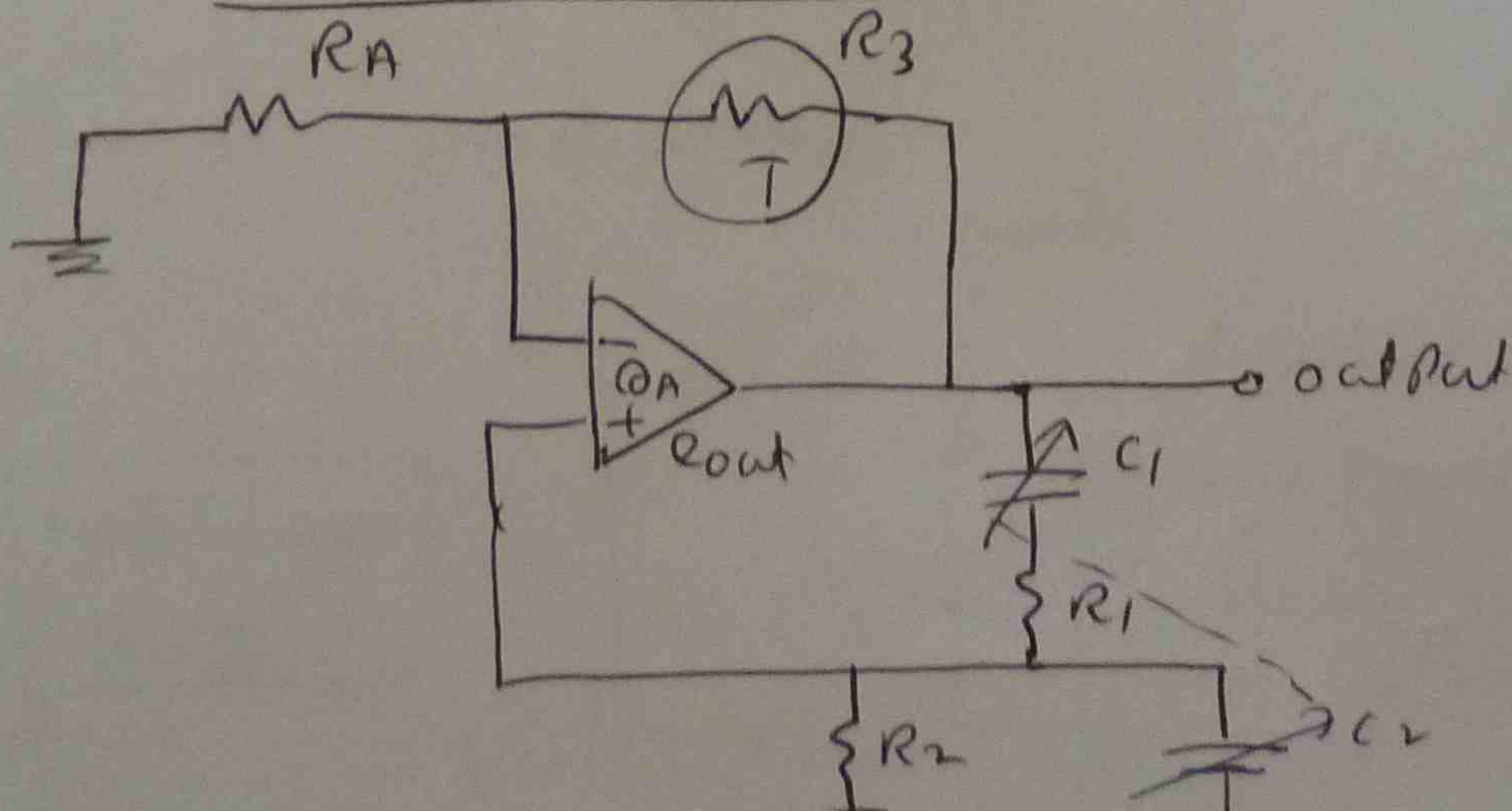
$$f = \frac{1}{2\pi \sqrt{C_1 C_2 / (C_1 + C_2) L_1}}$$

### Clapp Oscillator



$$f = \frac{1}{2\pi \sqrt{L_1 C_3}}$$

### Wien Oscillator



$$f = \frac{1}{18 R C}$$

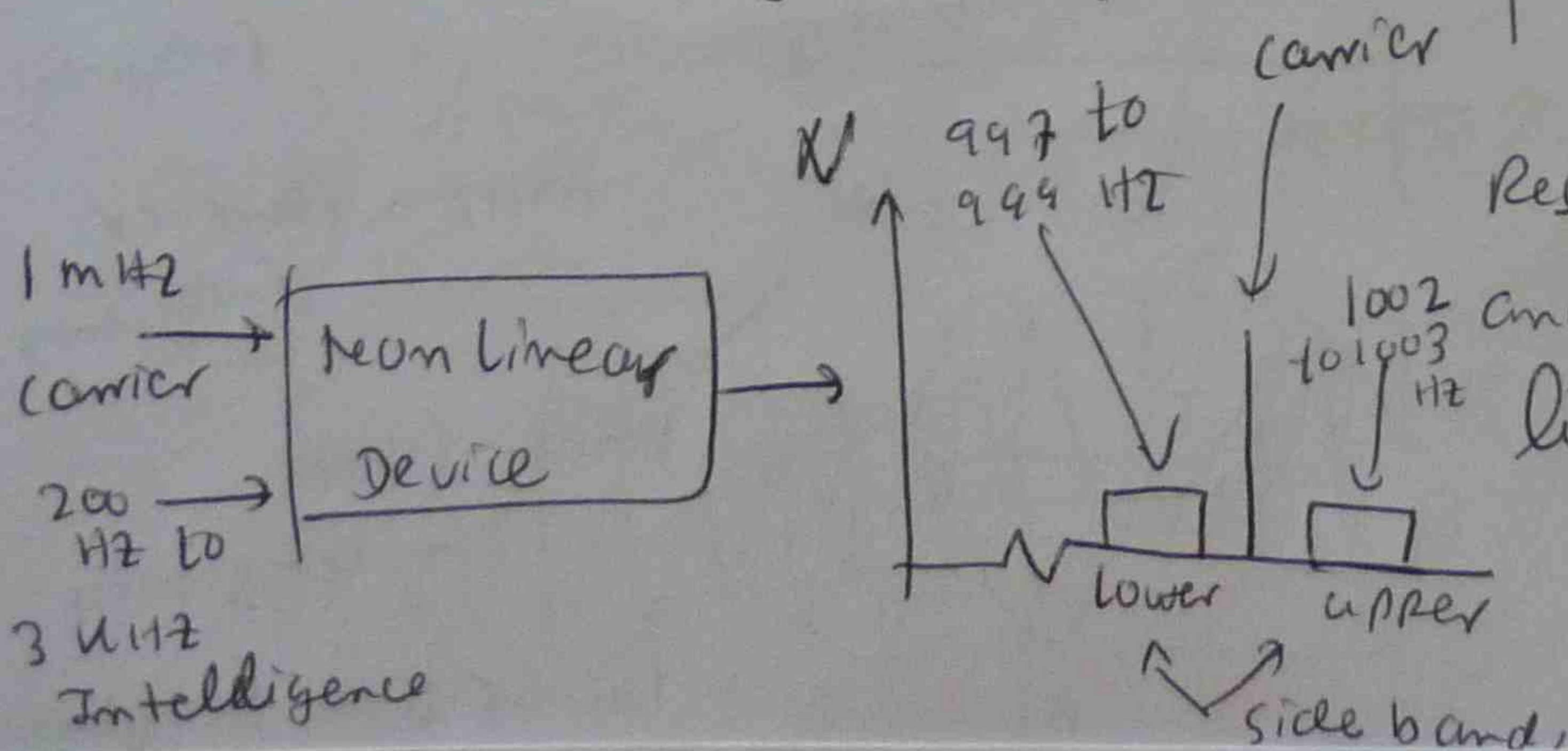
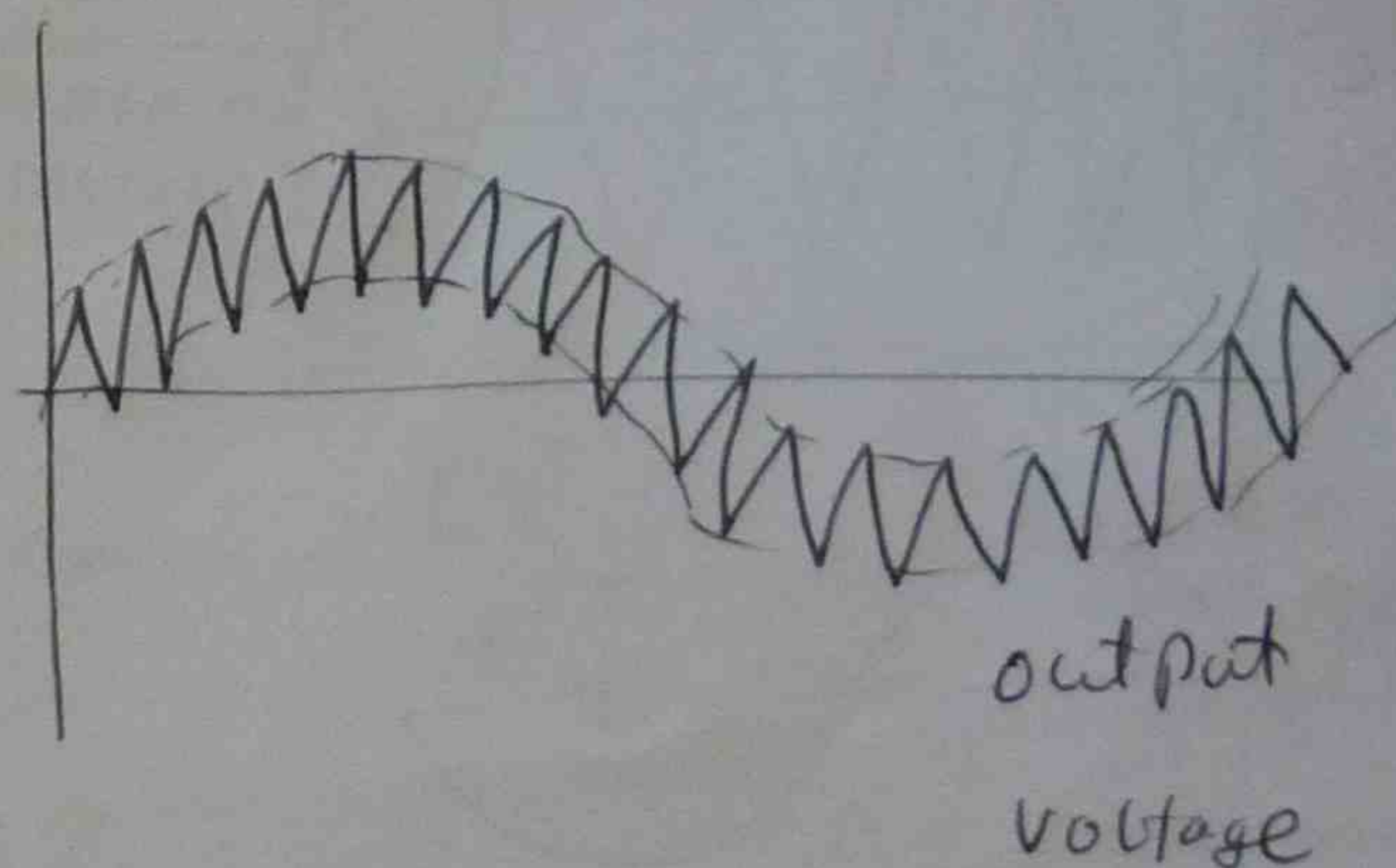
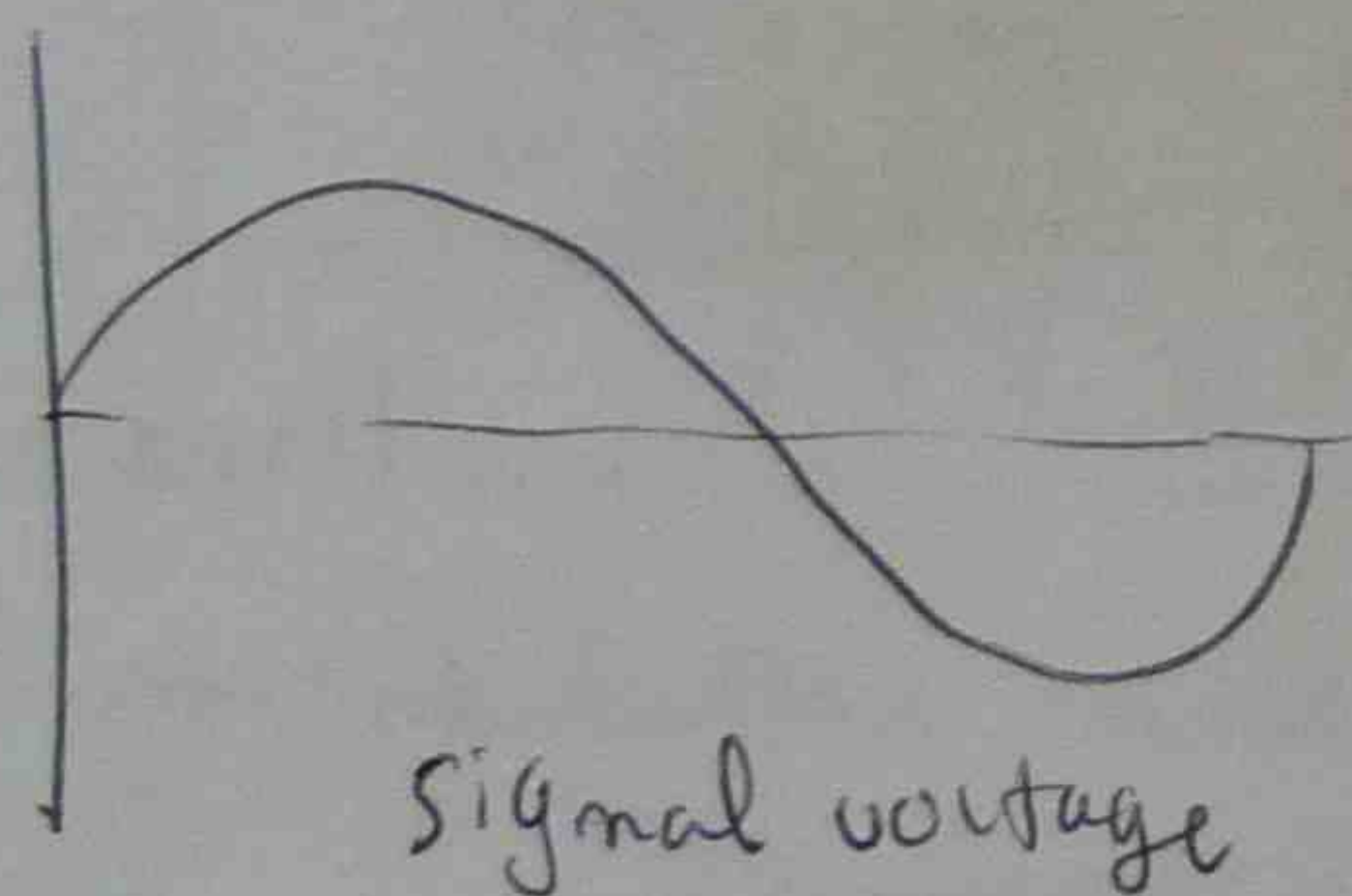
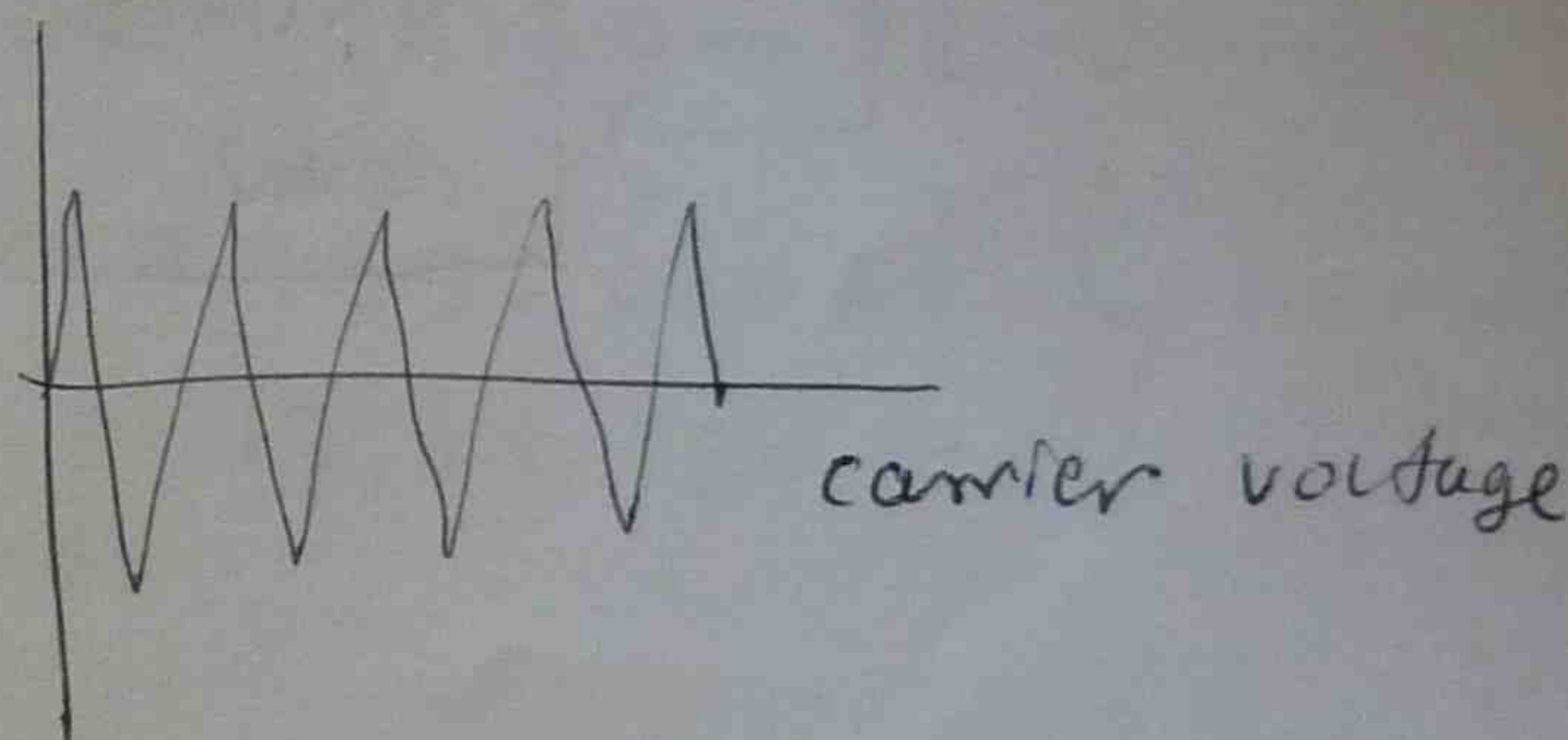
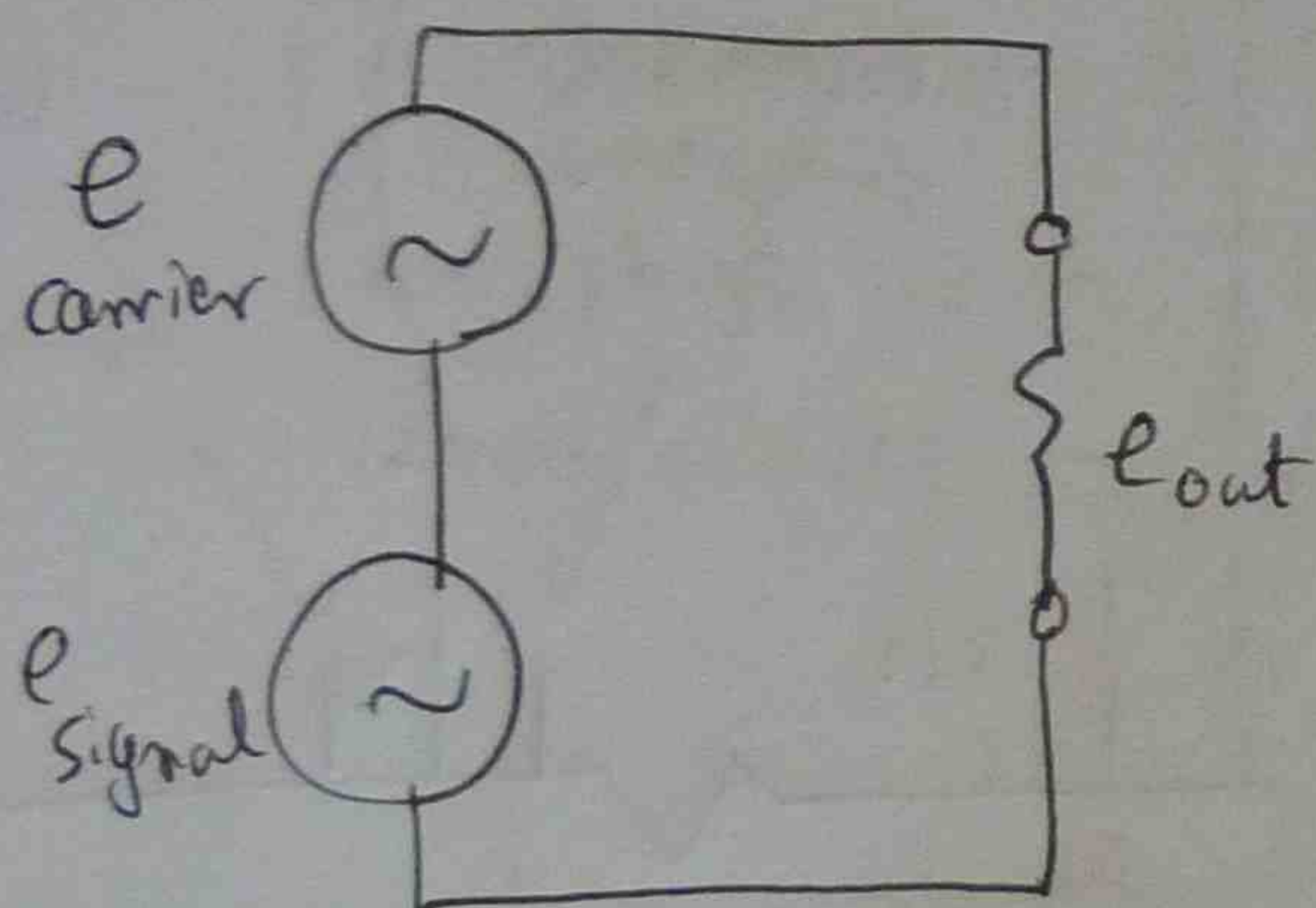


# Amplitude modulation transmission

The process of impressing a low-frequency intelligence signal onto a higher frequency carrier signal.

## The reason for modulation

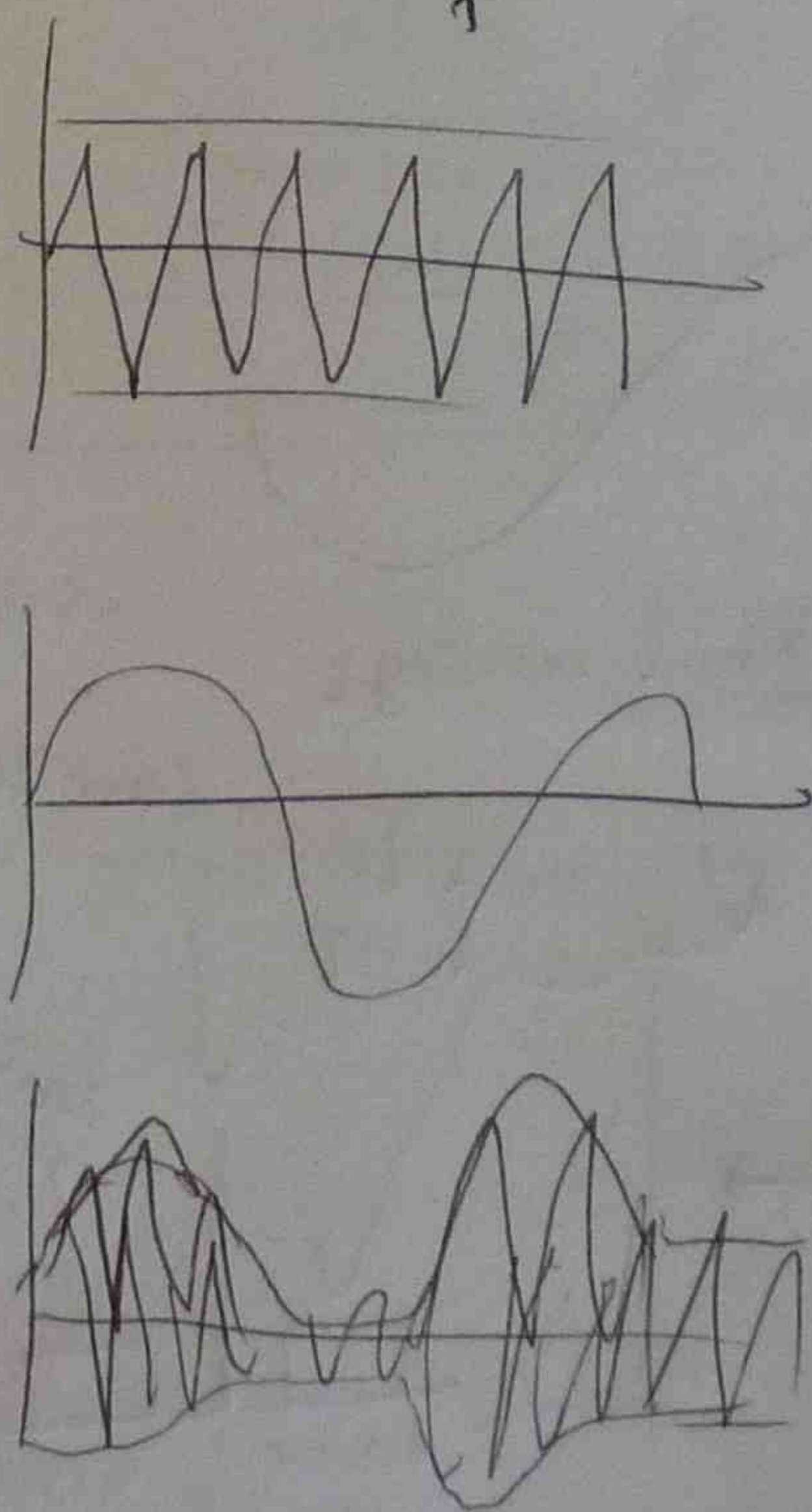
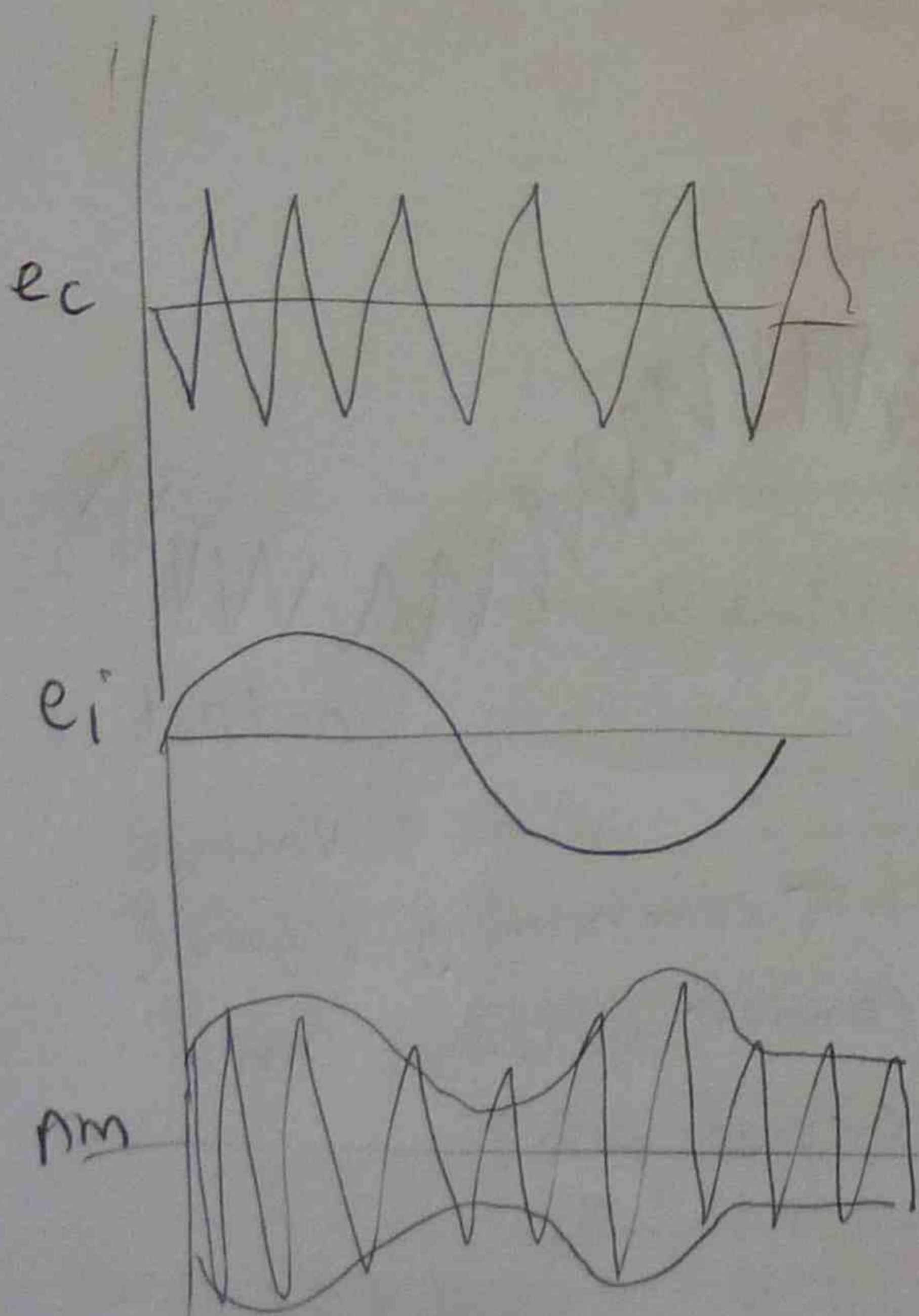
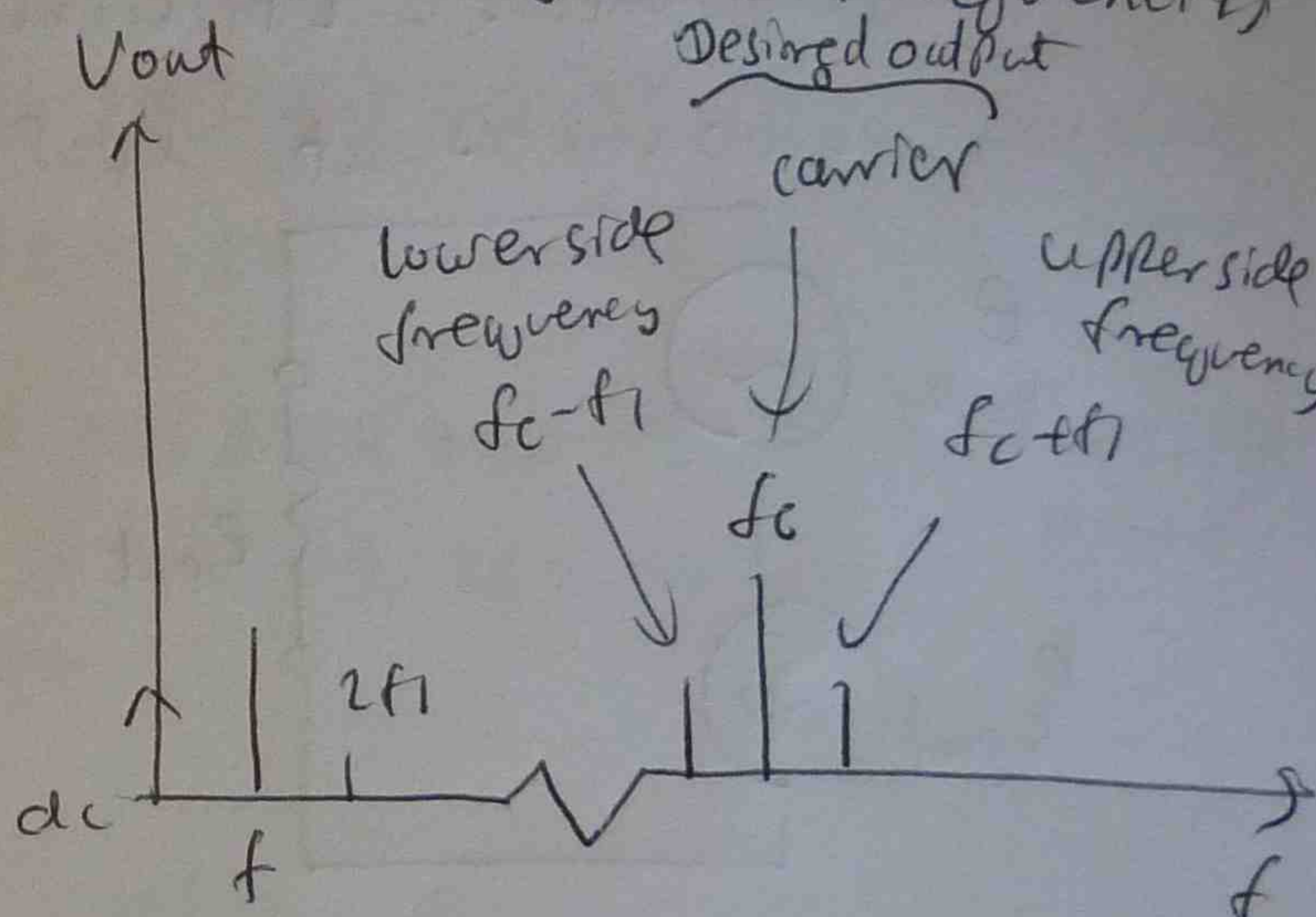
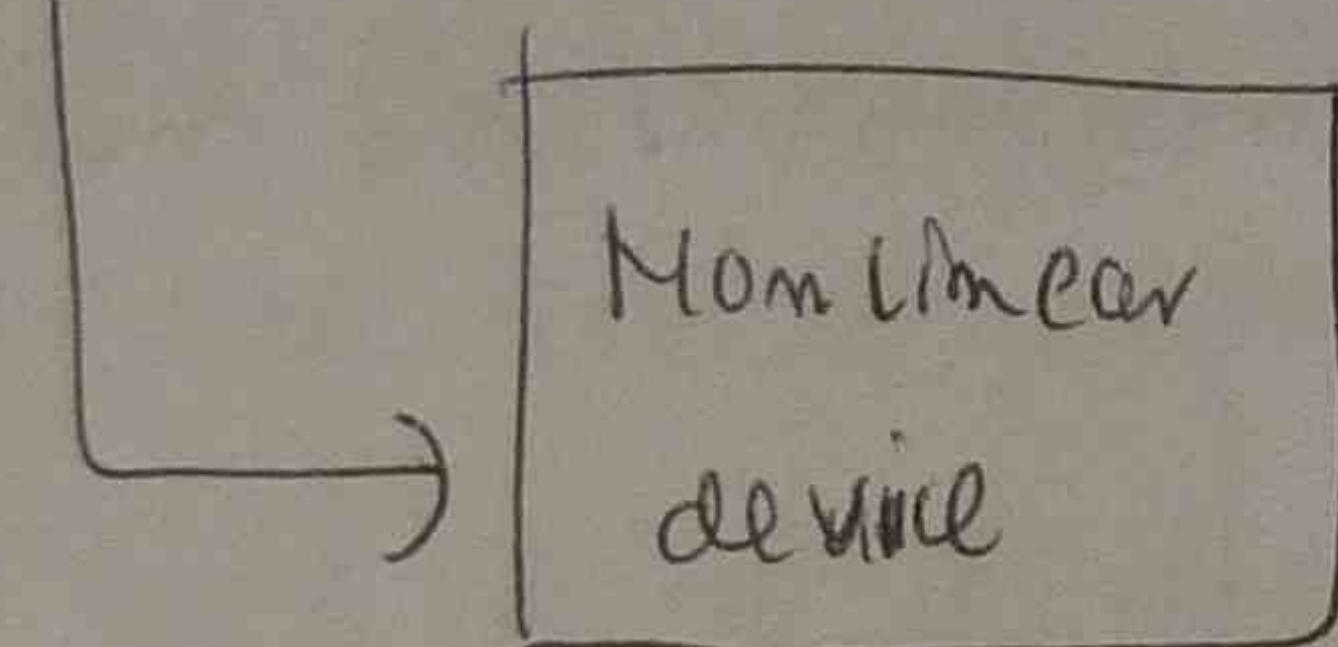
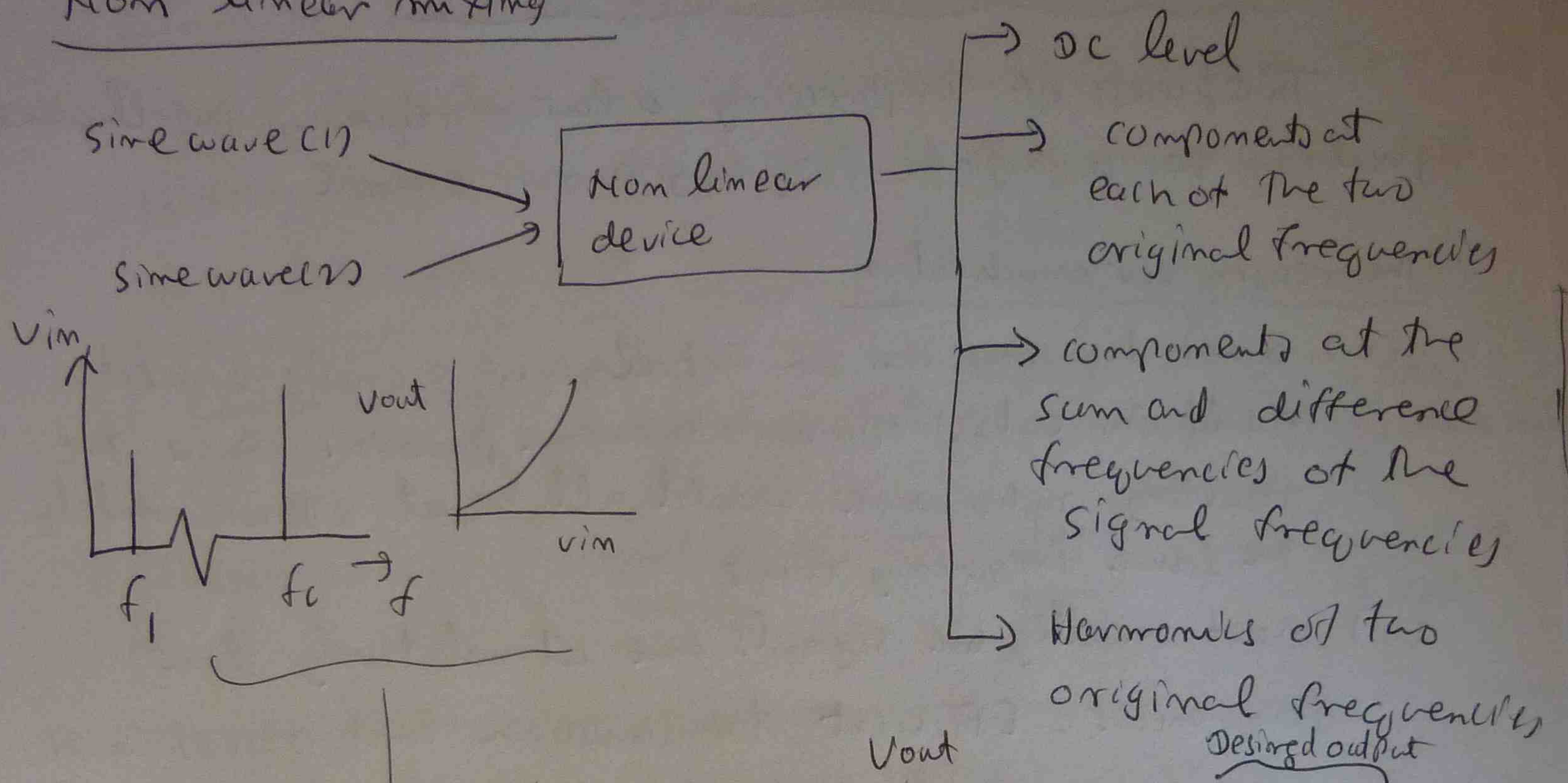
- (a) Direct transmission of intelligence signals would result in catastrophic interference problems, since the resulting radio waves would all be at approximately the same frequency range
- (b) most intelligible signals are at relatively low frequencies. Efficient transmission and reception of radio waves at low frequencies is not possible.



Result of combining signal and carrier voltage in linear network.



# Non linear mixing



$1\text{ MHz} + 5\text{ kHz} = 1.005\text{ MHz}$   
 upper side frequency  
 $1\text{ MHz} = \text{carrier frequency}$   
 $1\text{ MHz} - 5\text{ kHz} = 995\text{ kHz}$   
 lower side frequency



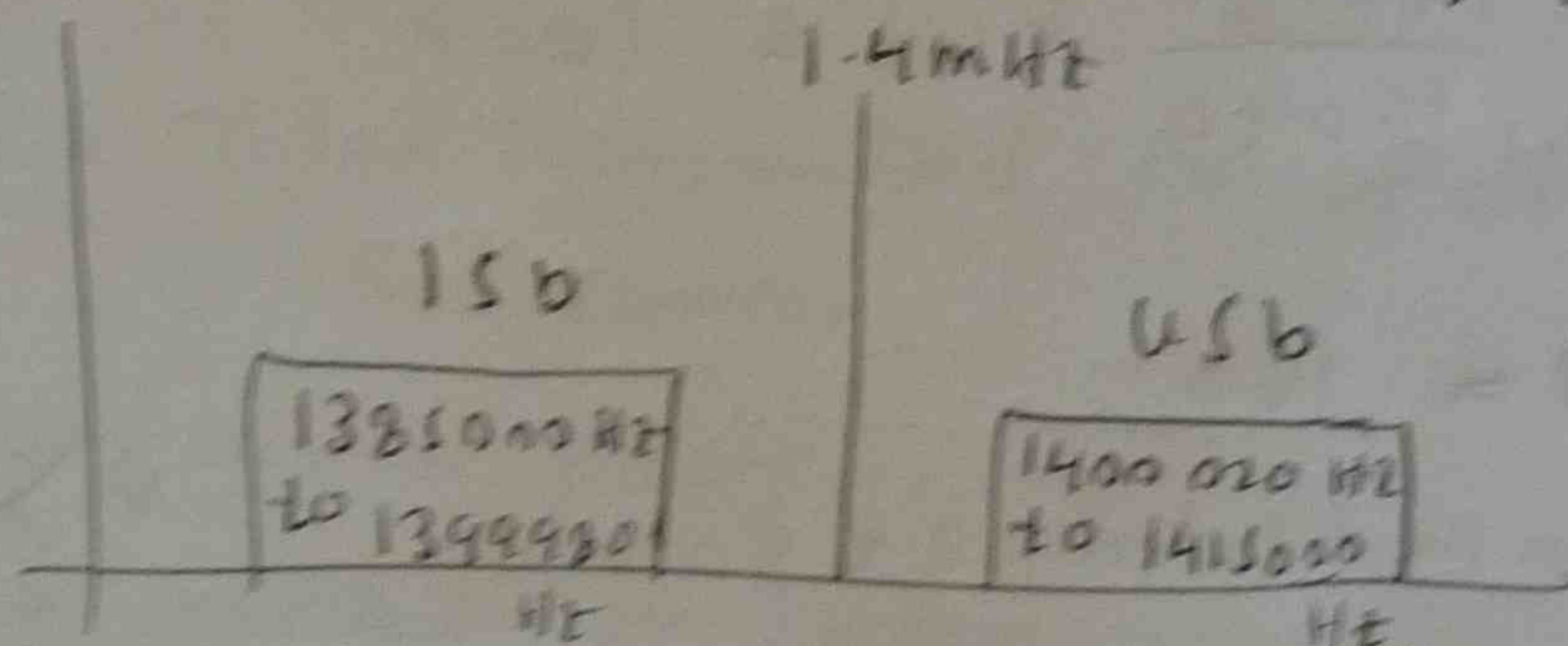
(18)

Ex A 1.4 MHz carrier is modulated by a music signal that has frequency components from 20 Hz to 15 kHz. Determine the range of frequencies generated for the upper and lower side bands.

$$\begin{aligned} \text{Carrier} + \left( \begin{array}{c} \text{Signal} \\ \text{lower range} \end{array} \rightarrow \begin{array}{c} \text{Signal} \\ \text{highest range} \end{array} \right) &= \text{upper side band} \\ \text{Carrier} - \left( \begin{array}{c} \text{Signal} \text{ lower} \\ \text{range} \end{array} \rightarrow \begin{array}{c} \text{Signal} \\ \text{highest range} \end{array} \right) &= \text{lower side band} \end{aligned}$$

$$\begin{aligned} 1400,000 \text{ Hz} + 20 \text{ Hz} &= 1400,020 \text{ Hz} \\ 1400,000 \text{ Hz} + 15,000 \text{ Hz} &= 1415,000 \text{ Hz} \end{aligned} \quad \left. \begin{array}{l} \\ \end{array} \right\} \text{upper side band}$$

$$\begin{aligned} 1400,000 \text{ Hz} - 15,000 \text{ Hz} &= 1385,000 \text{ Hz} \\ 1400,000 \text{ Hz} - 20 \text{ Hz} &= 1399,980 \text{ Hz} \end{aligned} \quad \left. \begin{array}{l} \\ \end{array} \right\} \text{lower side band}$$



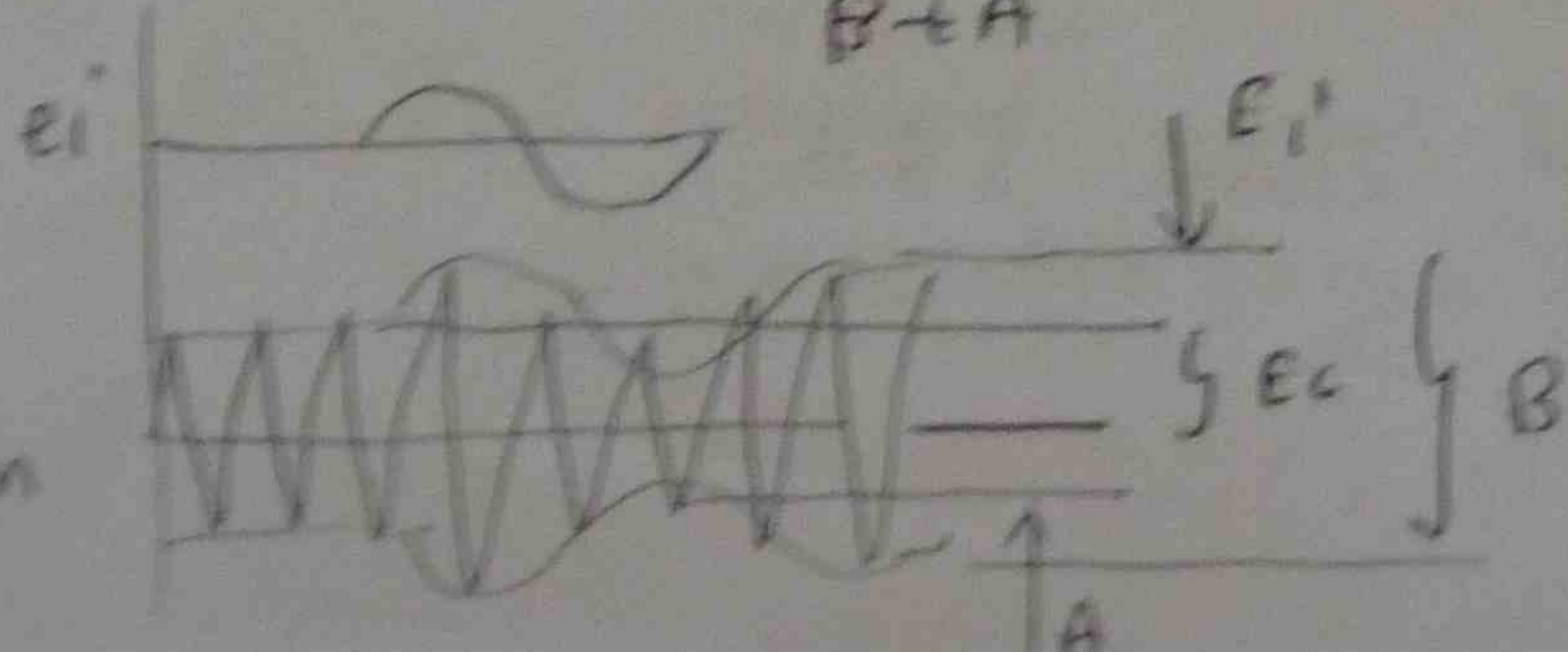
$m$  = modulation index

$$m = \frac{E_r}{E_c}$$

$B$  = maximum peak carrier frequency

$$\%m = \frac{B - A}{B + A} \times 100\%$$

$A$  = minimum peak carrier frequency



$$\%m = \frac{E_i}{E_c} \times 100\%$$

$$\%m = \frac{B - A}{B + A} \times 100\%$$



Ex determine  $\%m$  for the following conditions if the unmodulated carrier is 80V Peak to Peak (P-P)

	maximum P-P carrier (V)	minimum P-P carrier (V)
(a)	100	60
(b)	125	35
(c)	160	0
(d)	180	0
(e)	135	35

$$B < 2 \times \text{unmodulated} = 160 < 80 \times 2$$

$$(a) \quad \%m = \frac{B - A}{B + A} \times 100 = \frac{100 - 60}{100 + 60} \times 100 = 25\%$$

$$(b) \quad \%m = \frac{125 - 35}{125 + 35} \times 100 = 56.25\%$$

$B < 2 \times \text{unmodulated}$   
 $125 < 80 \times 2$

$$(c) \quad \%m = \frac{160 - 0}{160 + 0} \times 100 = 100\%$$

$B = 2 \times \text{unmodulated}$   
 $160 = 80 \times 2$

$$(d) \quad \cancel{\%m} = B = 180$$

$$2 \times \text{unmodulated} = 2 \times 80 = 160 \quad \therefore B > 2 \times \text{unmodulated}$$

overmodulated

$$(e) \quad B = 135$$

$$2 \times \text{unmodulated} = 2 \times 80 = 160 \text{ Hz}$$

$$\%m = \frac{135 - 35}{135 + 35} \times 100 = 58.8\%$$



(20)

$$e = \underbrace{E_c \sin \omega_c t}_{\text{(1) carrier}} + \underbrace{\frac{m E_c}{2} \cos(\omega_c - \omega_i) t}_{\text{(2) lower side band}} - \underbrace{\frac{m E_c}{2} \cos(\omega_c + \omega_i) t}_{\text{(3) upper side band}}$$

where

$$\text{Peak amplitude} = A = E_c + e_i$$

$$e_i = E_i \sin \omega_i t$$

$$E_i = m E_c$$

$$E_{sf} = \frac{m E_c}{2}$$

$m$  = modulation index

$E_{sf}$  = side frequency amplitude

$E_c$  = carrier amplitude

High Percentage modulation

$$P_t = P_c \left( 1 + \frac{m^2}{2} \right)$$

$P_t$  = Total transmitted power of side bands and carrier

$P_c$  = carrier power

$m$  = modulation index

$$I_t = I_c \sqrt{1 + \frac{m^2}{2}}$$

$I_t$  = Total transmitted current

$I_c$  = carrier current

$m$  = modulation index



(21)

Ex A 500W carrier is to be modulated to a 90% level. Determine the total transmitted power.

$$m = 0.9, \quad P_c = 500W$$

$$P_t = P_c \left( 1 + \frac{m^2}{2} \right)$$

$$= 500 \left( 1 + \frac{0.9^2}{2} \right) = 702.5W$$

Ex An AM broadcast station operates at its maximum allowed total output of 500W and at 95% modulation. How much of its transmitted power is intelligence (side bands)?

To find  $P_i = P_t - P_c$

$$P_c \left( 1 + \frac{m^2}{2} \right)$$

Given  $P_t = 500W, \quad m = 0.95$

$$\therefore P_t = P_c \left( 1 + \frac{m^2}{2} \right)$$

$$500W = P_c \left( 1 + \frac{0.95^2}{2} \right) \implies P_c = \frac{50}{1 + \frac{0.95^2}{2}} = 34.5W$$

$$\therefore P_i = P_t - P_c = 50 - 34.5 = 15.5W$$



(22)

Ex The antenna current of an AM transmitter is 12 A when unmodulated but increases to 13 A when modulated. calculate %m

$$I_t = 13 \text{ A (modulated)}$$

$$I_c = 12 \text{ A (unmodulated)}$$

$$m = ?$$

$$I_t = I_c \sqrt{1 + \frac{m^2}{2}}$$

$$13 = 12 \sqrt{1 + \frac{m^2}{2}}$$

$$\left(\frac{13}{12}\right)^2 = 1 + \frac{m^2}{2}$$

$$\therefore m^2 = 2 \left[ \left(\frac{13}{12}\right)^2 - 1 \right]$$

$$m = \sqrt{2 \left[ \left(\frac{13}{12}\right)^2 - 1 \right]} = 0.59$$

$$\therefore \%m = 0.59 \times 100 = 59\%$$

Ex A transmitter with a 10 W carrier transmits 11.2 W when modulated with a single sine wave. Calculate the modulation index. If the carrier is simultaneously modulated with another sine wave at 50% modulation, calculate the total transmitted power.

$$P_t = P_c \left(1 + \frac{m^2}{2}\right)$$

$$11.2 \text{ W} = 10 \text{ W} \left(1 + \frac{m^2}{2}\right)$$

$$\therefore m = 0.49$$

$$P_c \left(1 + \frac{m^2}{2}\right)$$

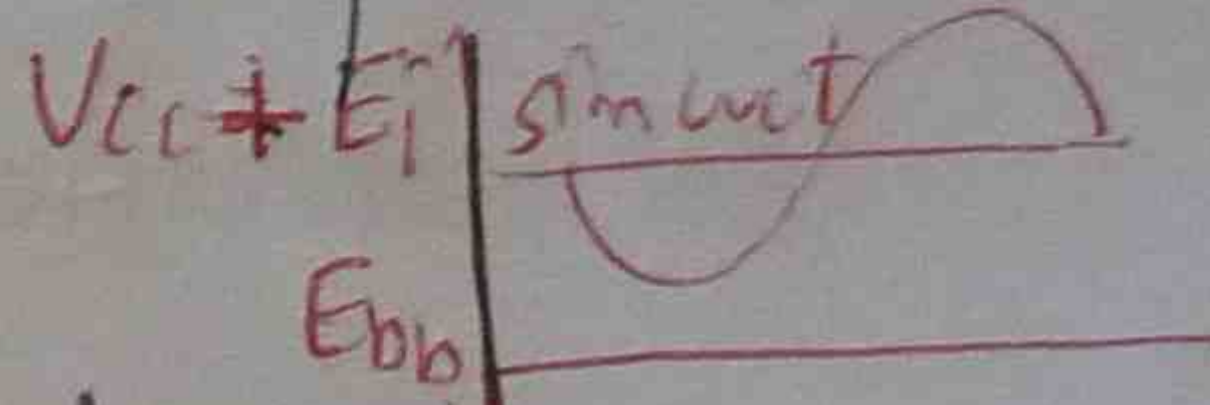
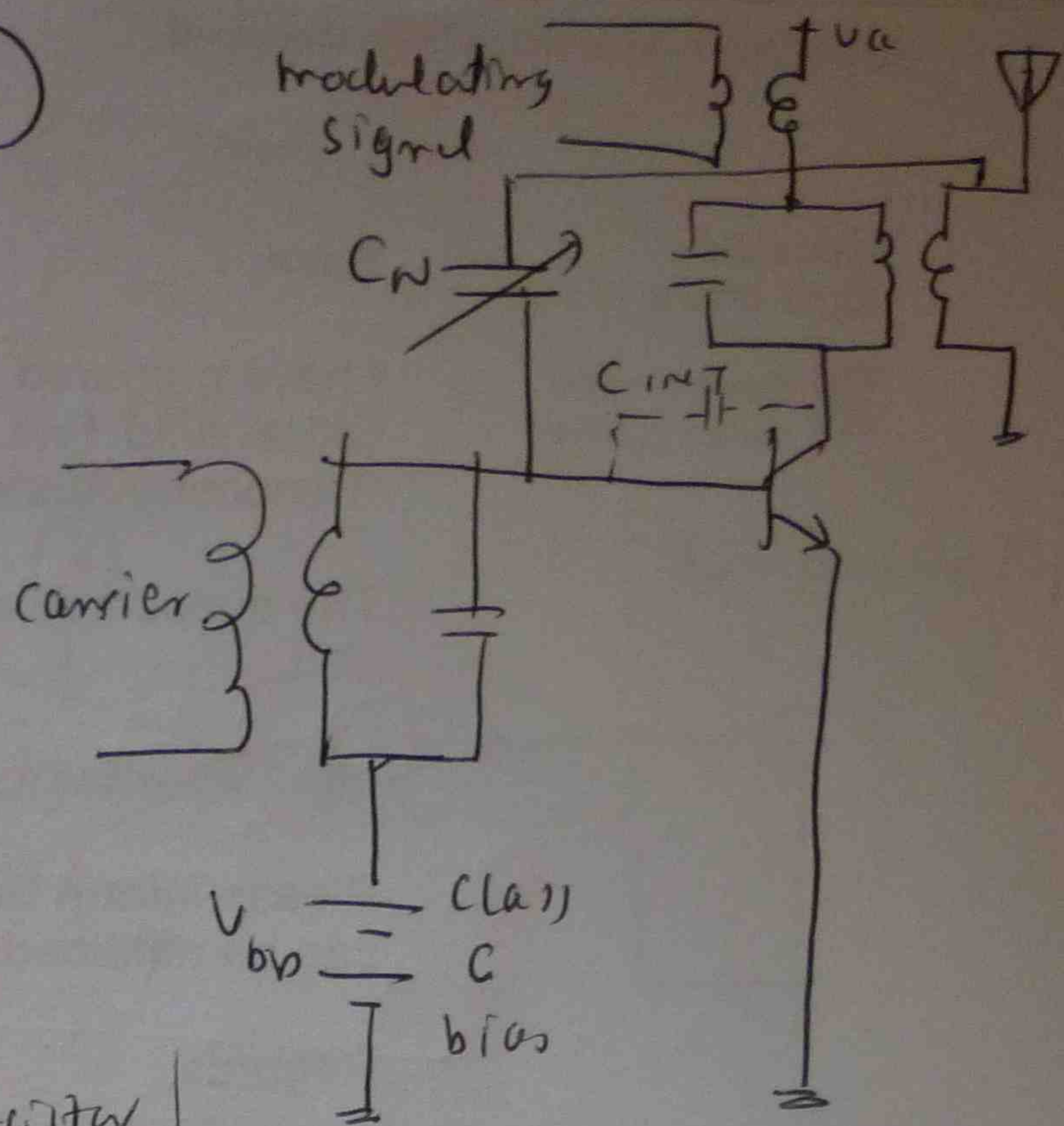
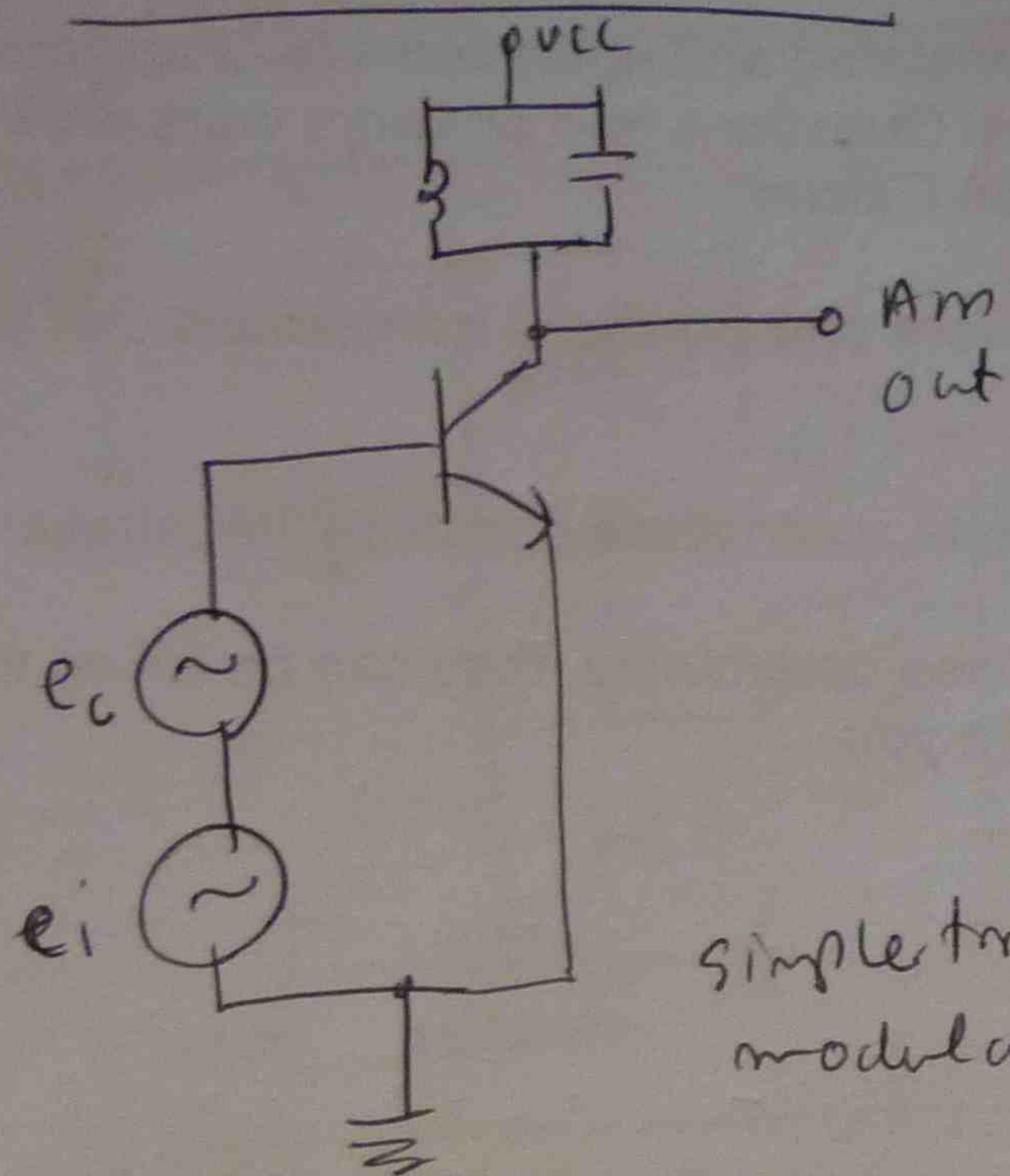
Simultaneously transmitted  
effective modulation  
 $m_{\text{eff}} = \sqrt{m_1^2 + m_2^2}$

$$m_{\text{eff}} = \sqrt{0.49^2 + 0.5^2} = 0.7$$

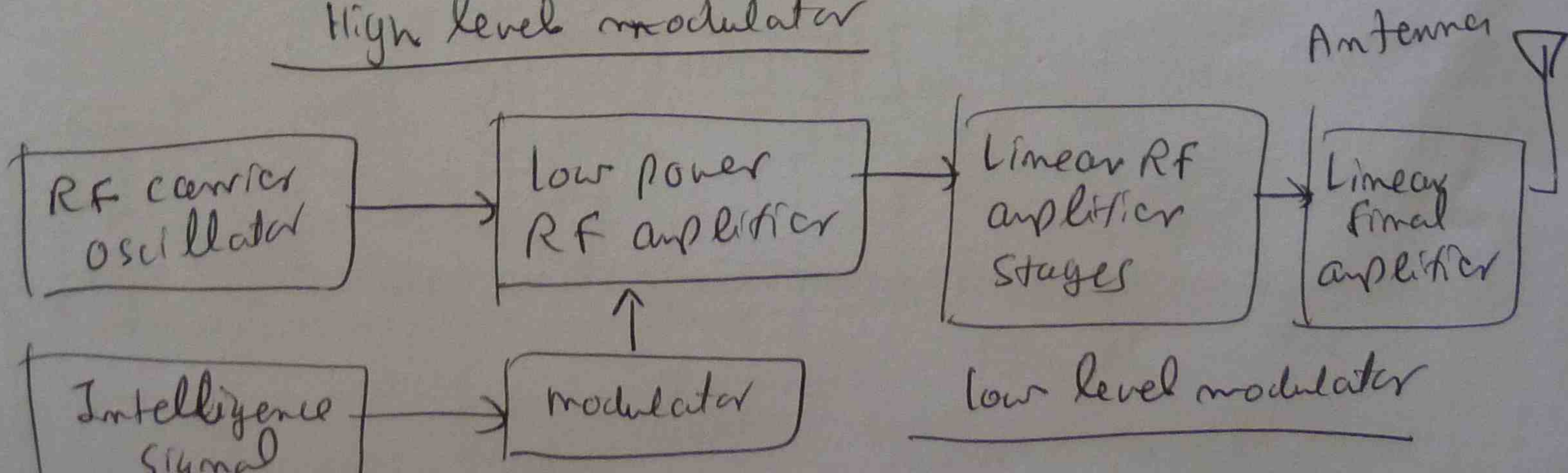
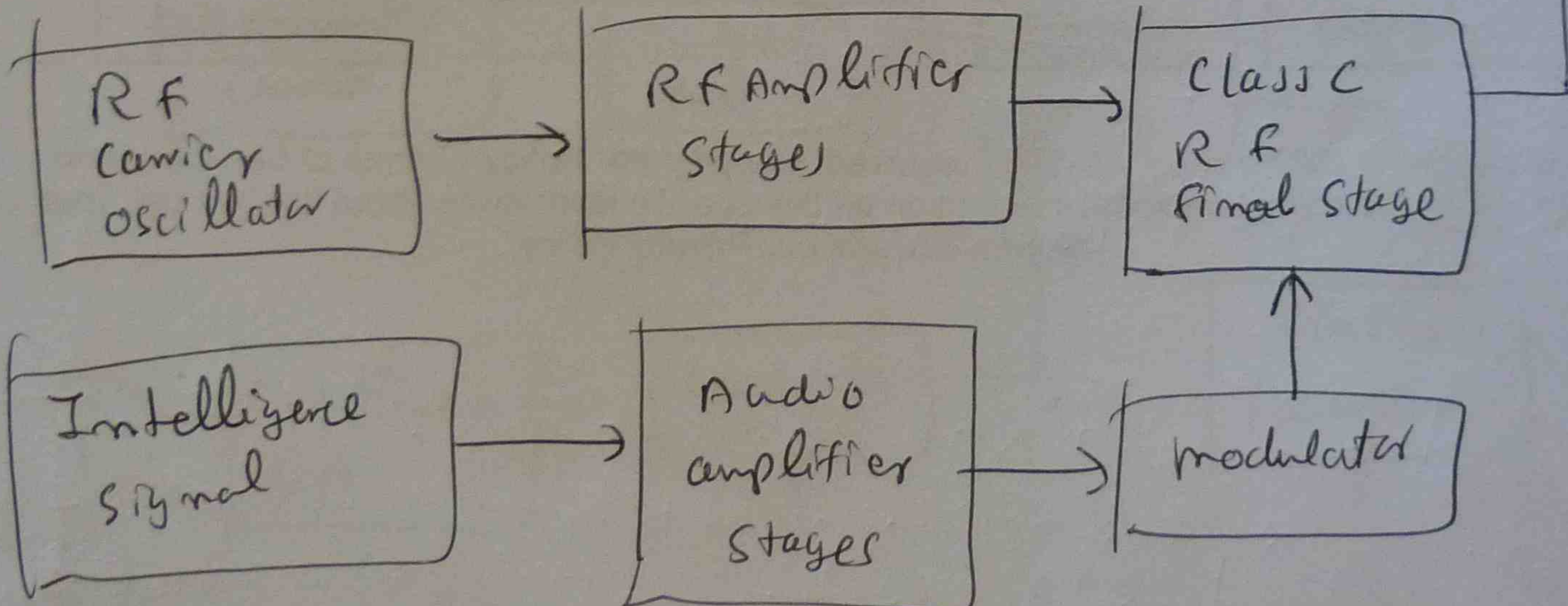


(23)

## AM Generation

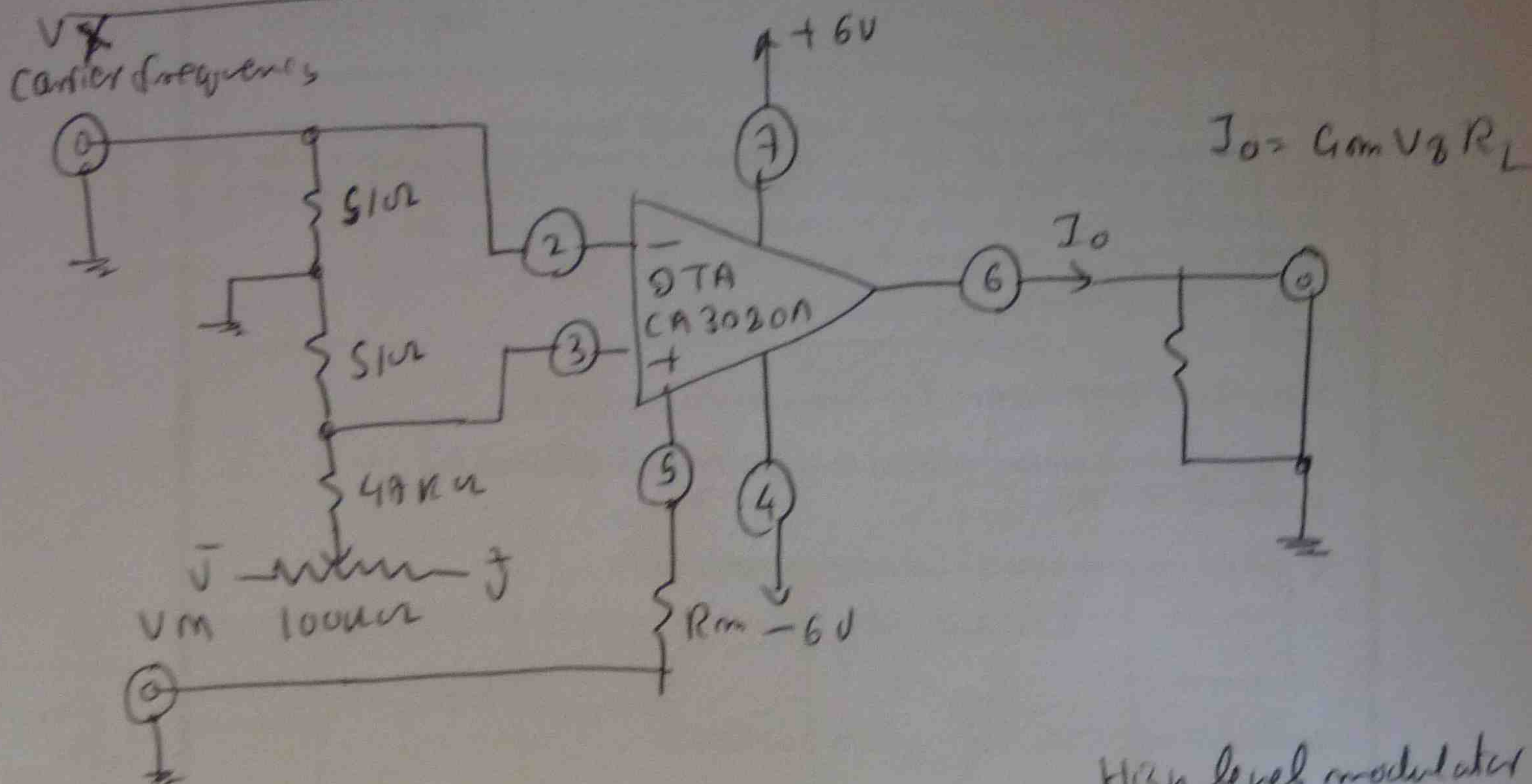


High or low level modulation

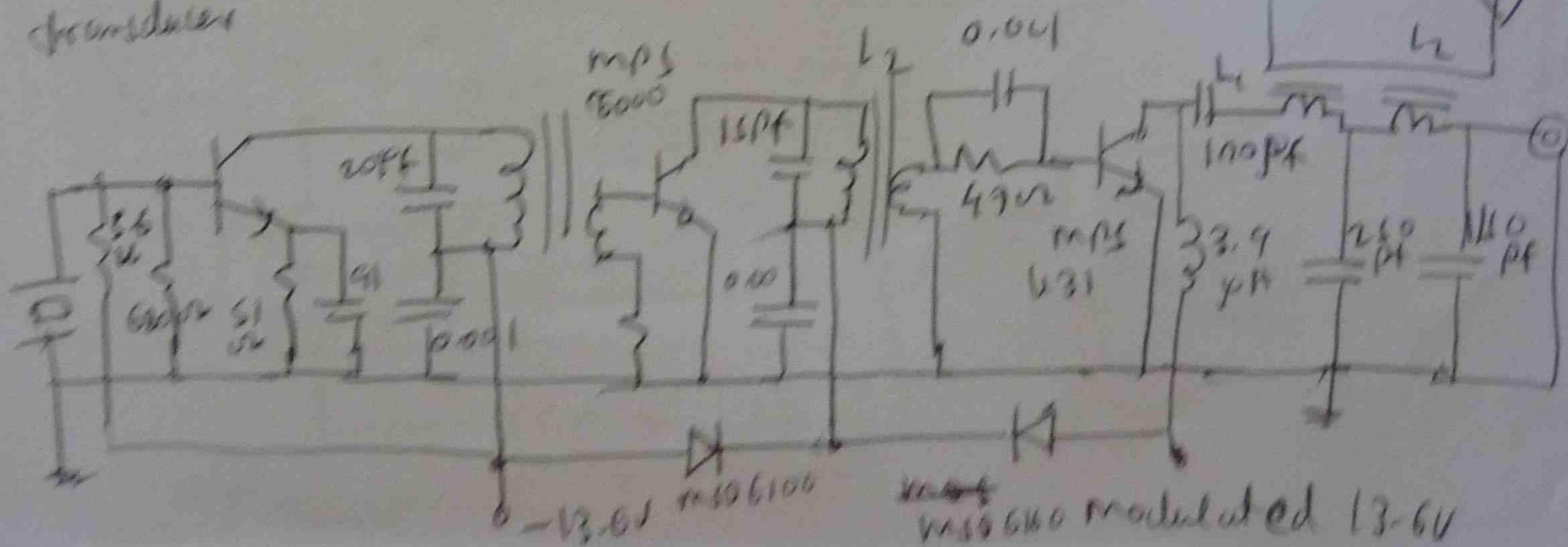
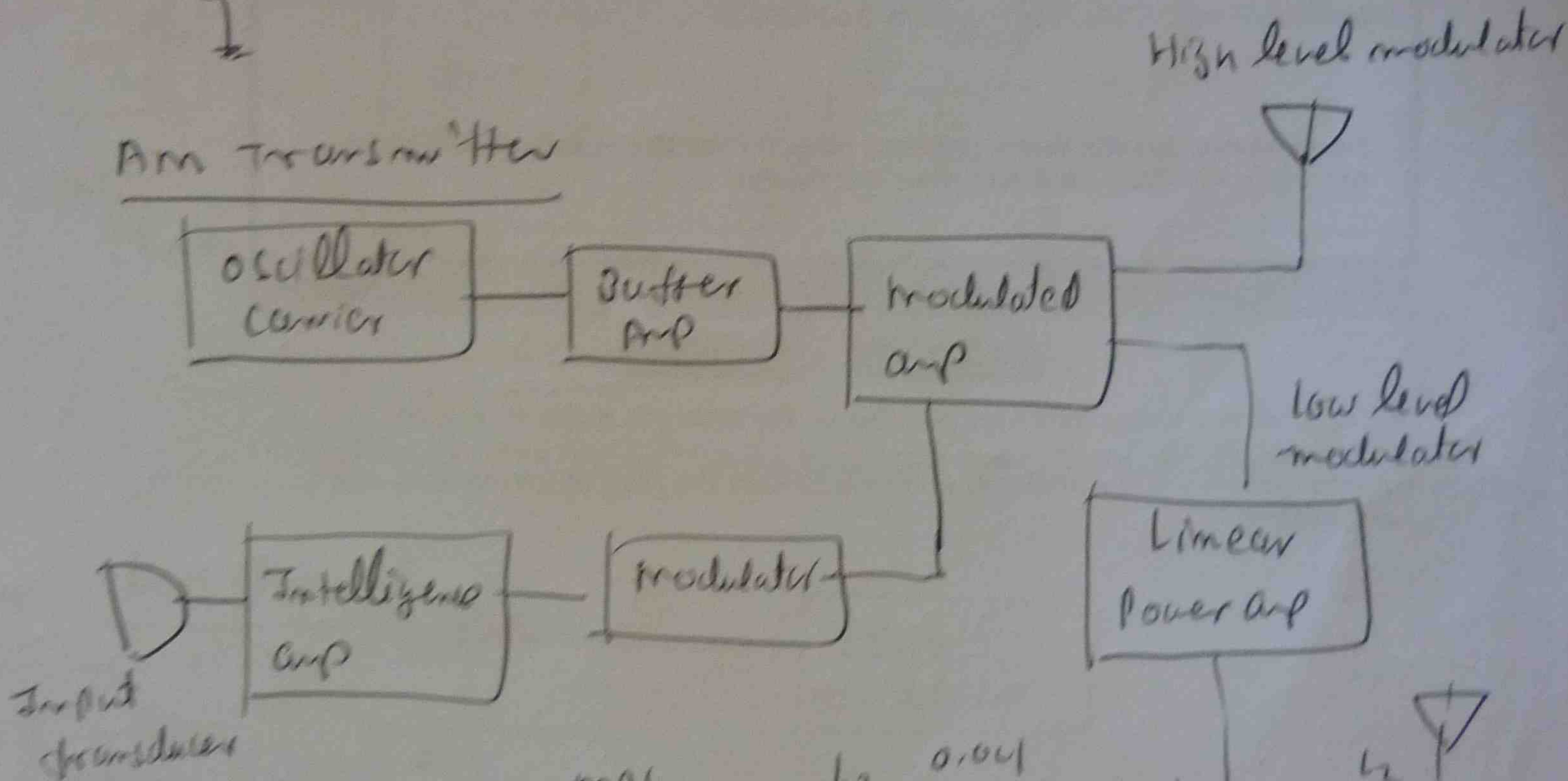




# Amplitude modulator

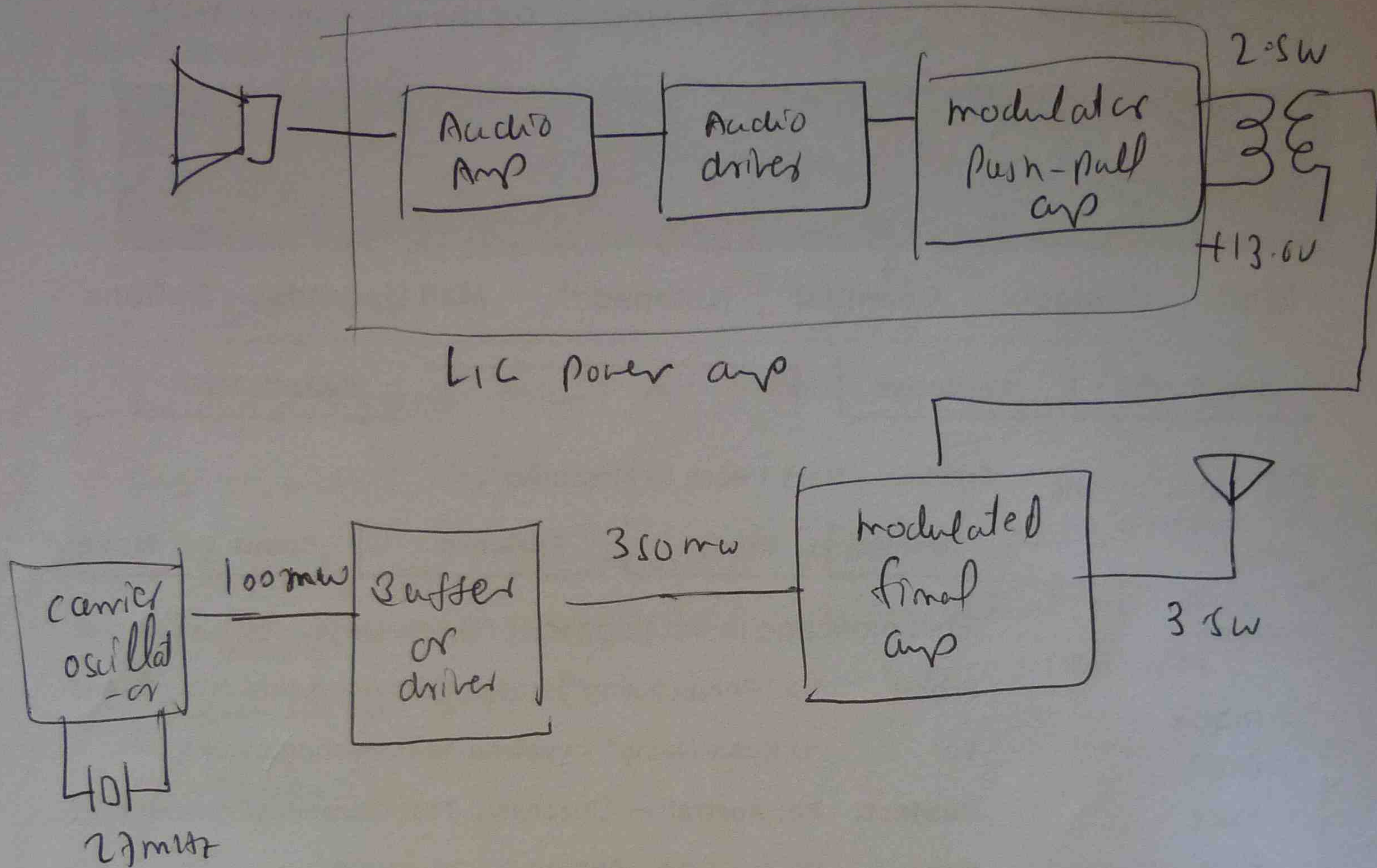


## Am Transmitter





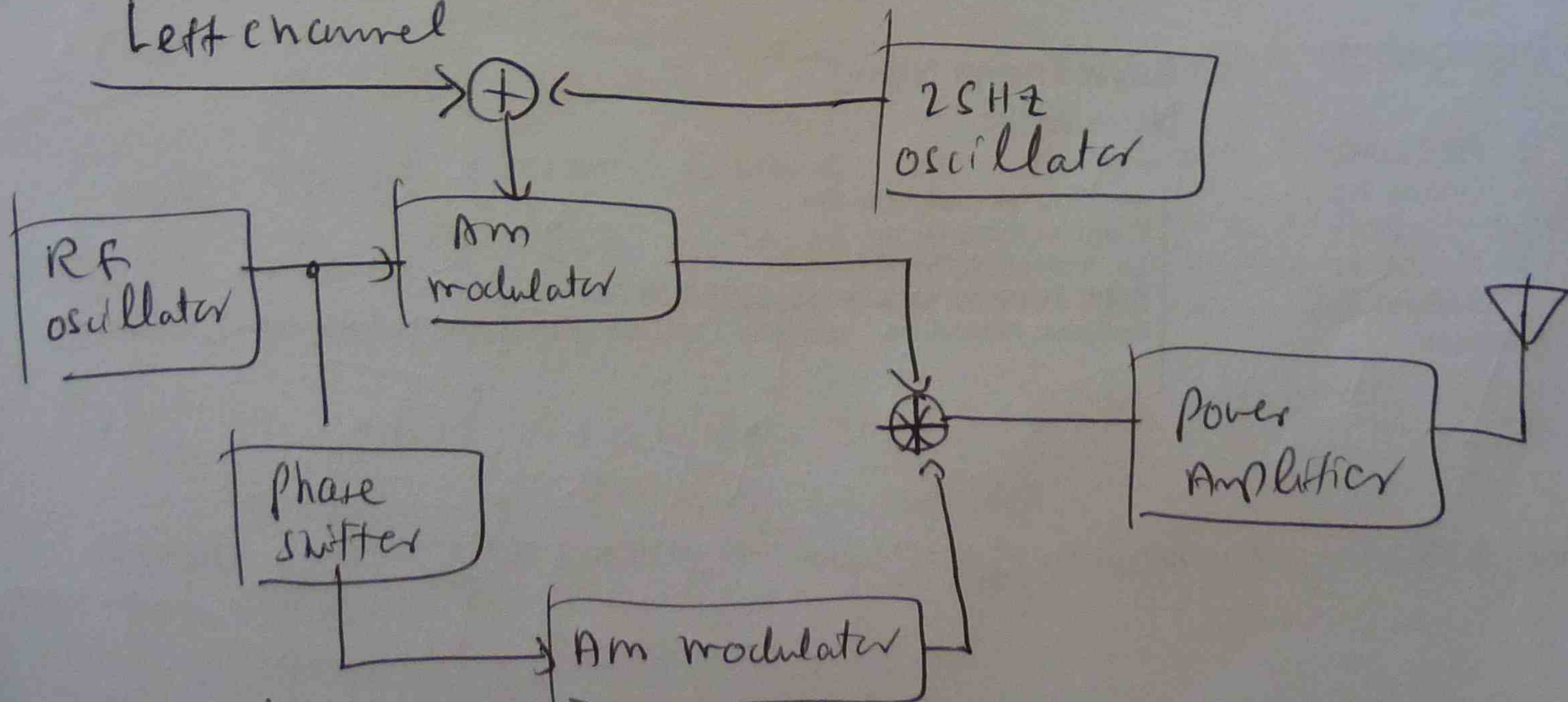
# Transmitter



## Stereo broadcasting

Reproduction of music with two separate channels

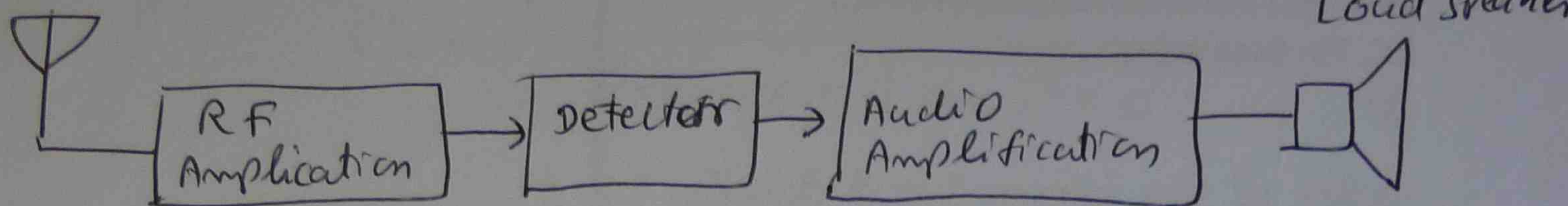
### Left channel





Amplitude modulation reception

Antenna

main characteristics of receiver

- sensitivity → Ability to drive the output transducer to an acceptable level.
- selectivity.

→ The input signal must be greater than the noise at the receiver's input.

→ selectivity may be defined as the extent to which a receiver is capable of differentiating between the desired signal and disturbances at other frequencies

TRF selectivity

$$Q = \frac{f}{BW}$$

Ex

A TRF receiver is to be designed with a ~~signal~~ single tuned circuit using a  $10 \mu H$  inductor.

(a) calculate the capacitance range of the variable capacitor required to tune from 550 to 1550 kHz

(b) The ideal 10 kHz BW is to occur at 1100 kHz. Determine the required Q.

(c) calculate the BW of this receiver at 550 kHz and 1550 kHz.



cas c2?

at 550 kHz

$$f_r = \frac{1}{2\pi\sqrt{LC}}$$

$$550 \times 10^3 = \frac{1}{2 \times 3.1416 \times \sqrt{10 \times 10^{-6} \times C}}$$

$$C = 8.37 \text{ nF}$$

(26)

(c)

at 1550 kHz

$$1550 \times 10^3 = \frac{1}{2 \times 3.1416 \times \sqrt{10 \times 10^{-6} \times C}}$$

$$C = 1.06 \text{ nF}$$

Range of capacitance  $1.06 \text{ nF} \rightarrow 8.37 \text{ nF}$

$$(b) Q = \frac{f_r}{BW} = \frac{1100 \times 10^3}{10 \times 10^3} = 110$$

$$(c) \text{ at } 1550 \text{ kHz } BW = \frac{f_r}{Q} = \frac{1550 \times 10^3}{110} = 14.1 \text{ kHz}$$

$$\text{at } 550 \text{ kHz } BW = \frac{550}{110} = 5 \text{ kHz}$$

### Am detection

The carrier and sidebands of the Am signals are separated in frequency by an amount equal to the intelligence frequency.

Detection of any amplitude modulated signals requires a non linear electrical network original old

Input

carrier  
side band

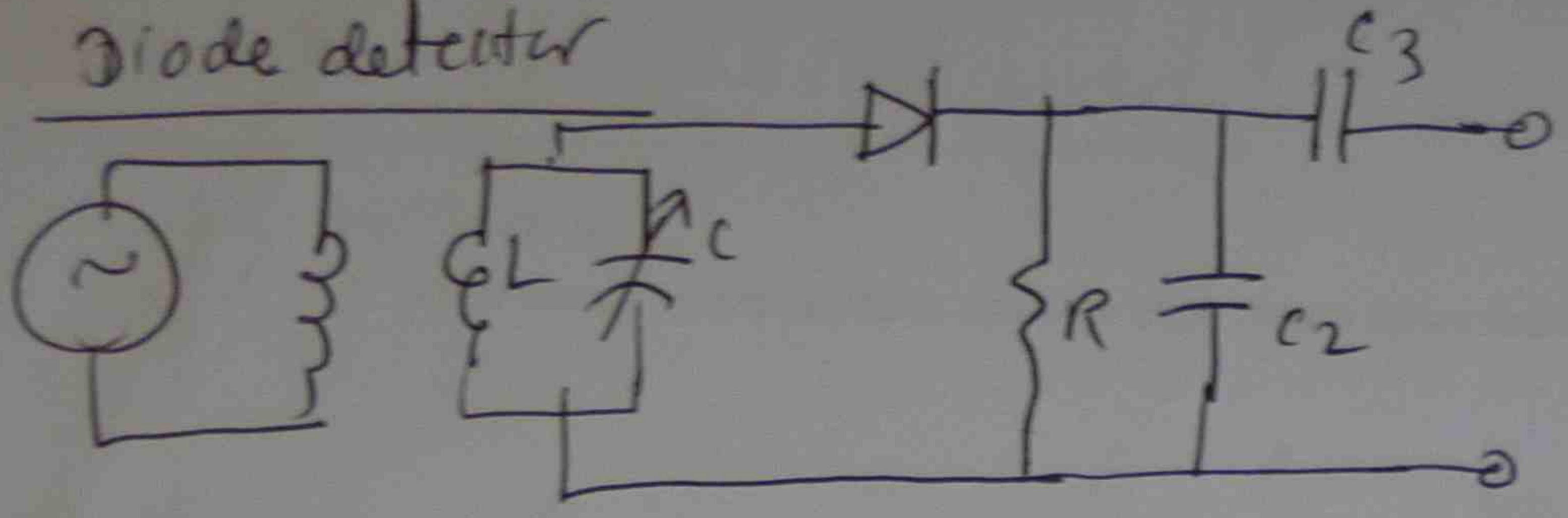


Non linear  
device detector

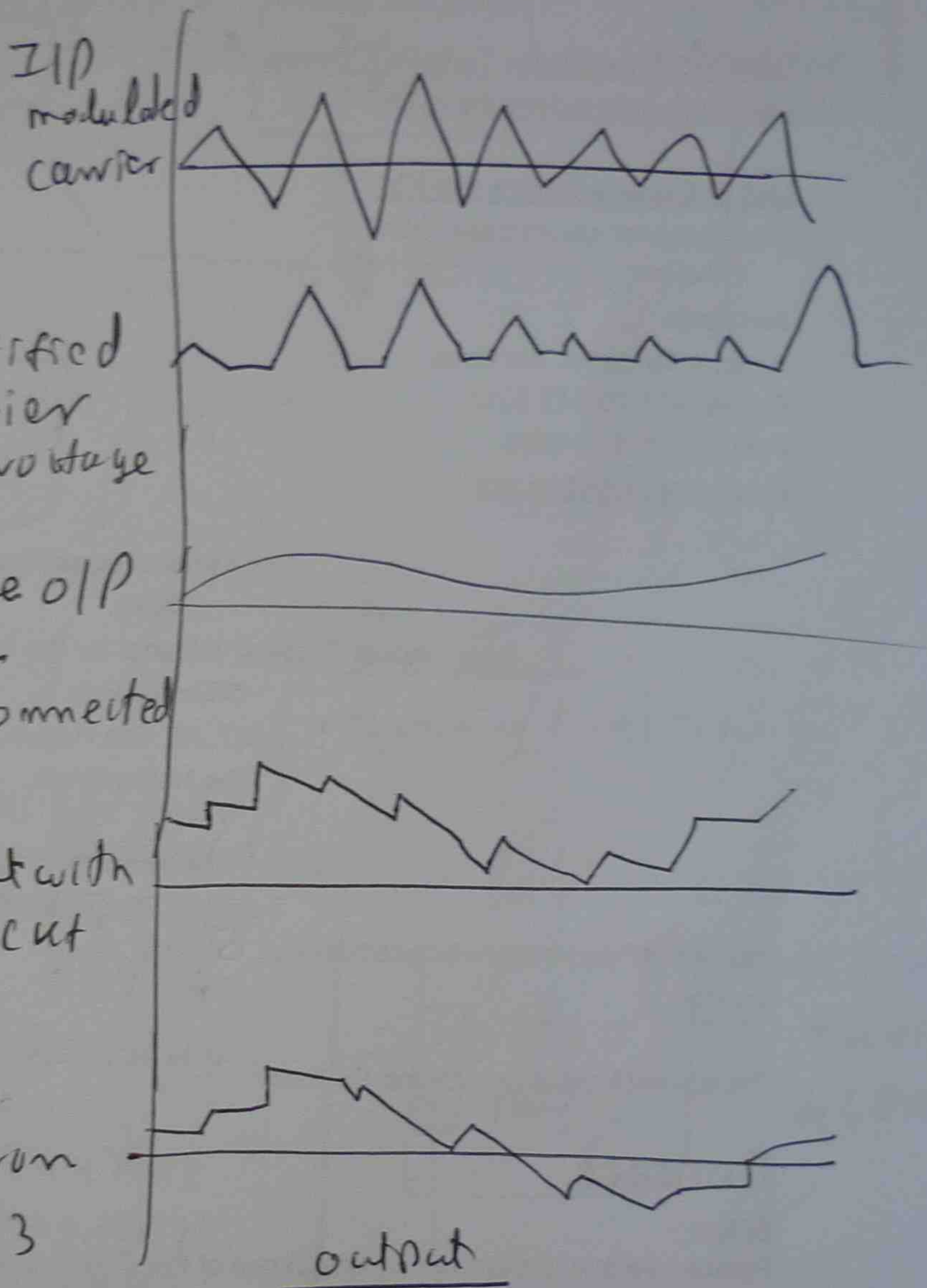
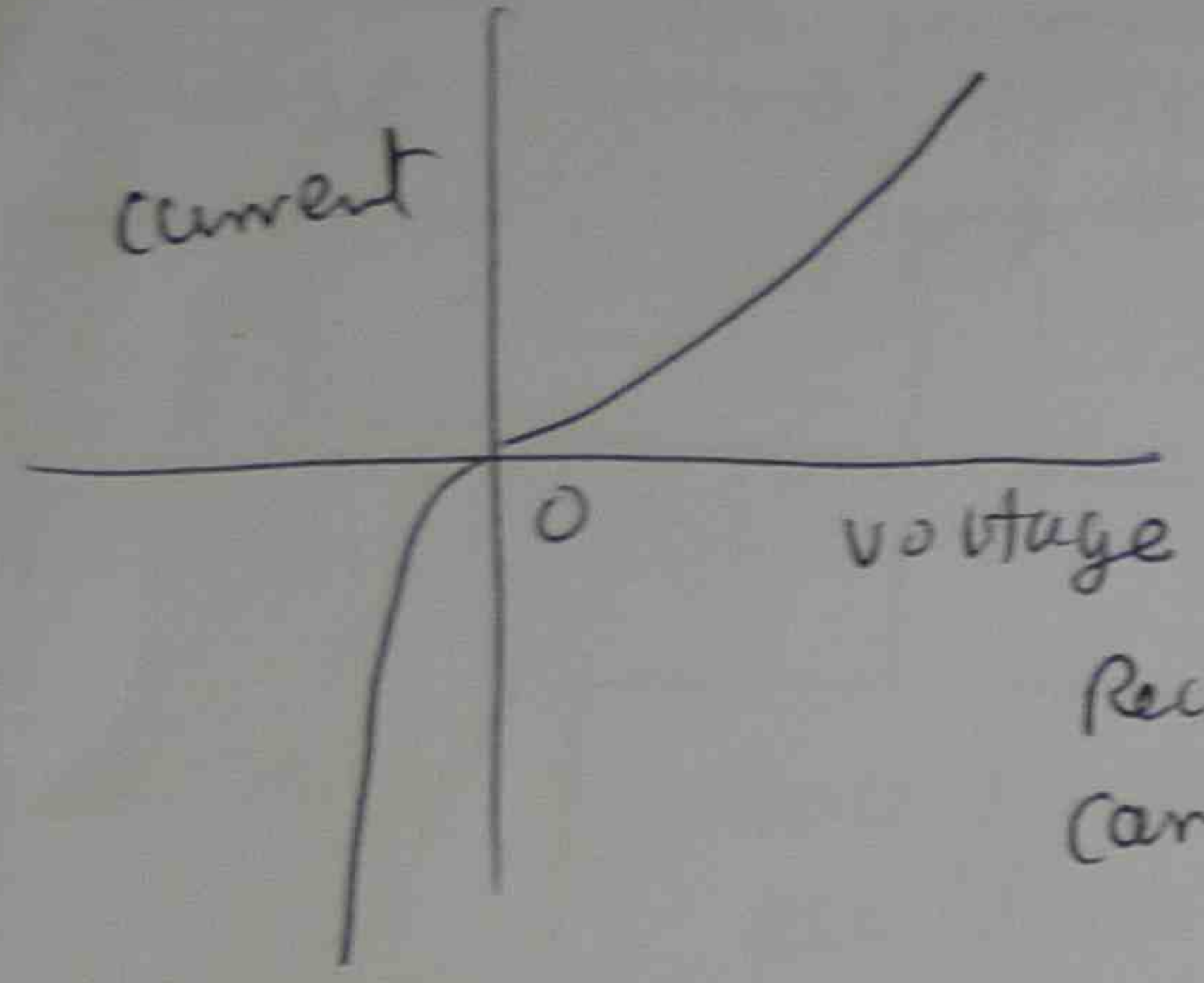
→ { carrier freq.  
upper sideband  
lower sideband  
dc component  
carrier ± sideband



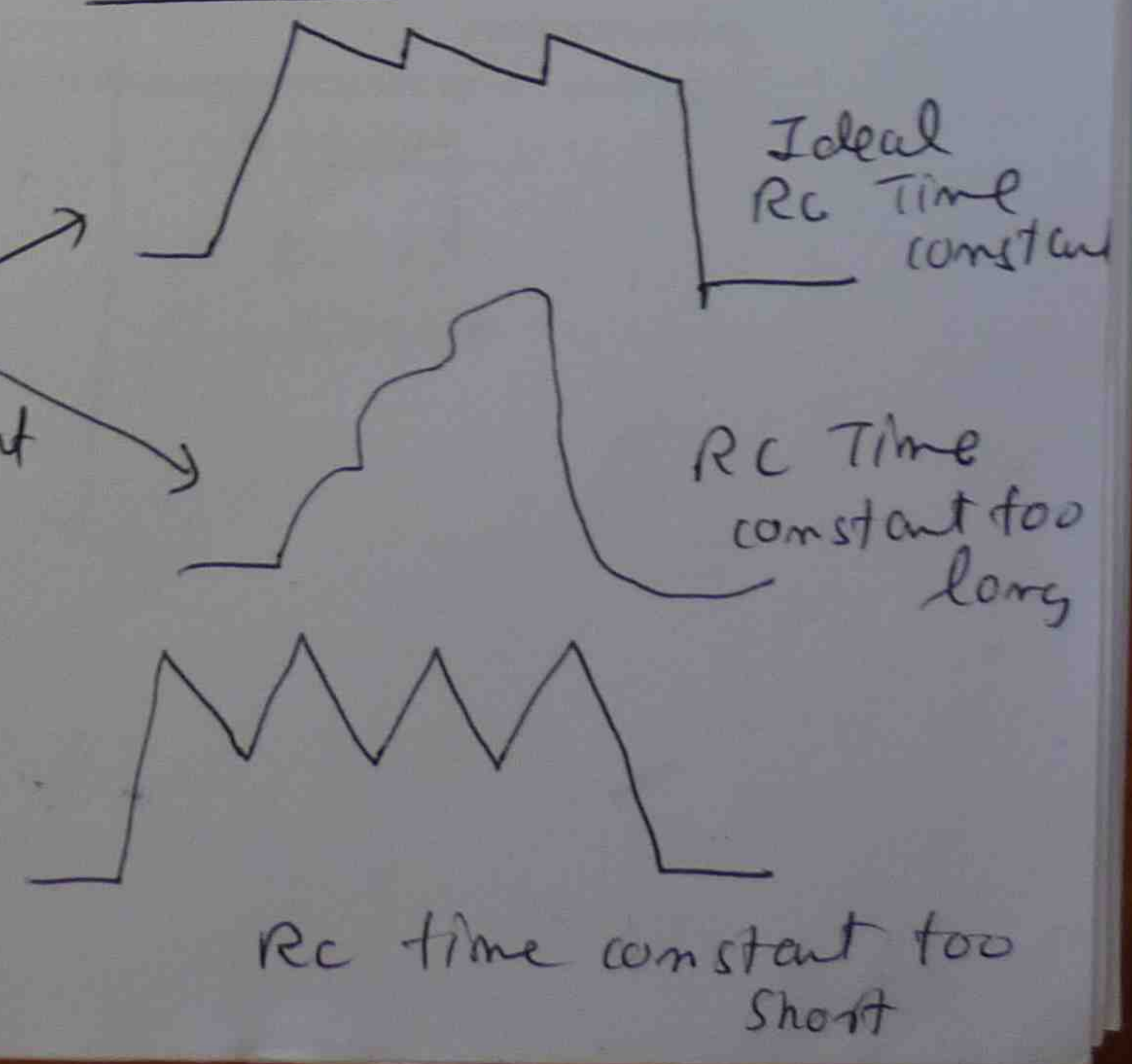
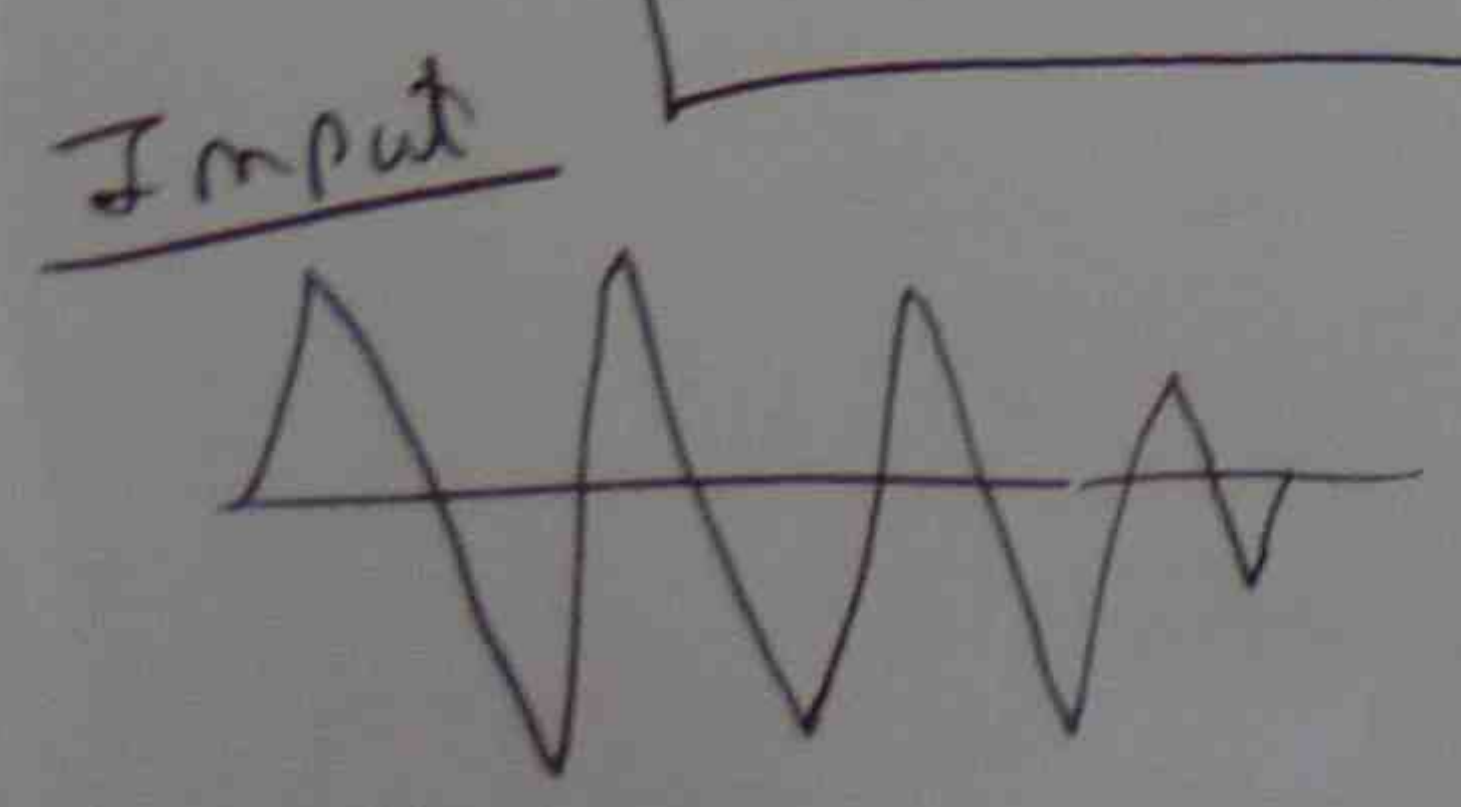
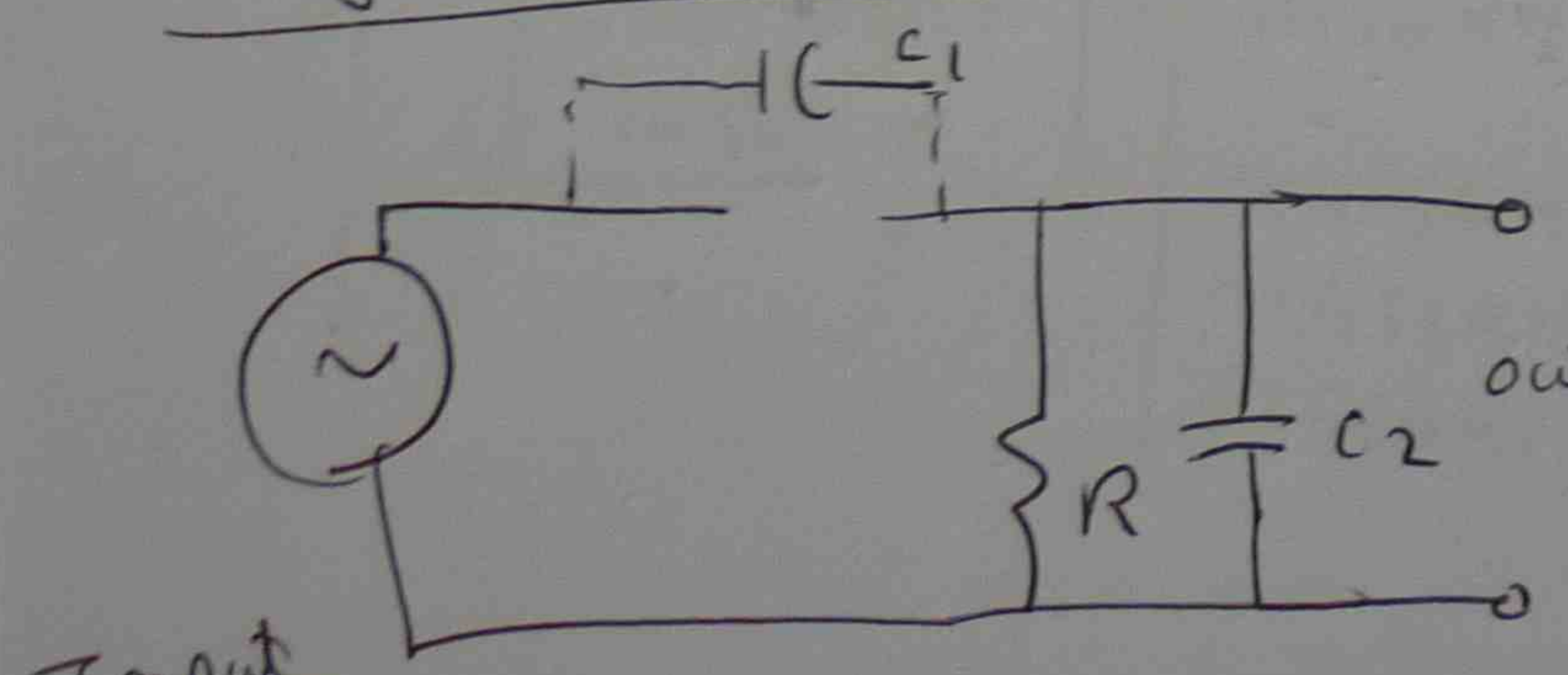
### Diode detector



$C_2$  &  $R$  removes carrier frequency.

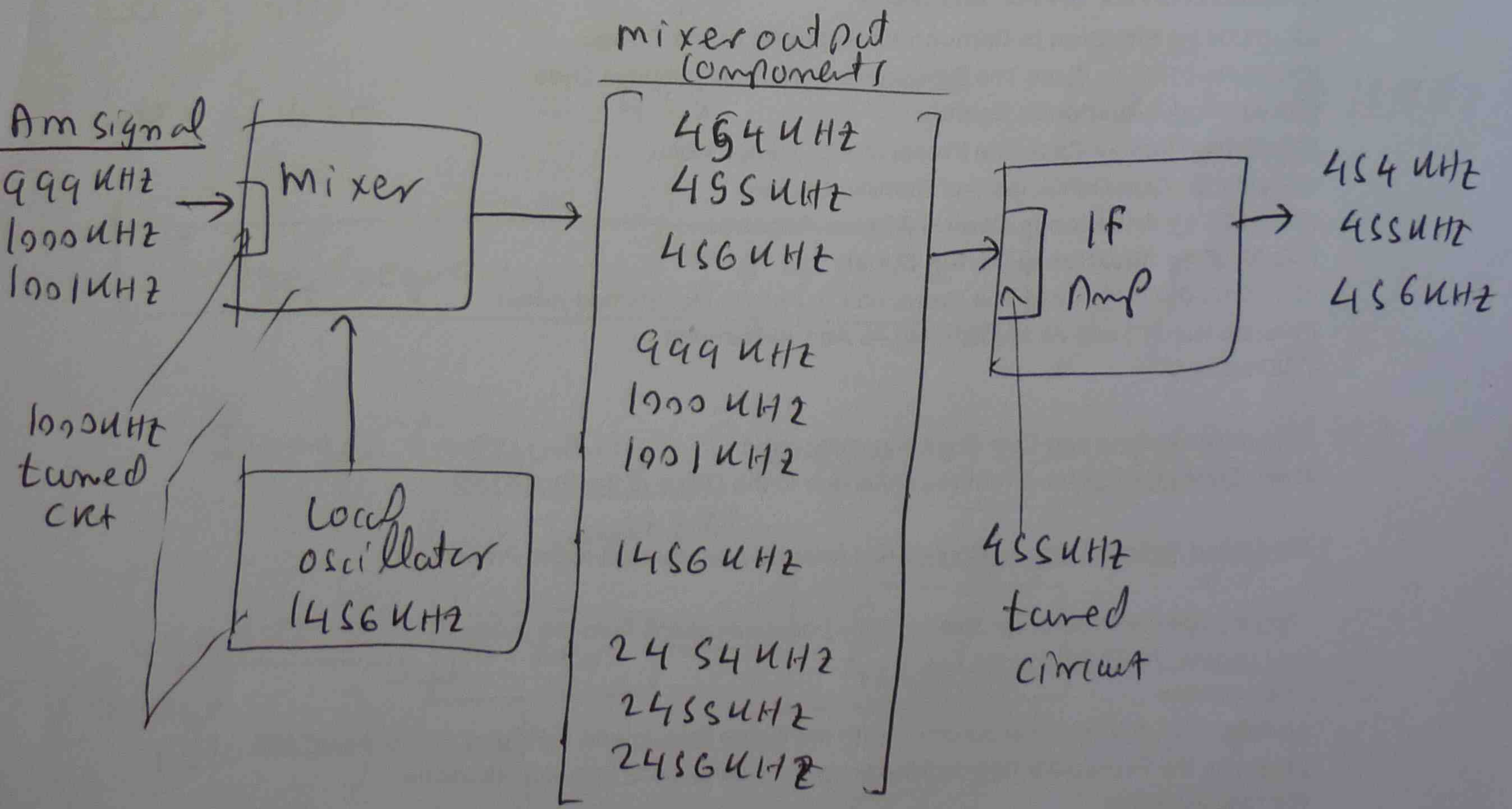
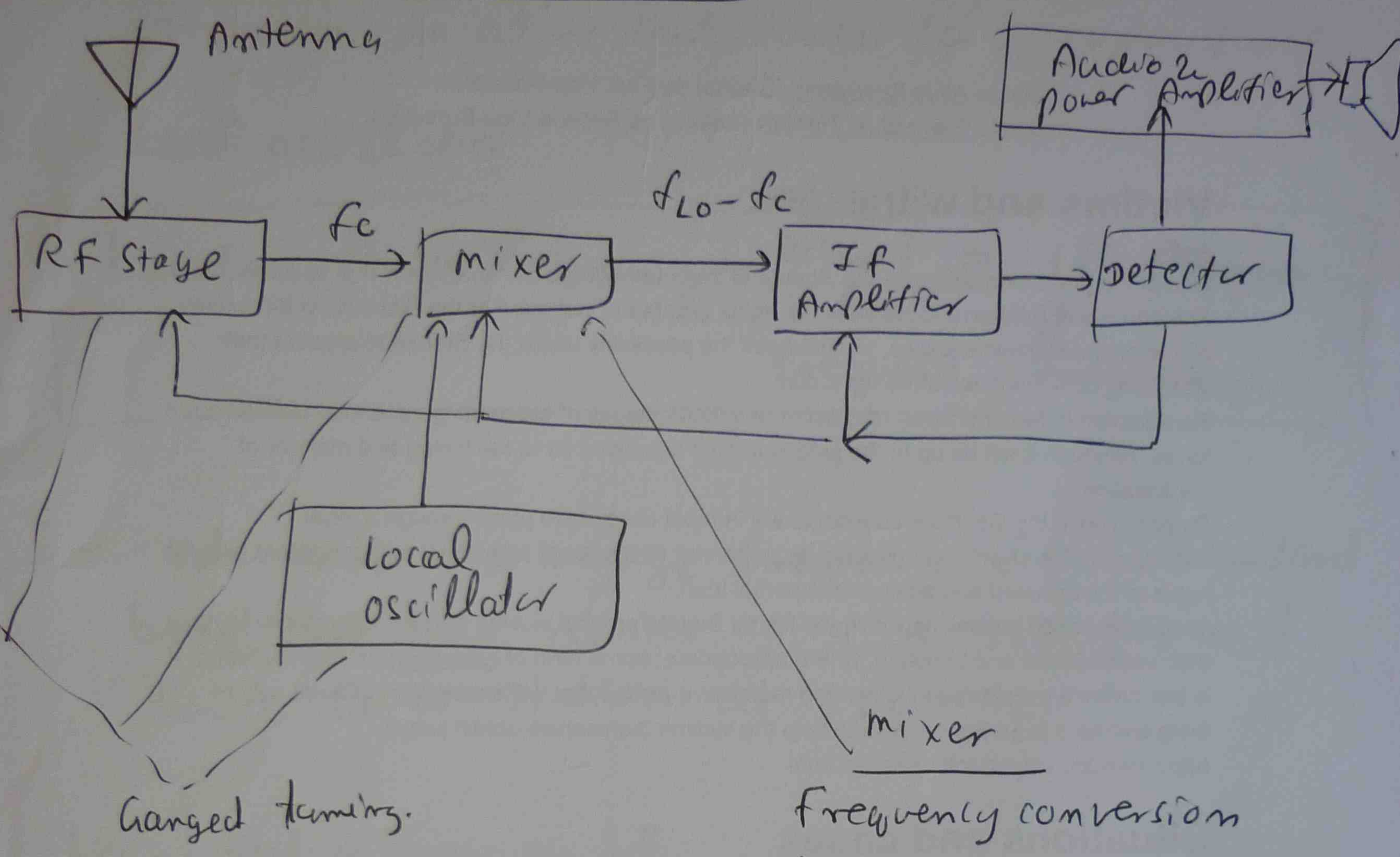


### Diagonal clipping





# Super heterodyne Receivers





## Tuned ckt adjustment

reduction in either inductance (or) capacitance

LO - Local oscillator

$$\text{Local oscillator frequency} - \text{Desired station's frequency} = \text{IF frequency}$$

~~Image freq;~~

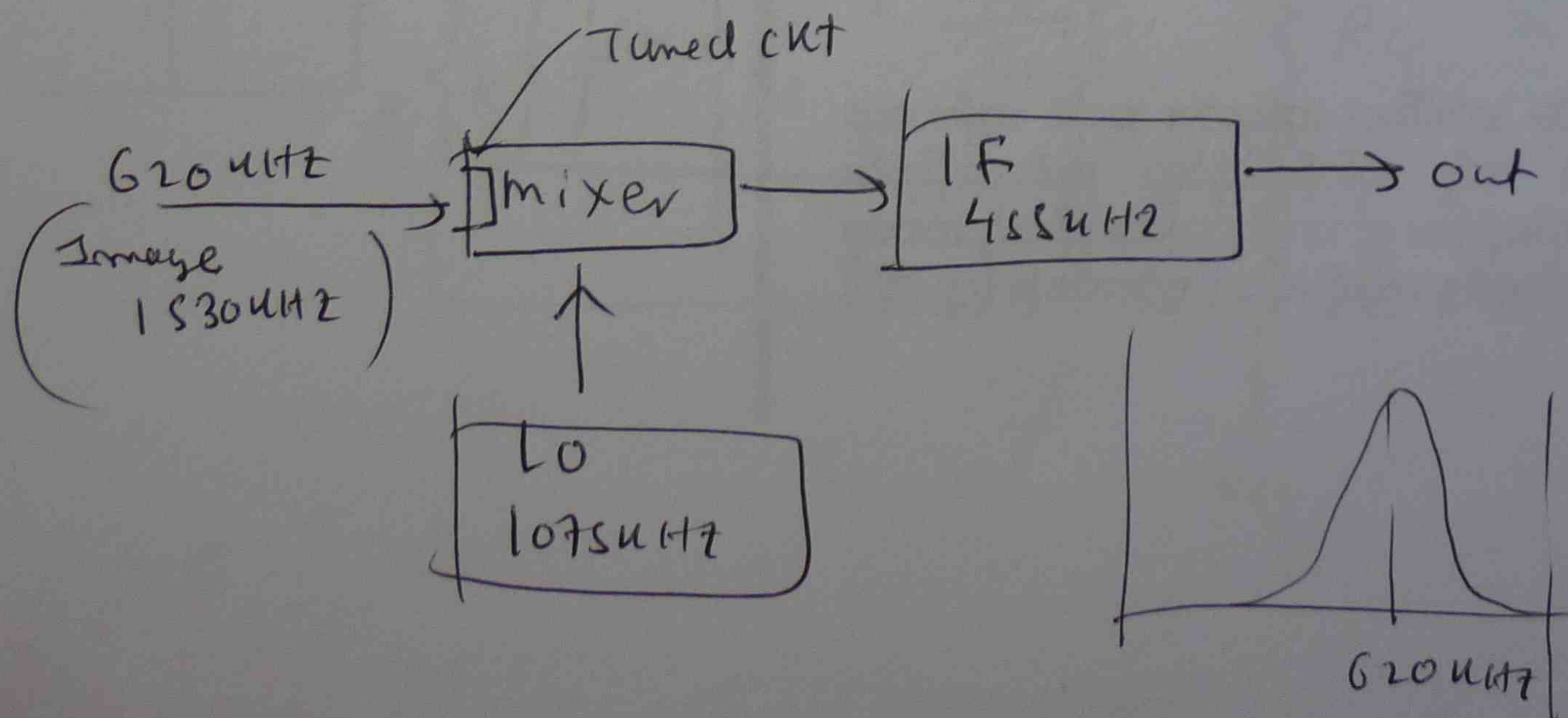
Ex determine the image frequency for a standard broadcast band receiver using a 455 kHz and tuned to a station at 620 kHz

$$\text{LO} - \text{Station freq} = \text{IF}$$

$$\text{LO} - 620 = 455 \longrightarrow \therefore \text{LO} = 1075 \text{ kHz}$$

$$\text{Image frequency} = \text{IF} + \text{LO}$$

$$\therefore \text{Image frequency} = 455 + 1075 = 1530 \text{ kHz}$$

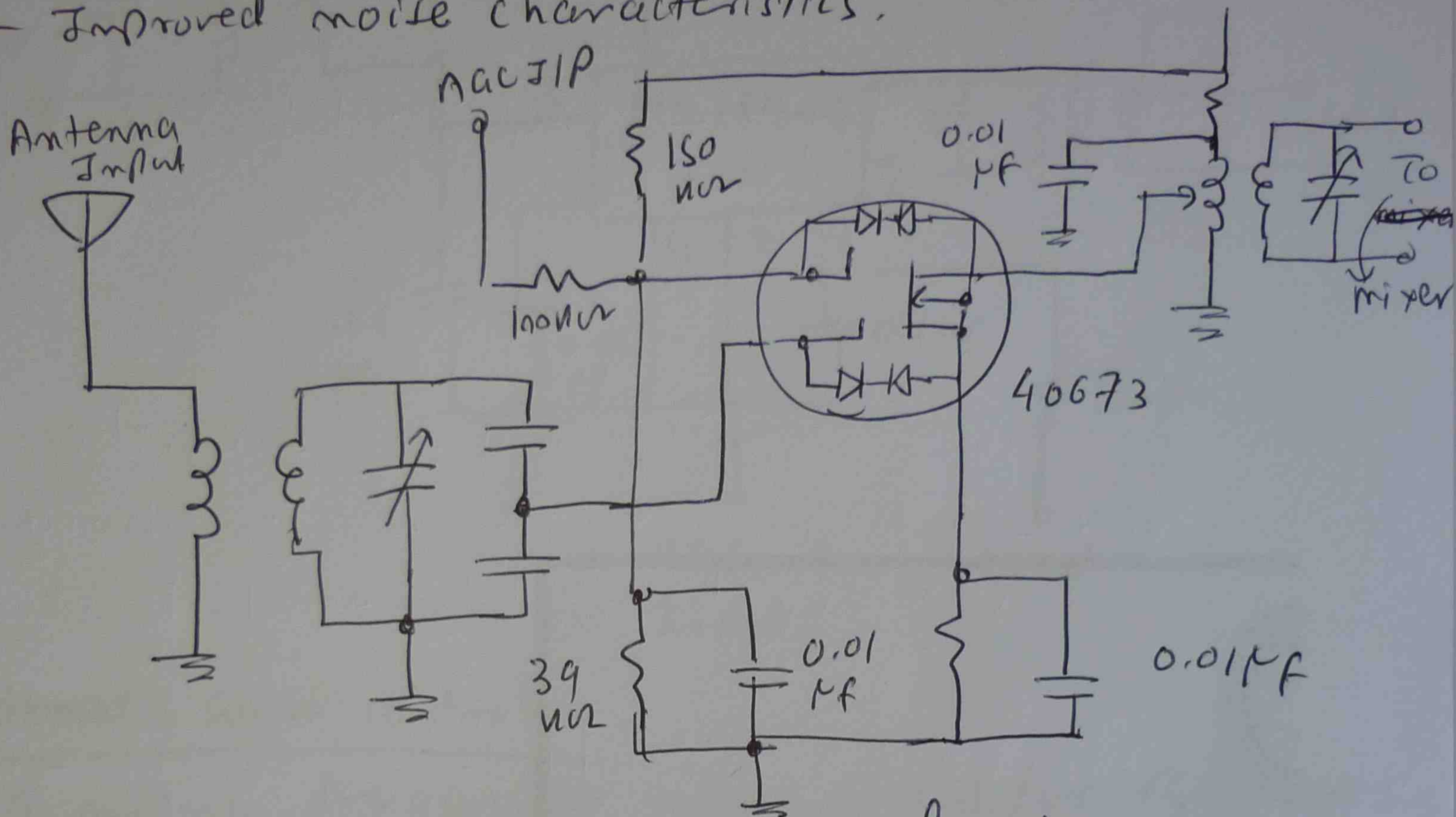




# RF Amplifier

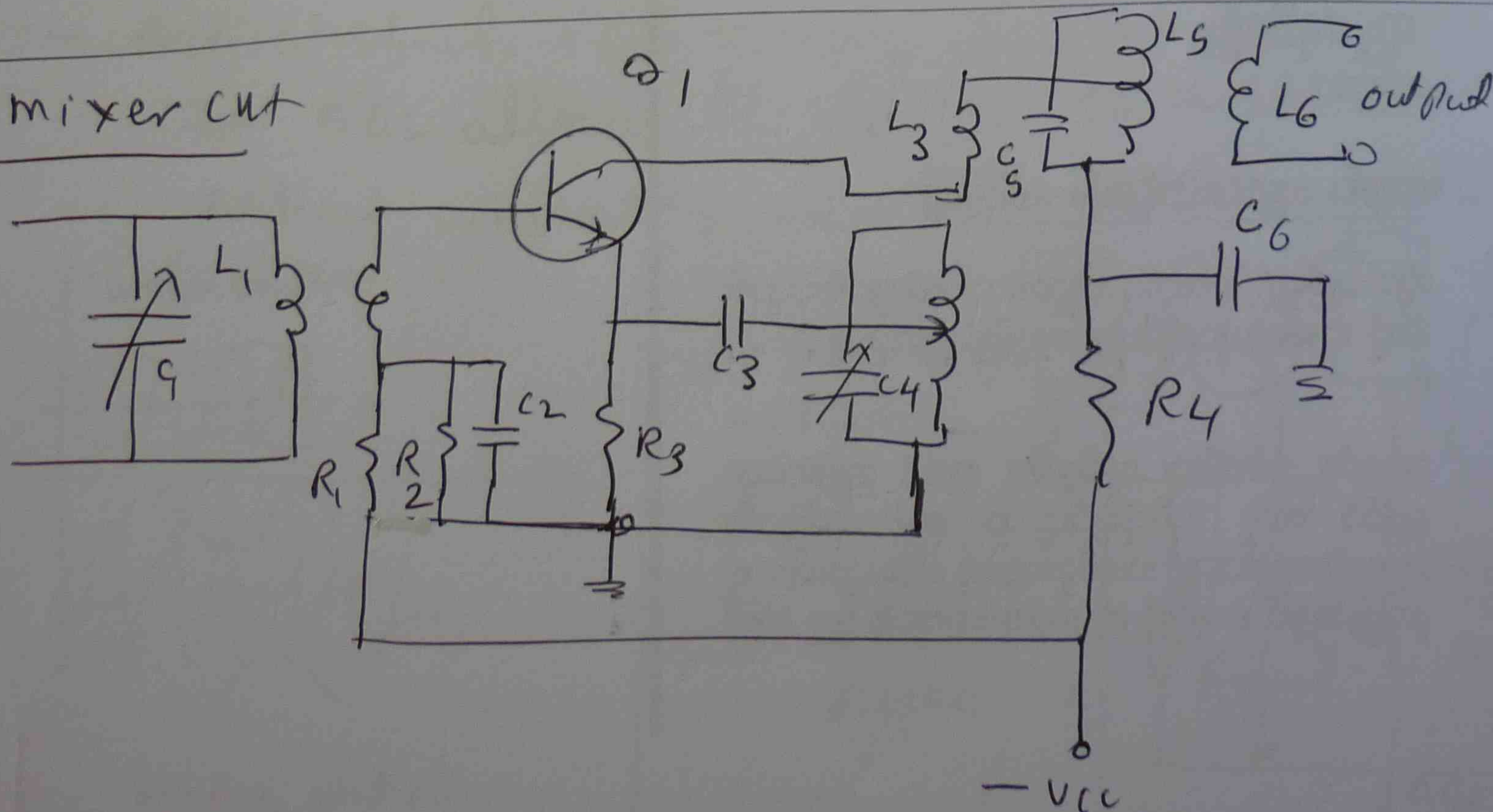
(30)

- Improved image frequency rejection
- more gain and better sensitivity
- Improved noise characteristics.



Dual Gate MOSFET  
RF Amplifier

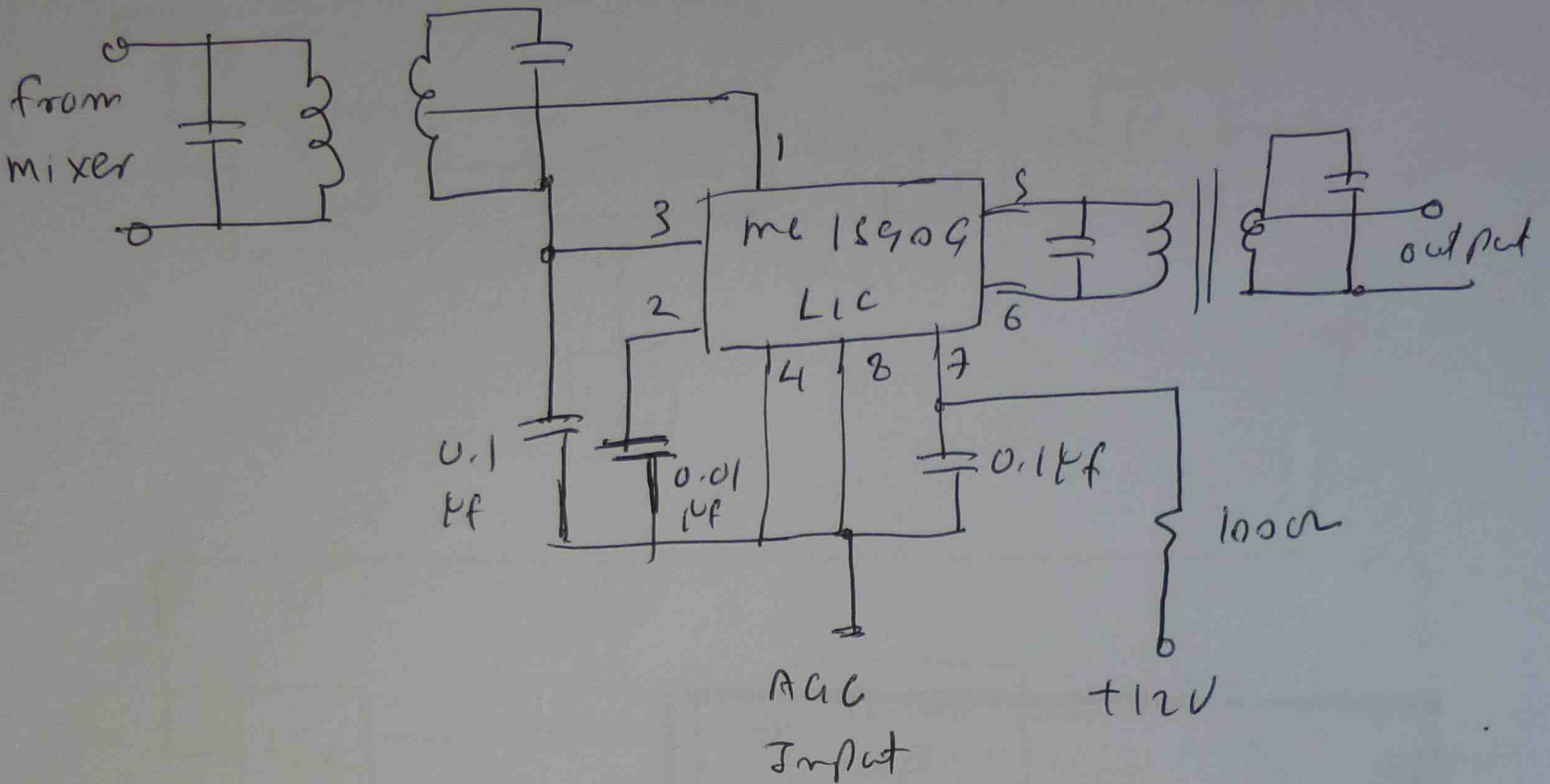
## Mixer circuit





# IF Amplifier

31



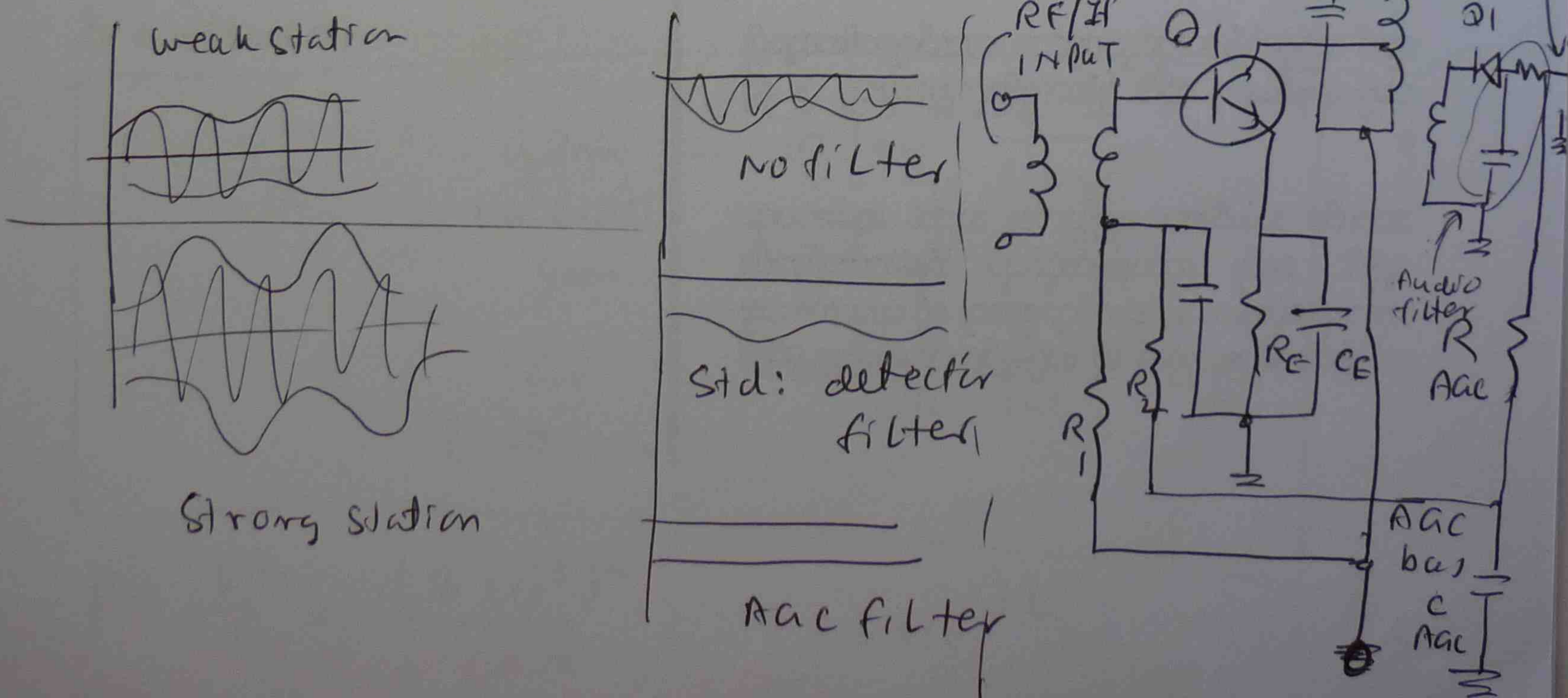
## Automatic Gain Control

To control the gain of mixer and/or RF stages.

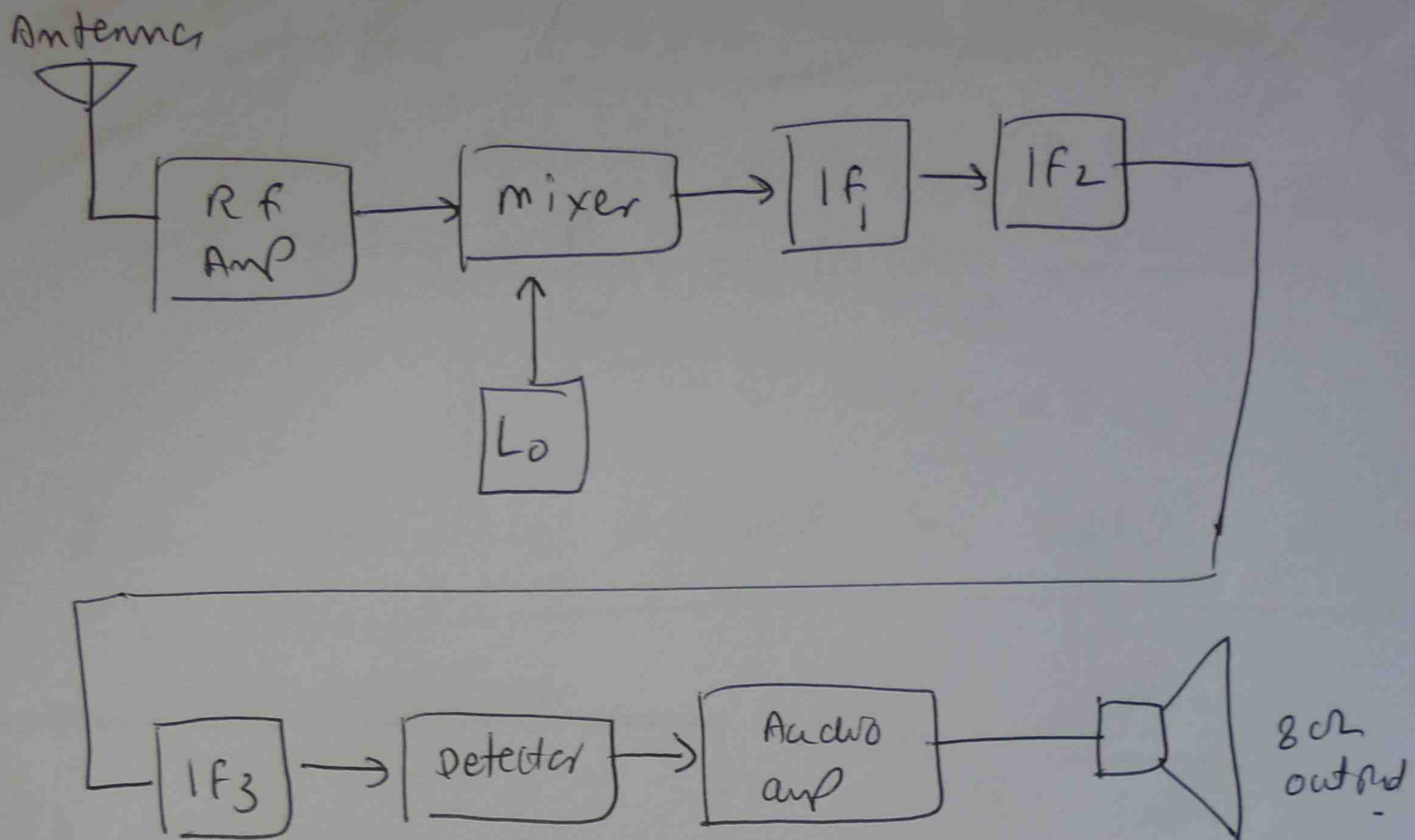
- Not to miss the weak station signal
- Received signal is changing due to weather.

~~To~~ AGC allows to listen to a station <sup>audio out</sup>

without constantly monitoring volume control







Receiver block diagram

Ex

consider the radio receiver given in above figure. The antenna receives an  $8 \mu V$  signal into its  $50 \Omega$  impedance, calculate the input power in watts, dBm, and dBw. calculate the power driven into the speaker.

$$P = \frac{V^2}{R}$$

$$dBm = 10 \log_{10} \frac{P}{1 \text{ mW}}$$

1 milliwatt  
gain

$$dB = 10 \log_{10} \frac{P}{1 \text{ W}}$$

1 watt gain

$$P = \frac{V^2}{R} = \frac{(8 \times 10^{-6})^2}{50 \Omega} = 1.28 \times 10^{-12} \text{ W}$$



(33)

$$dBm = 10 \log_{10} \frac{1.28 \times 10^{-12}}{1 \times 10^{-3}} = -89 dBm$$

$$dBW = 10 \log_{10} \frac{P}{1W} = 10 \log_{10} \frac{1.28 \times 10^{-12}}{1} \\ = -119 dBW$$

$dBm$  &  $dBW$  are different by 30 dB.

$$\therefore \left[ \begin{array}{l} \text{difference between} \\ dBm \text{ and } dBW \end{array} = 10 \log_{10} \frac{P_{out}}{1mW} \right]$$

$$30 = 10 \log_{10} \frac{P_{out}}{1 \times 10^{-3}}$$

$$\cancel{10}^3 \Rightarrow 3 = \log_{10} \frac{P_{out}}{10^{-3}}$$

$$10^3 = \frac{P_{out}}{10^{-3}}$$

$$\therefore P_{out} = 10^3 \times 10^{-3} = 1 \text{ watt}$$

4, 5, 6, 8, 9, 11, 12



## single side banded communications

A carrier amplitude-modulated by a single sine wave of voltage consists of three different frequencies.

- (1) original carrier with amplitude unchanged
- (2) A frequency equal to the difference between the carrier and the modulating frequencies.
- (3) A frequency equal to the sum of the carrier and the modulating frequencies.

(2) & (3) are side band frequencies

After the carrier and one of the side bands were eliminated, the other side band could be used to transmit the intelligence.

$\frac{2}{3}$  of power in carrier

SSB  $\rightarrow$  voice communication.



$$\text{Peak Envelope Power} = \frac{(\text{maximum Envelope voltage})^2}{2}$$

### Types of side band transmission

- (1) The carrier and one of the side bands are completely eliminated at the transmitter.
- (2) Eliminate one side band and suppress the carrier to a desired level.
- (3) military communication  $\rightarrow$  Transmission of two independent side bands. (Twin-side band suppressed carrier (or) independent side band transmission)



## Advantage of SSB

— more effective utilization of the available spectrum.

— Less subject to the effect of selective fading

## Am transmission

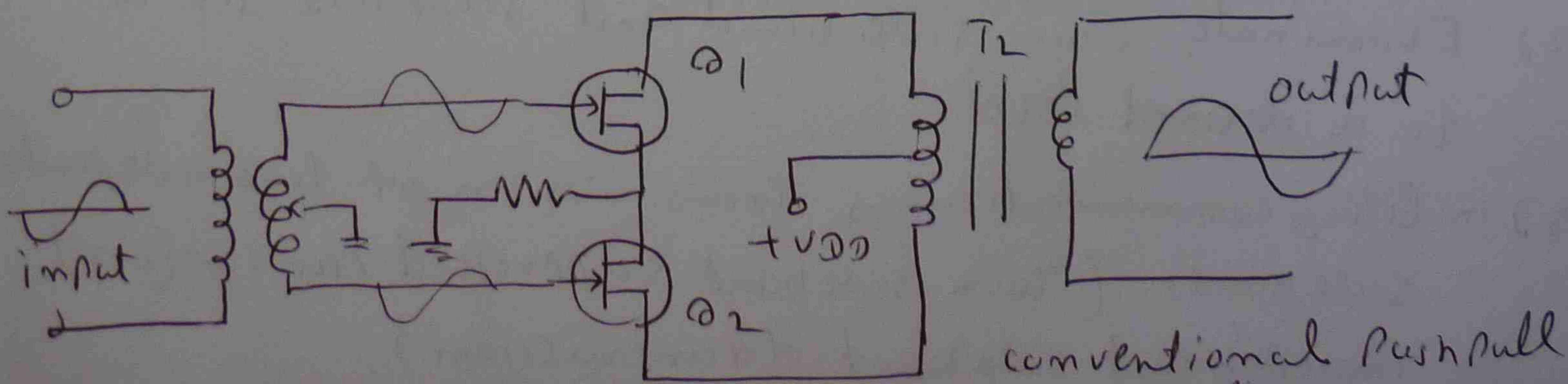
If the upper side band frequency strikes the ionosphere and is refracted back to earth at a different angle from that of the carrier and lower side band frequencies, distortion is introduced at the receiver. Under extremely bad conditions, complete signal cancellation may result, which means a complete loss of intelligence.

The two side bands should be identical in phase so that when passed through a non linear device (diode detector) the difference between side bands and carrier is identical.

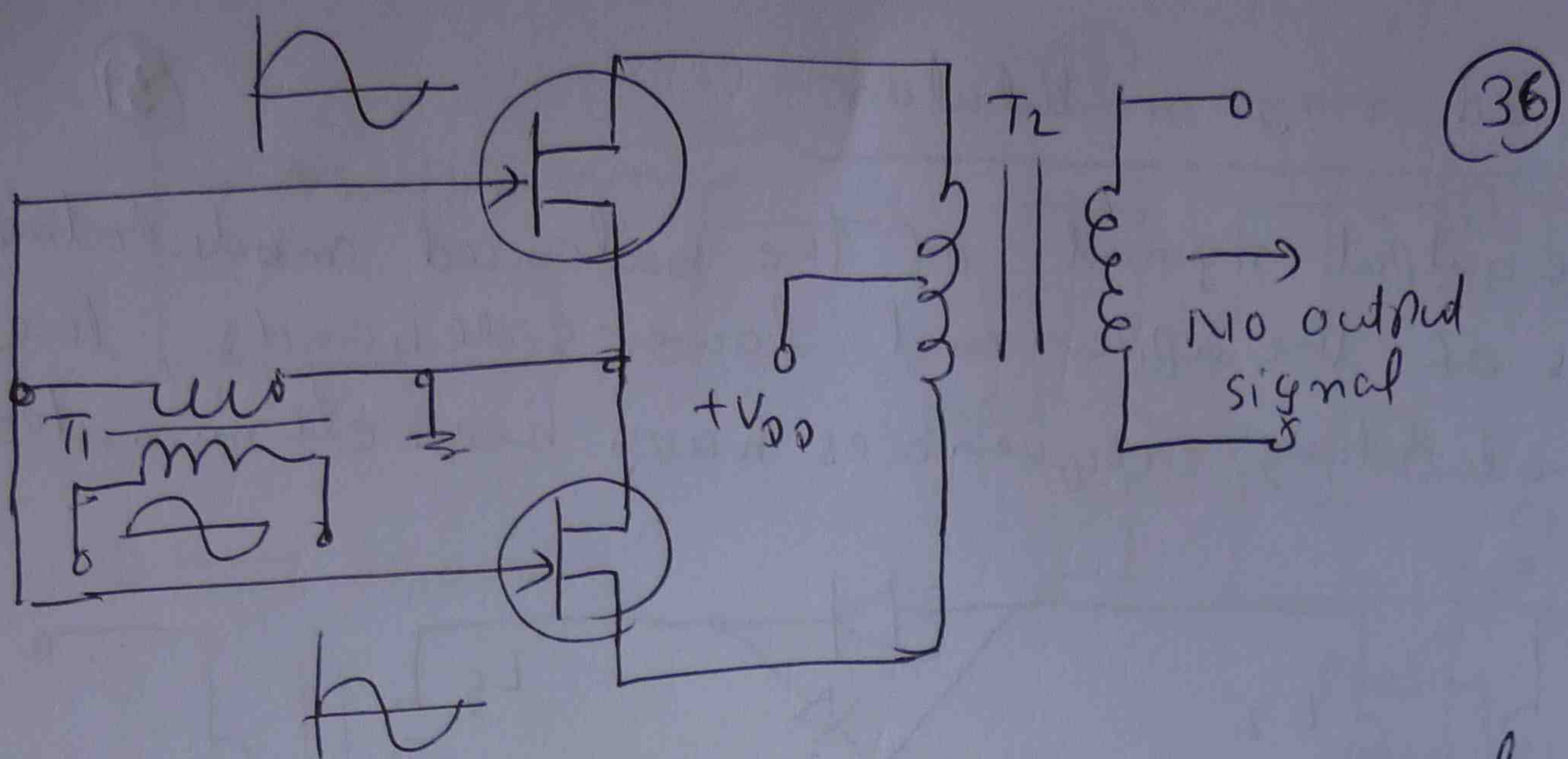
SSB has noise reduction over AM due to bandwidth reduction.

low SSB transmission  $\approx$  low AM transmission.

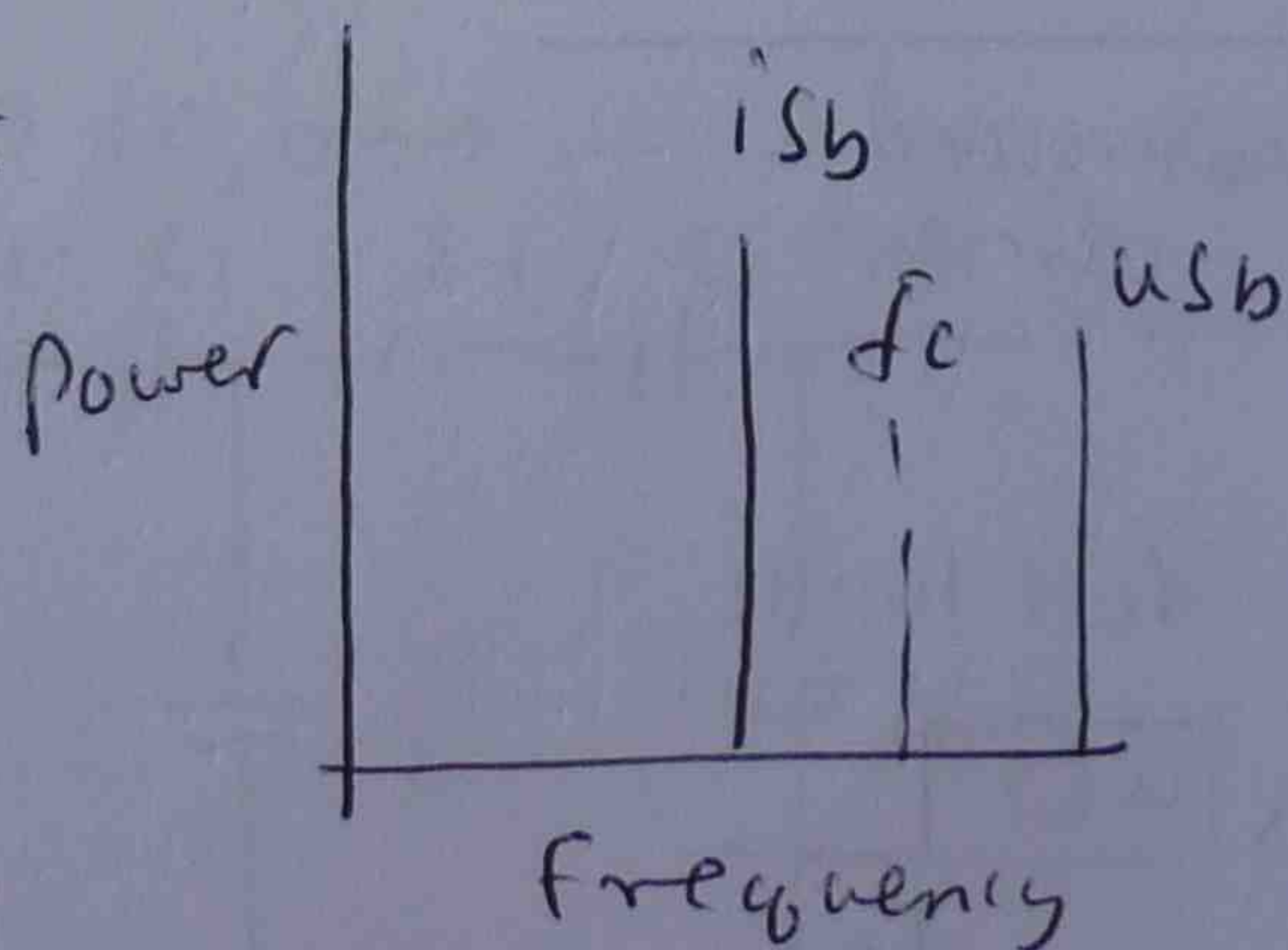
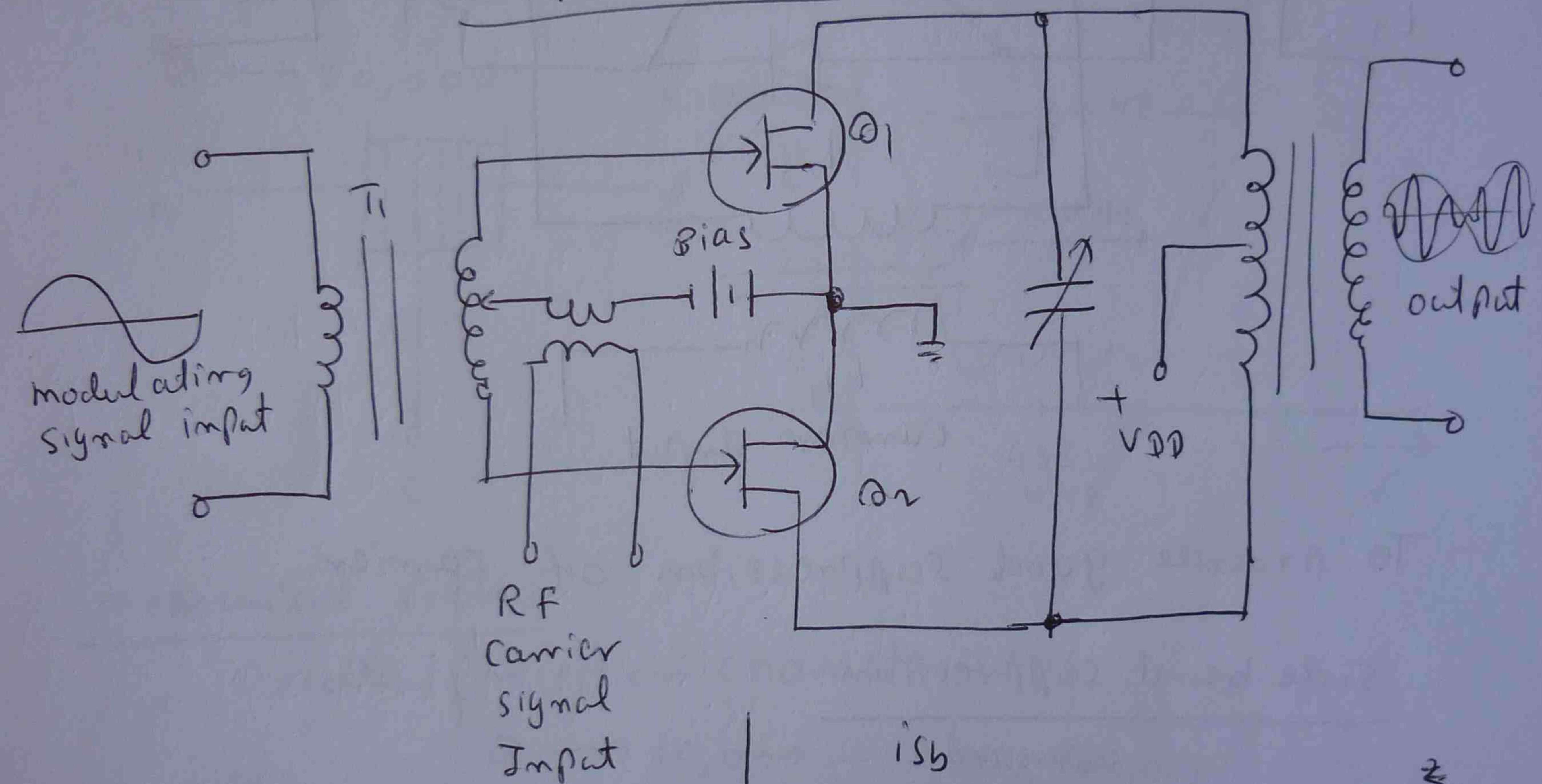
## side band generation, the balanced modulator







Push pull amplifier with signal applied in phase



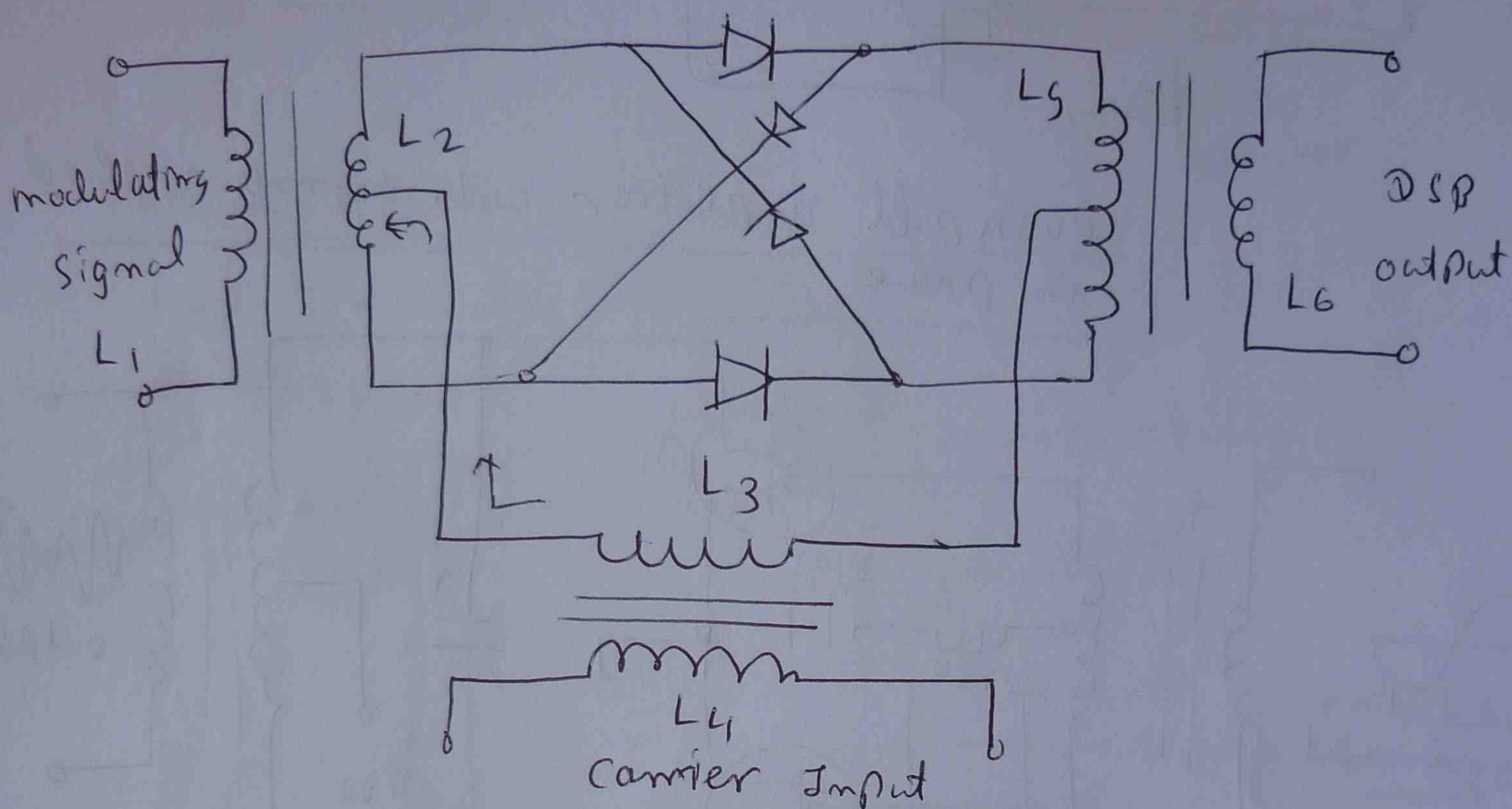
Double side banded output signal



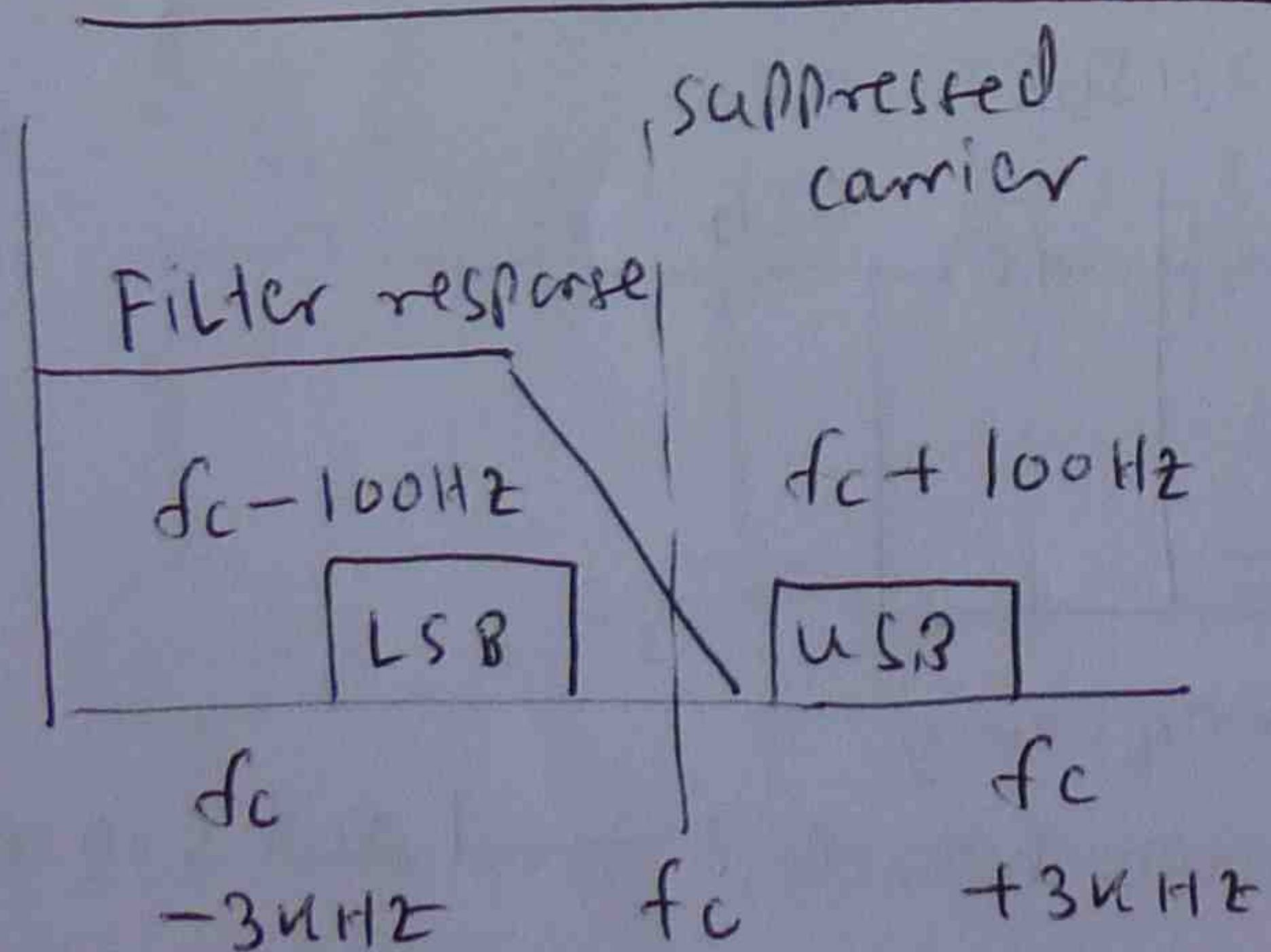
## Balanced ring modulator

(37)

The output signal of the balanced modulator consists of the upper and lower sidebands, the carrier and modulating frequencies have been eliminated.



- To provide good suppression of carrier side band suppression

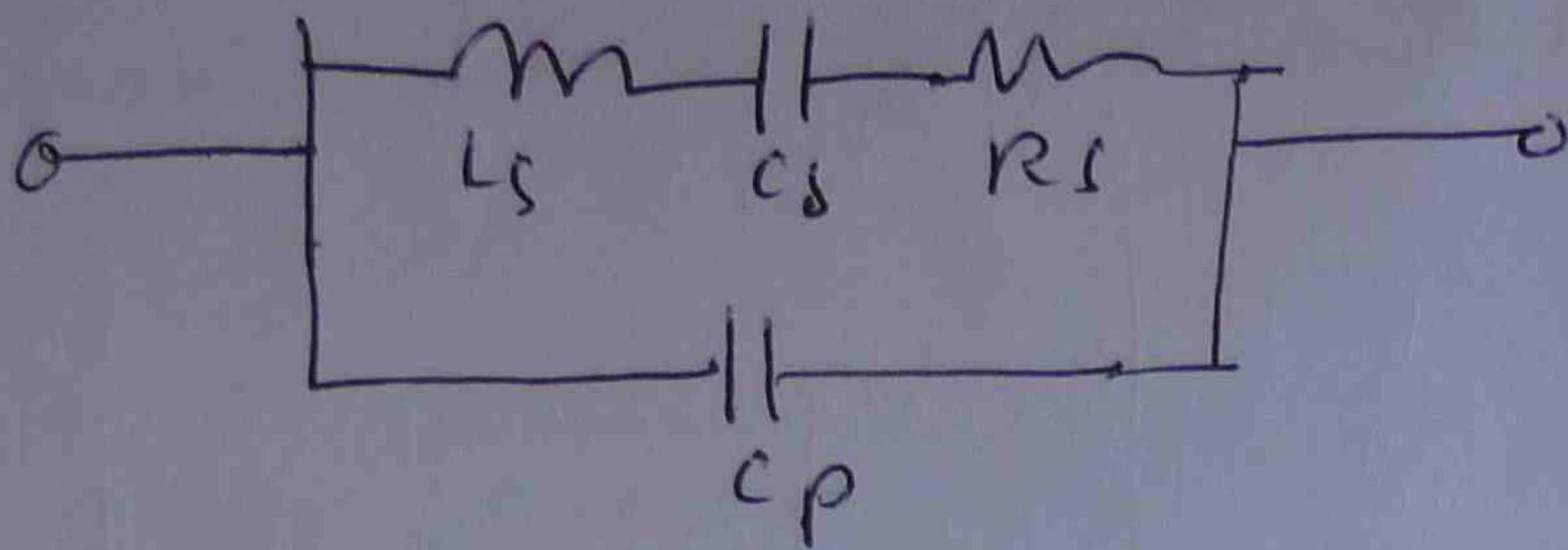


## Crystal filter

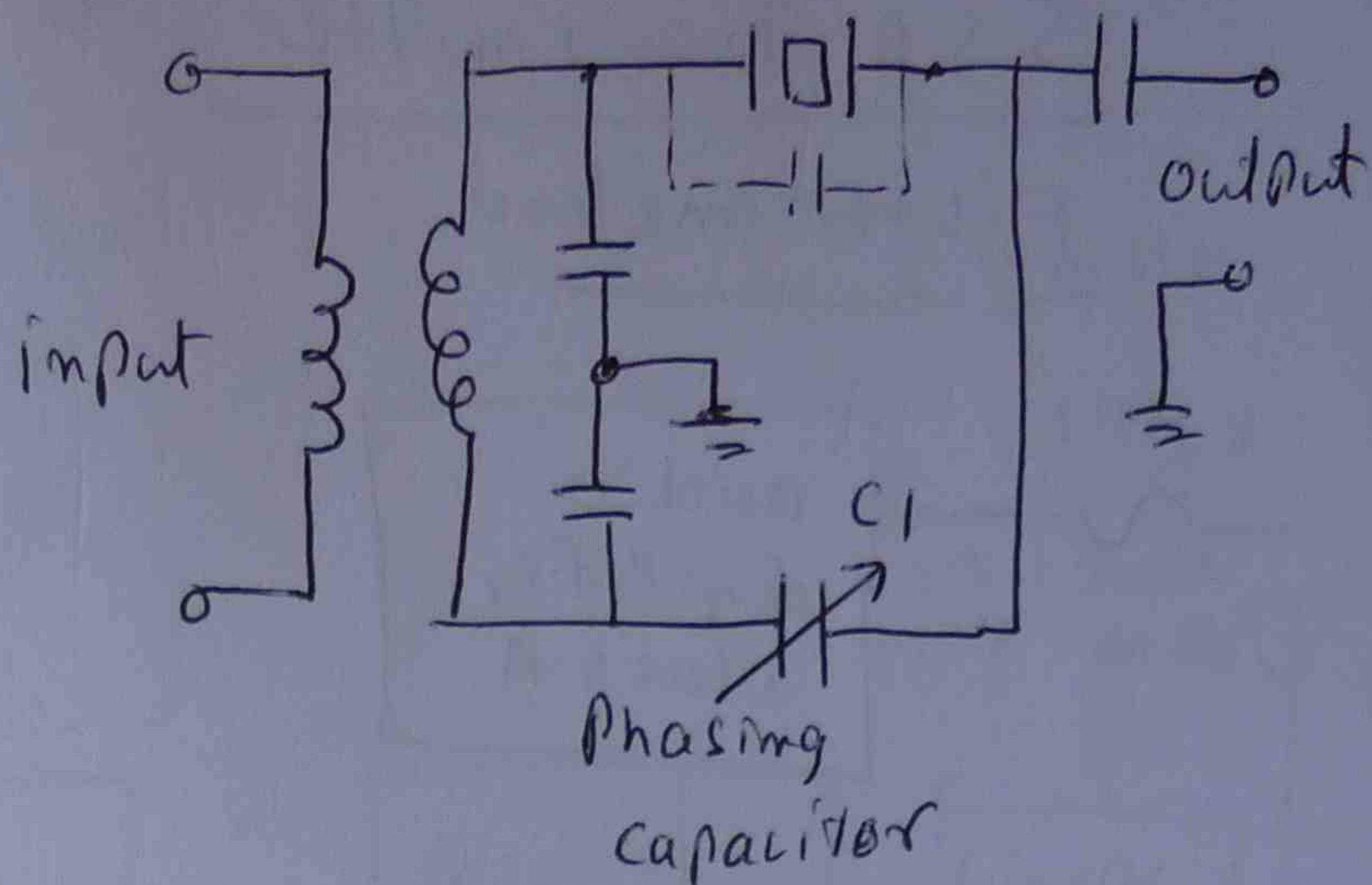
The crystal filter is commonly used in single-side band system to attenuate the unwanted side band. crystal is a series resonant circuit with very high Q.



(38)



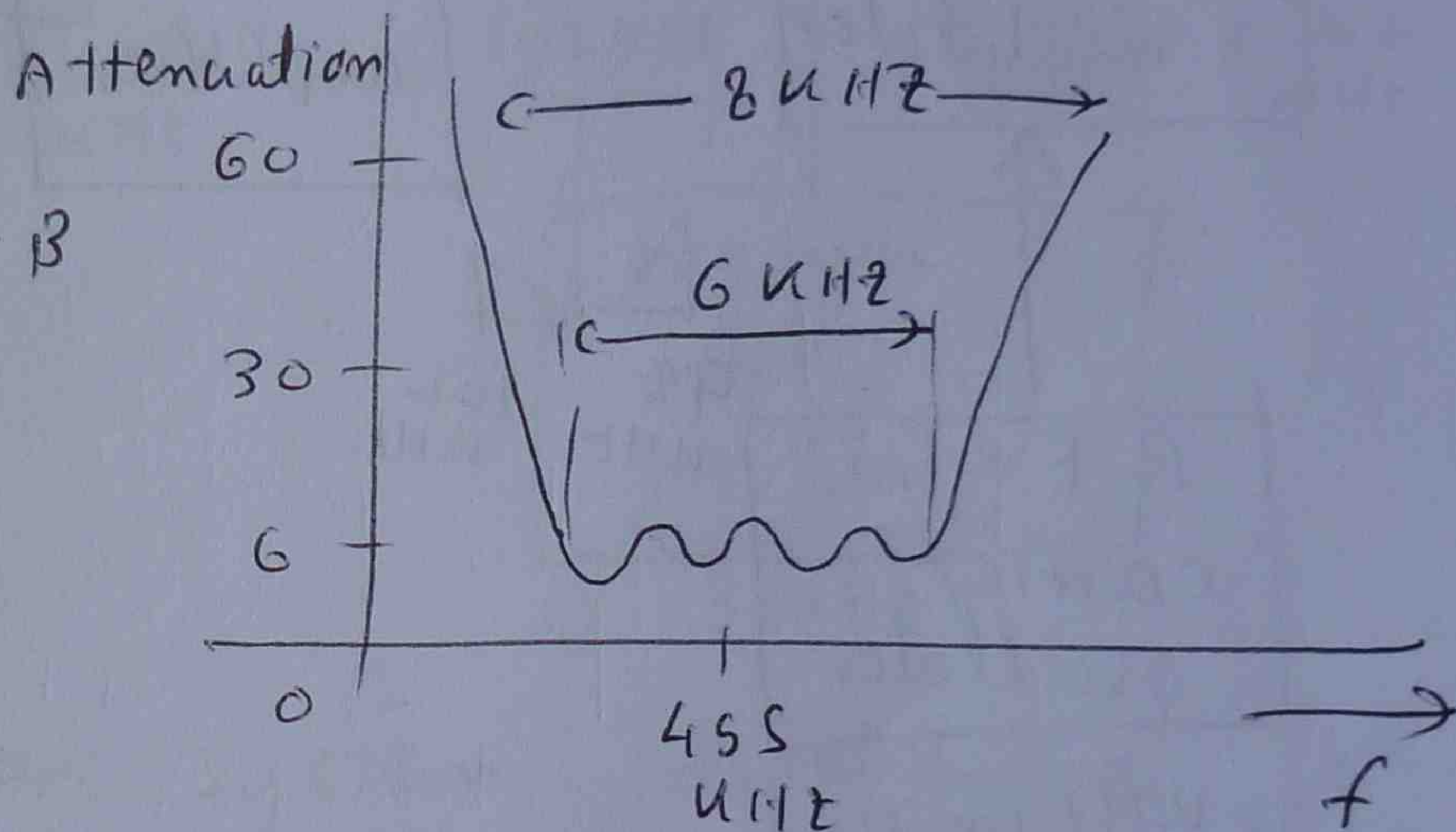
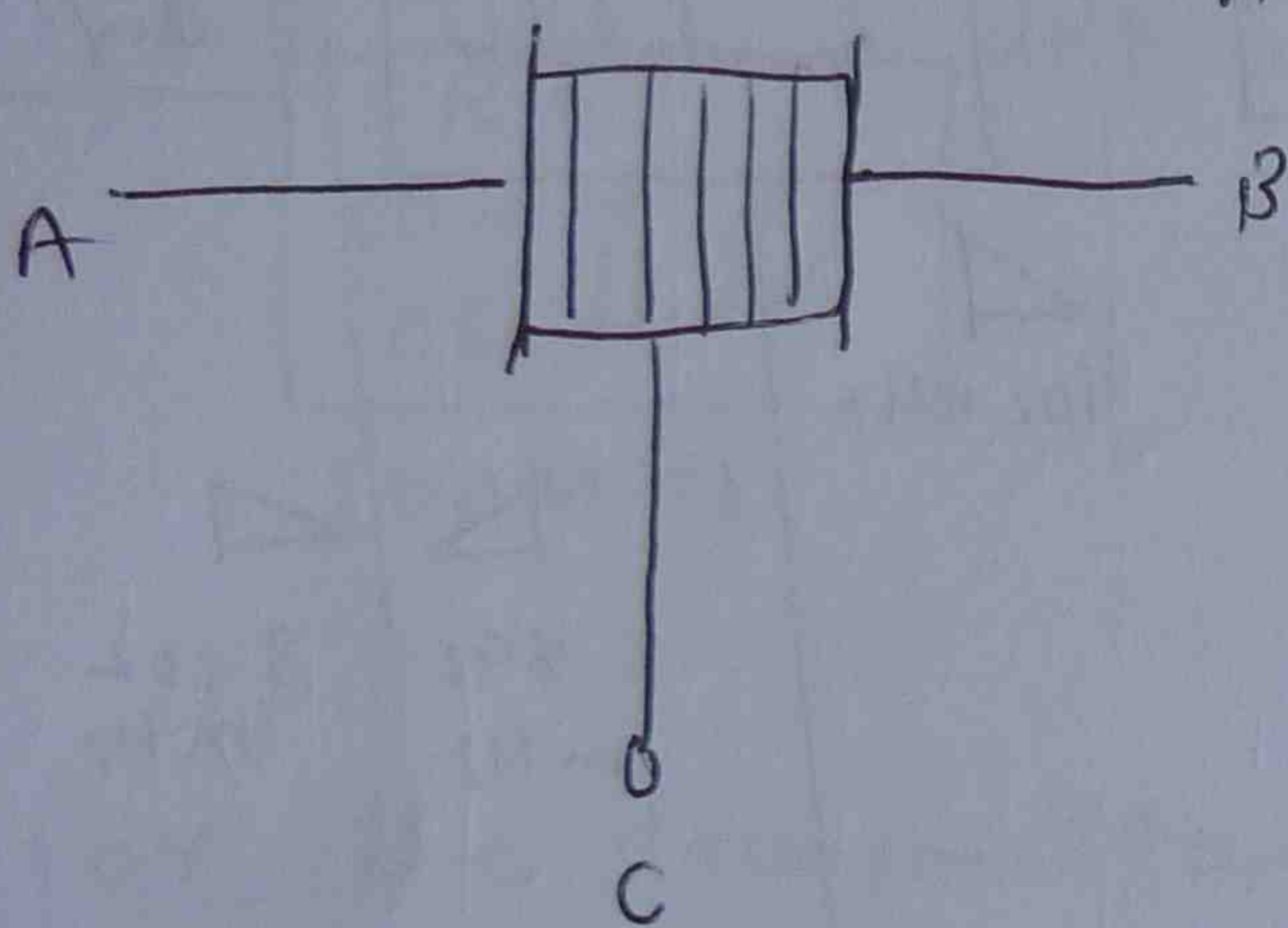
$Q \rightarrow 50,000$



### Ceramic filter

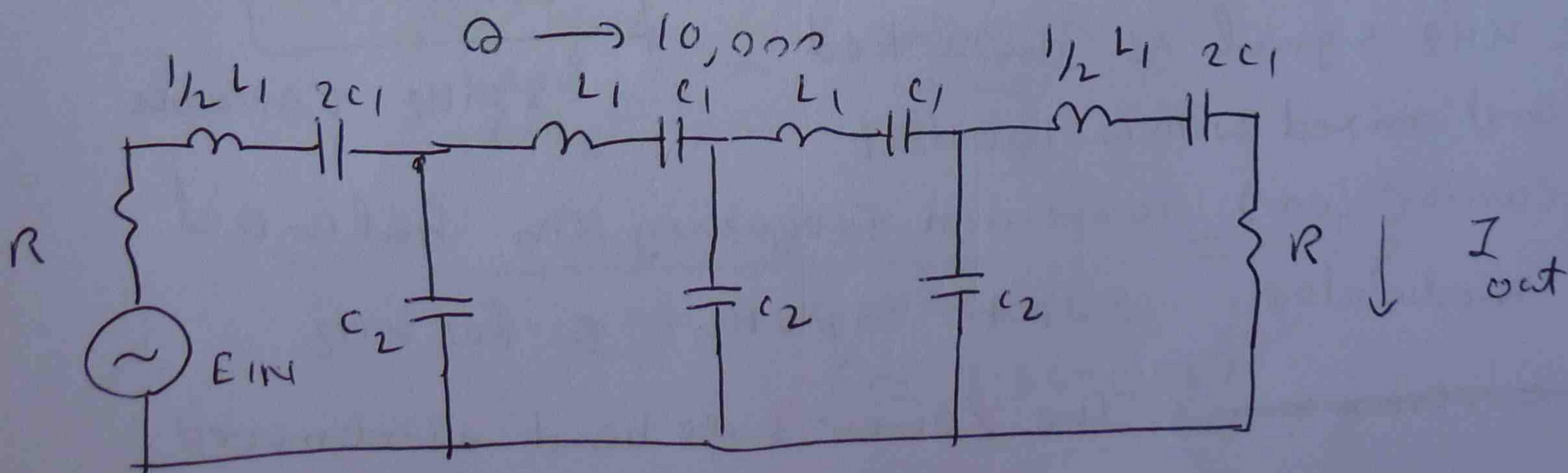
Lead zirconate - titanate

$Q \rightarrow 20,000$

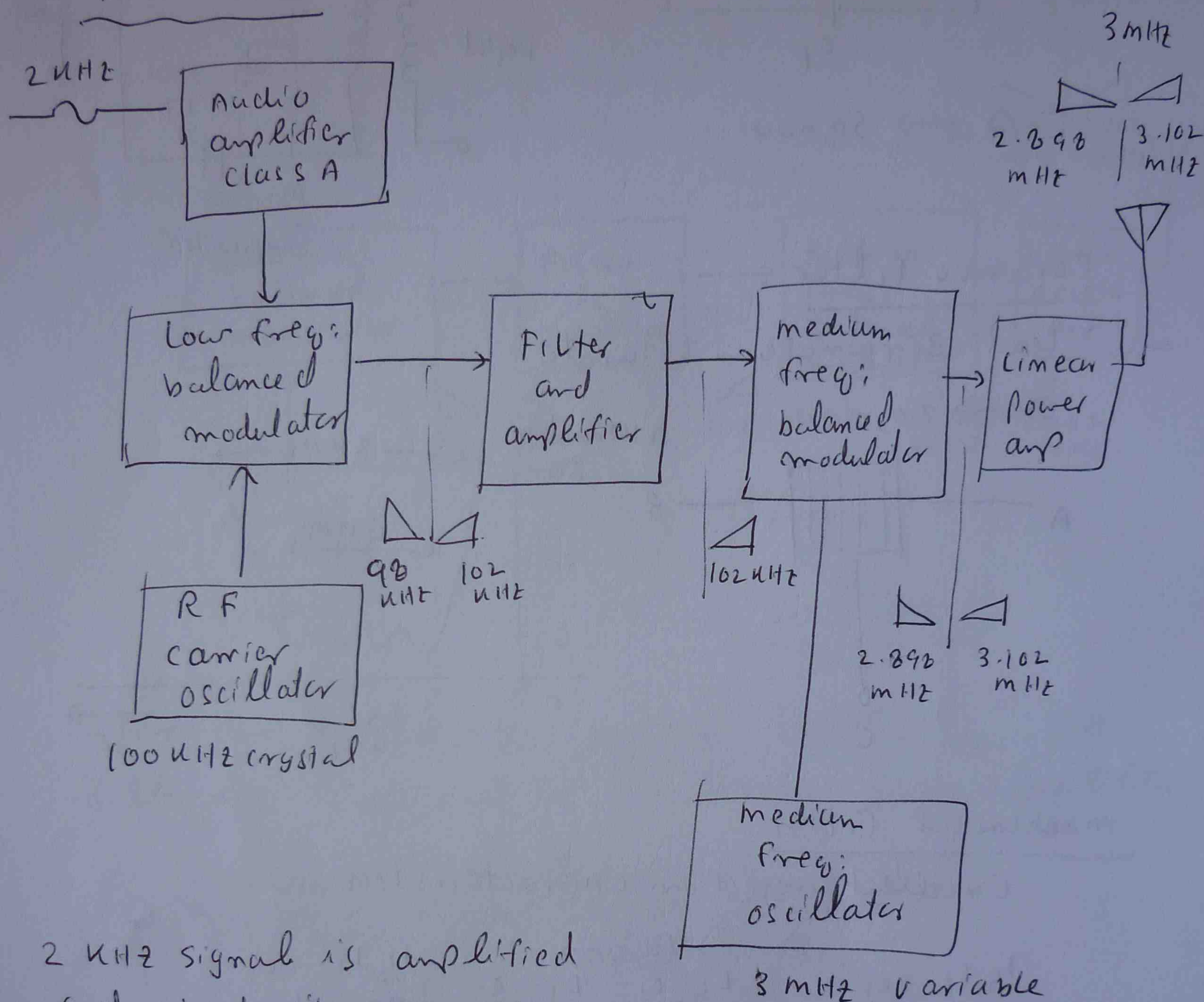


### mechanical filter

Excellent rejection characteristics





SSB TransmitterFilter method

2 kHz signal is amplified and mixed with a 100 kHz carrier (or) conversion frequency in balanced modulator. output 98 kHz & 102 kHz.

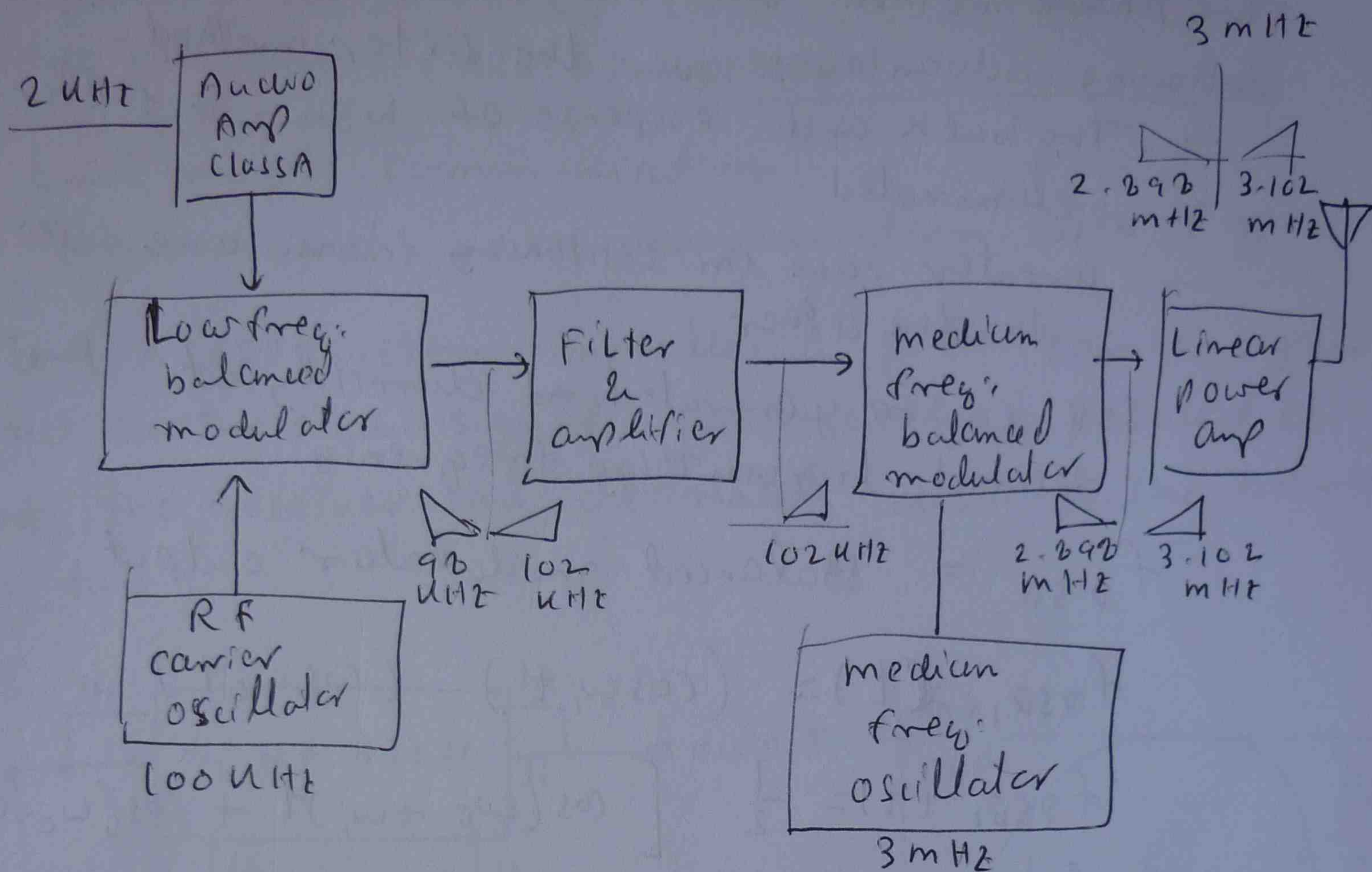
~~The remaining~~ The lower side band is removed.

The remaining side band containing intelligence is too low in frequency to transmit efficiently, it must be mixed again with a new conversion frequency to raise it to the desired transmitter frequency. 3 MHz oscillator is applied. produce 3.102 MHz / 2.898 MHz



tunable linear output amplifier. 40

Pb



For the transmitter system, determine the filter Q required in the linear power amplifier.

$$Q = \frac{\text{medium oscillator freq.}}{\text{upper side band freq.} - \text{lower side band freq.}}$$

$$= \frac{3 \text{ MHz}}{3.1 \text{ MHz} - 2.9 \text{ MHz}} = 15$$

( $\approx 2.998 \text{ MHz}$ )



(41)

## Phase method

The phase method of SSB generation offers the following advantages over the filter method.

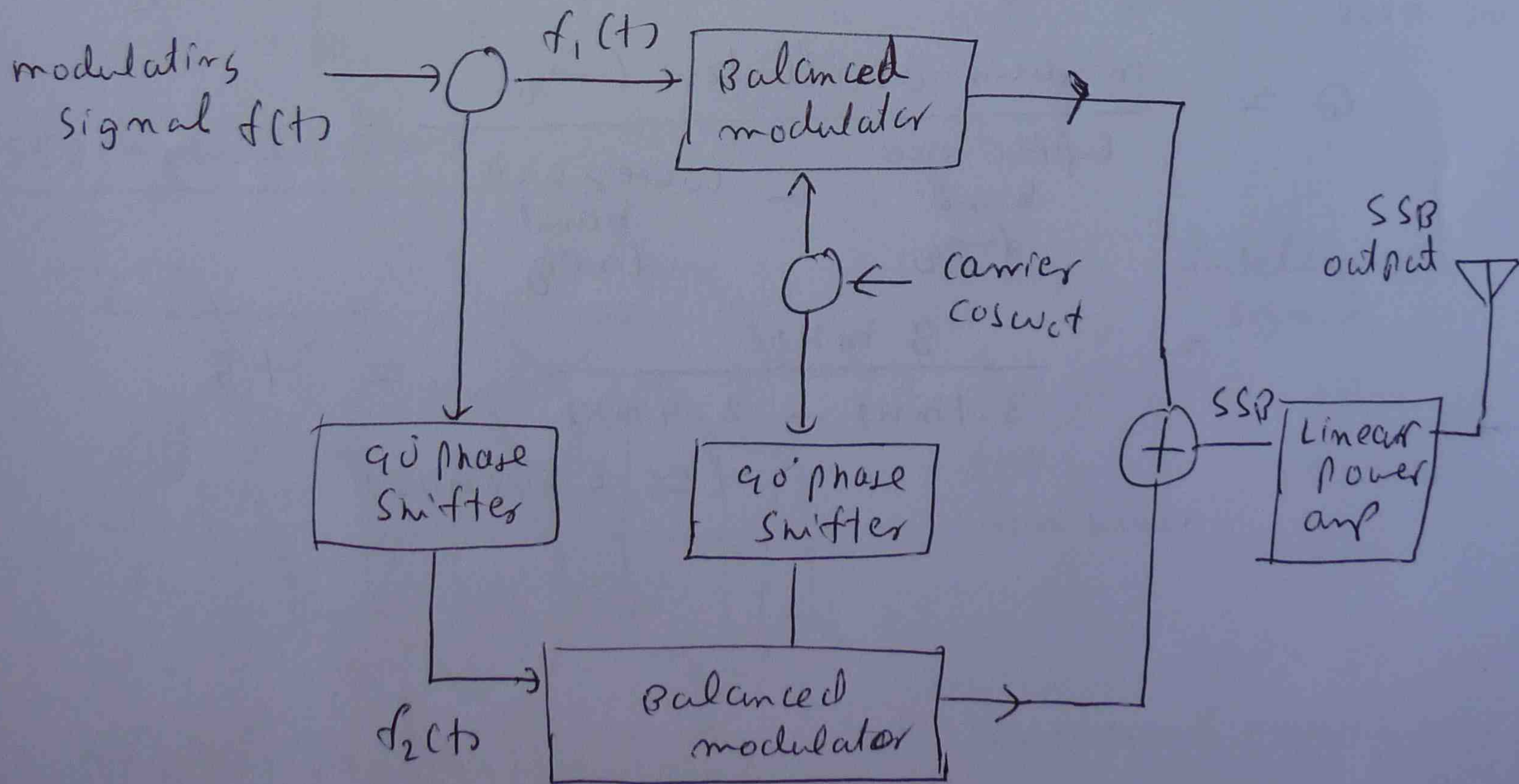
- The bulk and expense of high-Q filter is eliminated
- Greater ease in switching from one side band to the other
- SSB can be generated ~~at~~ directly at the desired transmitting frequency.

$f_{SSB}$  = Balanced modulator output

$$f_{SSB_1}(t) = (\cos \omega_i t) (\cos \omega_c t)$$

$$f_{SSB_1}(t) = \frac{1}{2} [\cos(\omega_c + \omega_i)t + \cos(\omega_c - \omega_i)t]$$

$$f_{SSB_2}(t) = \frac{1}{2} [\cos(\omega_c - \omega_i)t - \cos(\omega_c + \omega_i)t]$$



Phase SSB generation



ACSSB system

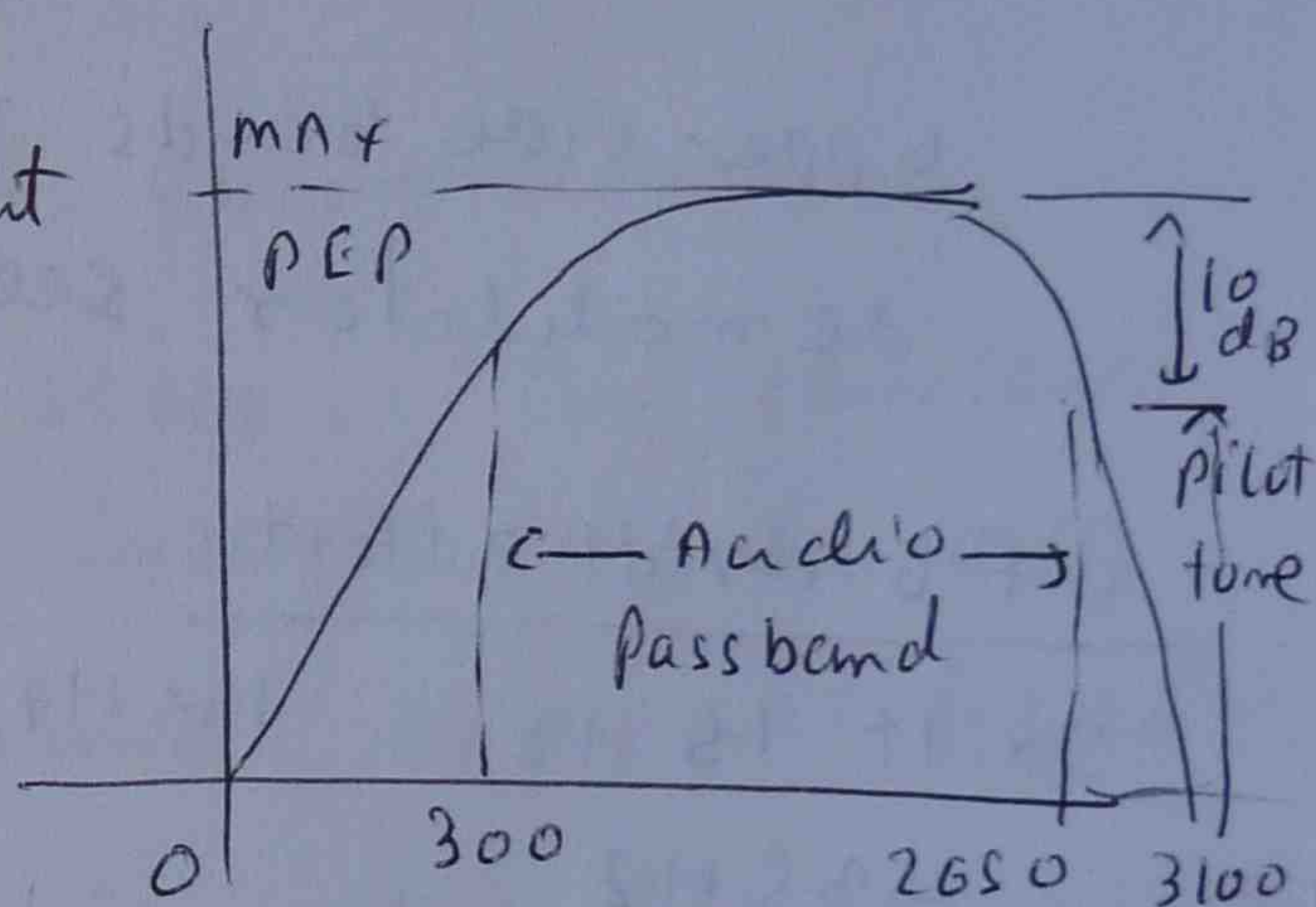
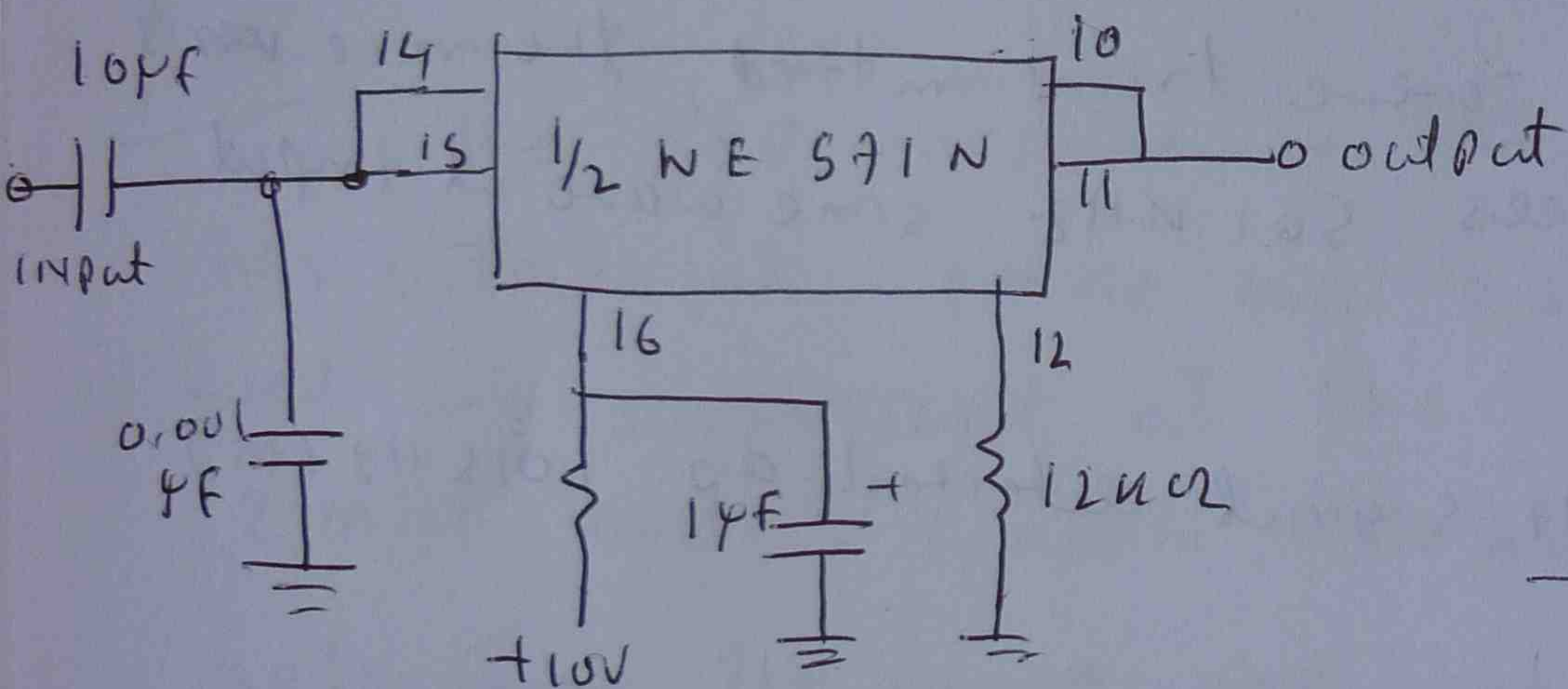
Amplitude companding (compression - expander)

Single side band (ACSSB) system

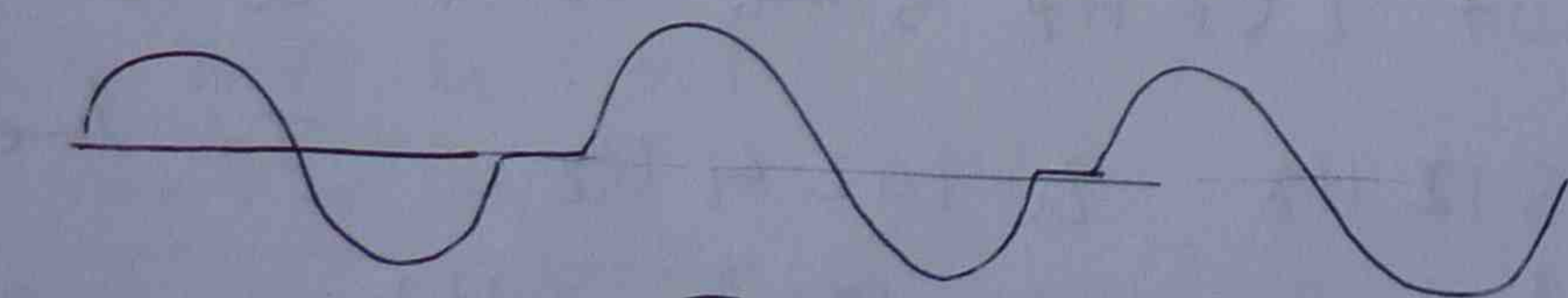
Land mobile communication

Narrow band voice communication with FM

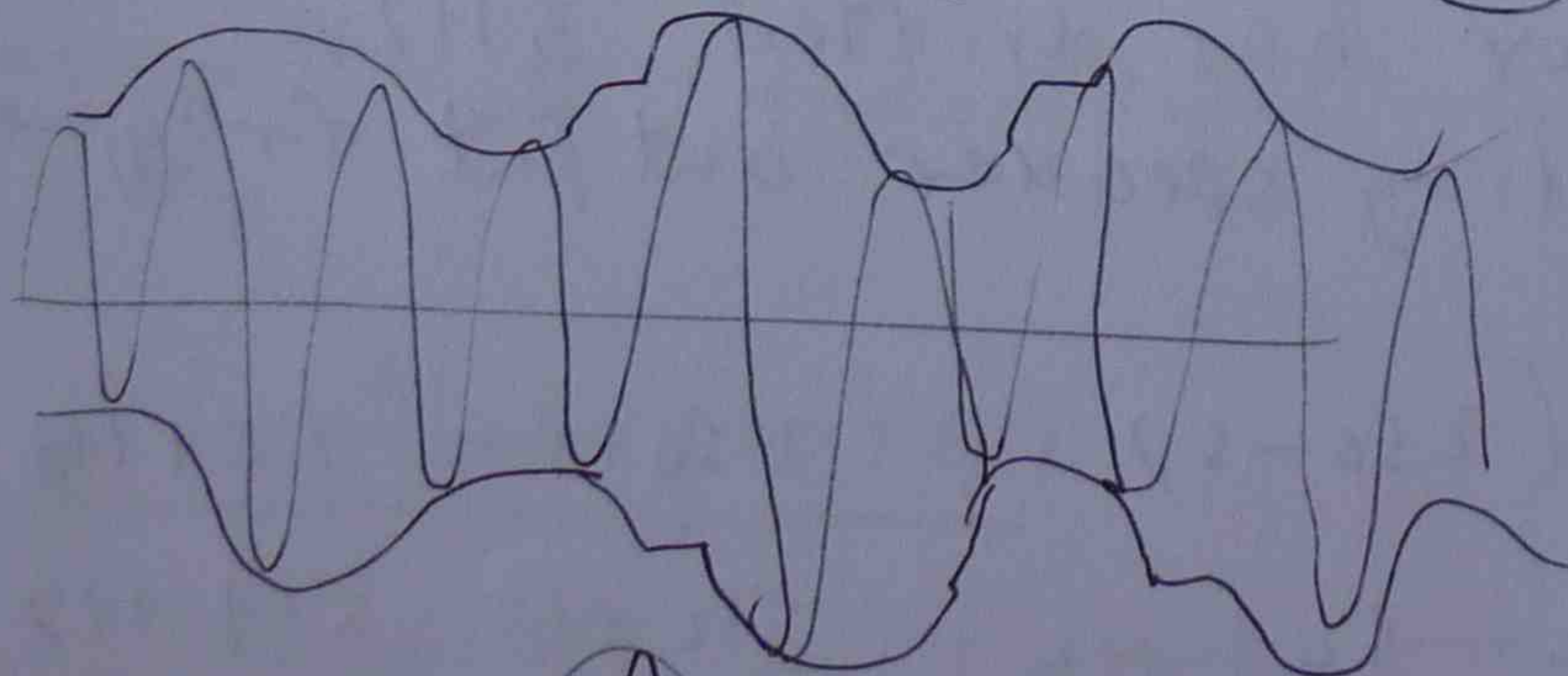
The ACSSB system includes a pilot carrier signal added to the audio signal sufficiently separated so that the receiver can ultimately distinguish between the two



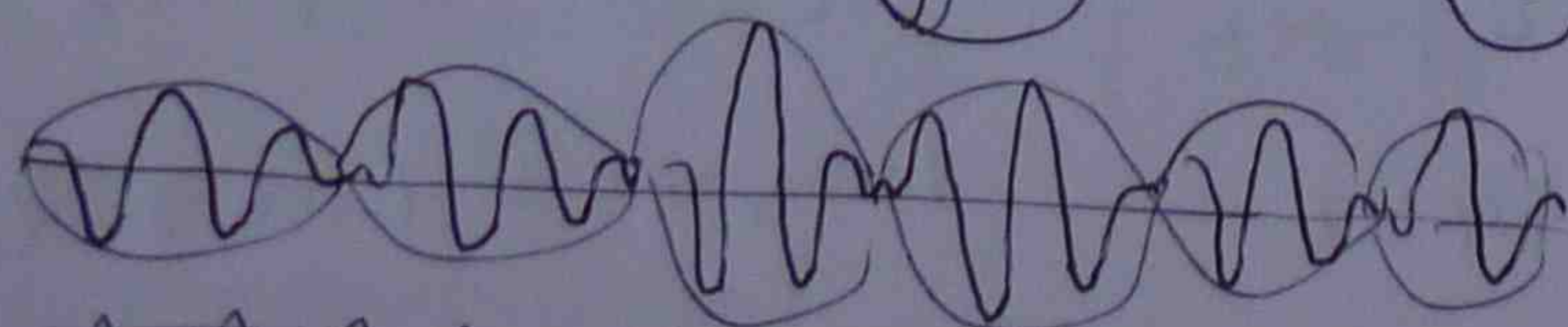
SSB demodulation



(a) Intelligent signal



(b) Am wave



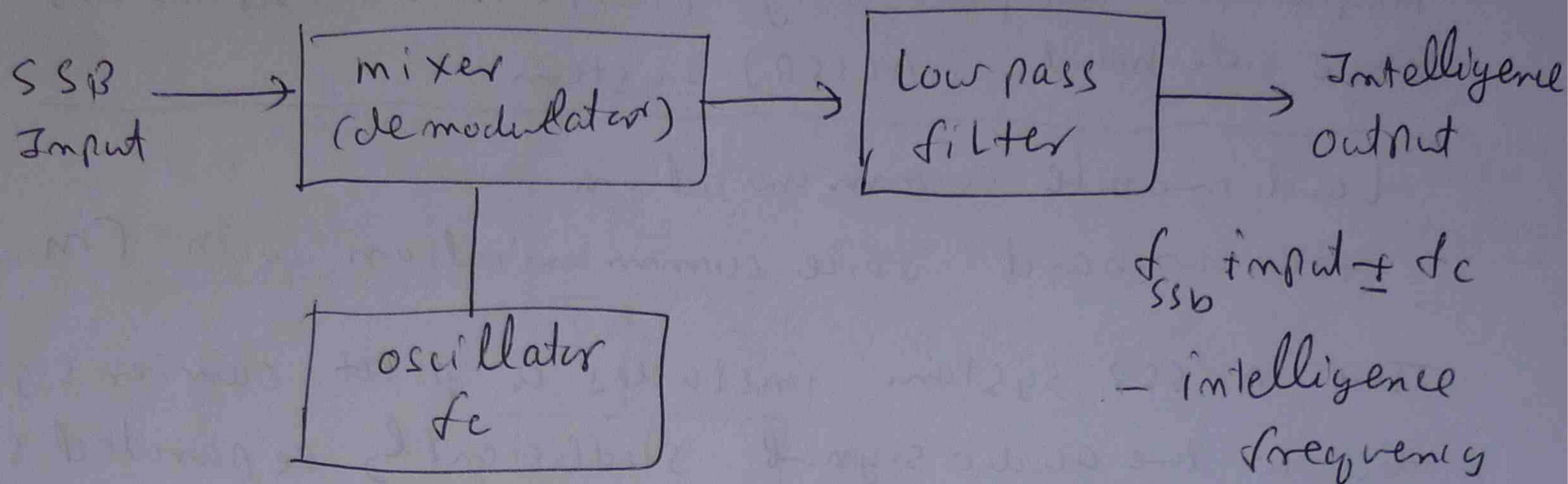
(c) Suppressed carrier wave



(d) SSB suppressed carrier



# Mixer SSB Demodulator



500 kHz carrier frequency has been modulated by 1 kHz sine wave.

upper side bands were transmitted, the receiver's demodulator sees 501 kHz sine wave at input.

## BF0 drift effect

Drift 15 Hz, 1 kHz signal detected as 1015 Hz (or) 985 Hz

PB At one instant of time, an SSB music transmission consists of 256 Hz sine wave & 2nd & 4th harmonics 512 Hz & 1024 Hz. If the receiver's demodulator has drifted 5 Hz, determine the resulting speaker output frequencies.

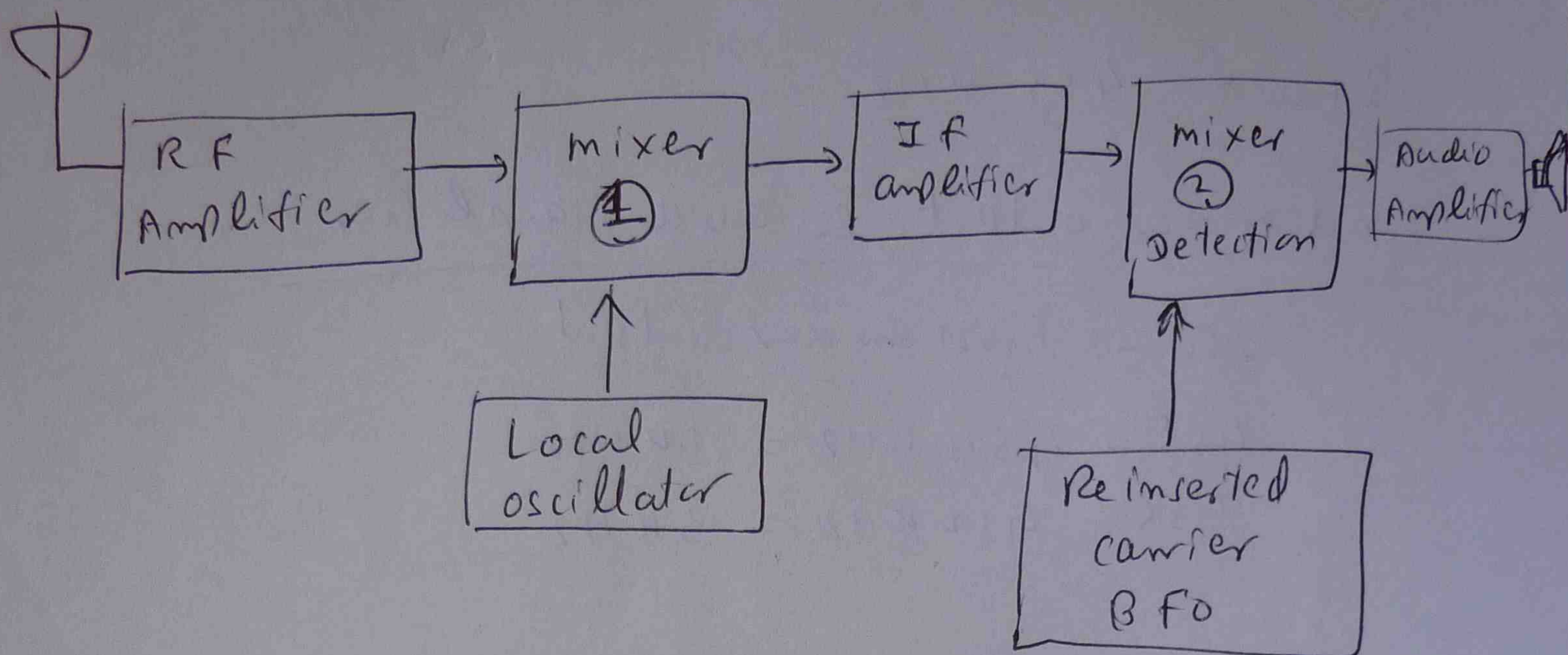
$$256 \text{ Hz} \rightarrow 251 \text{ Hz} \quad (256 - 5), \quad 256 + 5 = 261 \text{ Hz}$$

$$512 \text{ Hz} \rightarrow (512 - 5) = 507 \text{ Hz}, \quad 512 + 5 = 517 \text{ Hz}$$

$$1024 \text{ Hz} \rightarrow (1024 - 5) = 1019 \text{ Hz}, \quad 1024 + 5 = 1029 \text{ Hz}$$



# SSB Receiver



Pb The SSB receiver of the above diagram has outputs at 1 kHz and 3 kHz. The carrier used and suppressed at the transmitter was 2 MHz and the upper side band was utilized determine the exact frequencies at all stages for a 455 kHz IF frequency.

## I RF Amp & first mixer input

Transmitter freq  $\neq$  two outputs  $\rightarrow$   $2000 + 1 \text{ kHz} = 2001 \text{ kHz}$   
 $2000 + 3 \text{ kHz} = 2003 \text{ kHz}$

## II Local oscillator (mixer)

Transmitter freq + IF freq  $\rightarrow 2000 + 455 = 2455 \text{ kHz}$   
 $\uparrow$   
 BFO

## III First mixer output

Local oscillator (mixer) - (RF amp & first mixer)